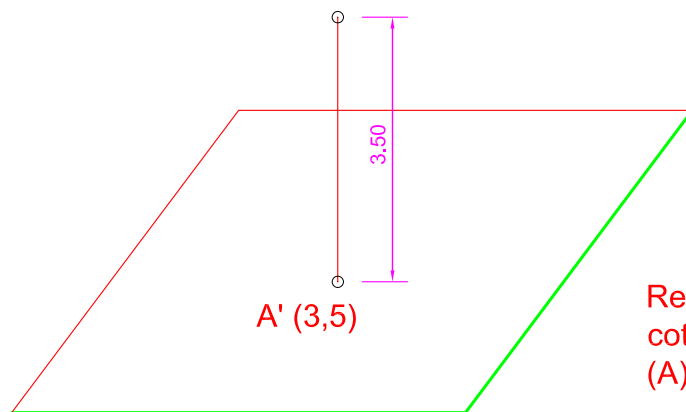


UNIDADE I - MÉTODO DAS PROJEÇÕES COTADAS. (Fellipe Büache - 1737)



○ A' (3,5)

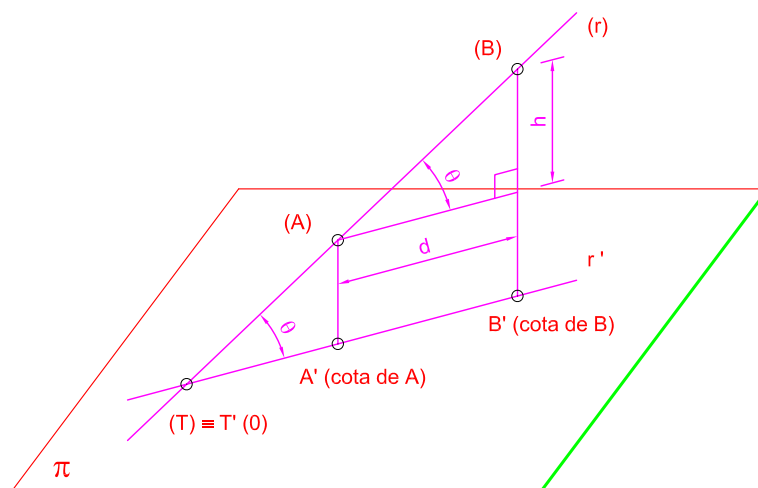
Representação plana, projeção cotada do ponto (A) ou épura de (A).

REPRESENTAÇÃO ESPACIAL:

π - plano de projeção

(A) - ponto objetivo

A' (3,5) - projeção cotada de (A)



$$p = h/d = \operatorname{tg} \theta$$

$$i = d/h = \operatorname{cotg} \theta$$

quando $h=1$, temos :

$$p = 1/i \text{ e } i = 1/p,$$

$$p = 1/d \text{ e } i = d$$

θ - ângulo de inclinação de (r)

h - distância vertical entre (A) e (B)

d - distância horizontal entre (A) e (B)

p - declividade de (r)

i - intervalo de (r)

1) Representar:

- a) (A), sabendo-se que sua cota é de 4 m;
- b) (B), sabendo-se que $(B) \in \pi$;
- c) (C), sabendo-se que (C) tem cota igual a -15 m.

Unidade gráfica; 0,01 m.

2) Representar:

- a) (D) [2; 4; -5]
- b) (E) [- 1; -2; 5]
- c) (F) [0; 2; 3]

Escala gráfica: 1/100

3) Representar (R) e (S), sabendo-se que as distâncias horizontal e vertical entre os dois pontos medem, respectivamente, 30 m e 20 m. Determine a distância objetiva entre (R) e (S).

Escala gráfica: 1/1000.

4) Representar:

- a) (h), sabendo-se que $p(h) = 0$;
- b) (v), sabendo-se que $i(v) = 0$;
- c) (s), sabendo-se que $p(s) = 25 \%$;
- d) (t), sabendo-se que $p(t) = 2/3$.

Escala gráfica: 1/100.

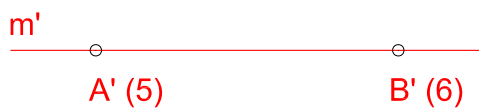
5) Determinar:

a) $\theta(m) =$

b) $i(m) =$

c) $p(m) =$

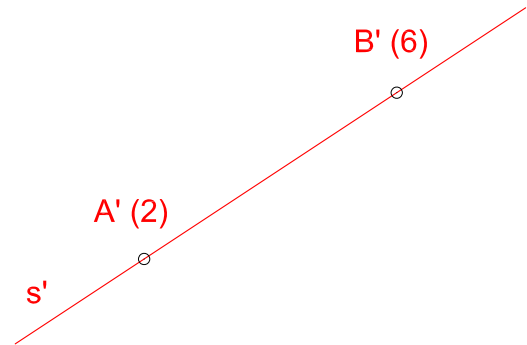
Escala gráfica: 1/100.



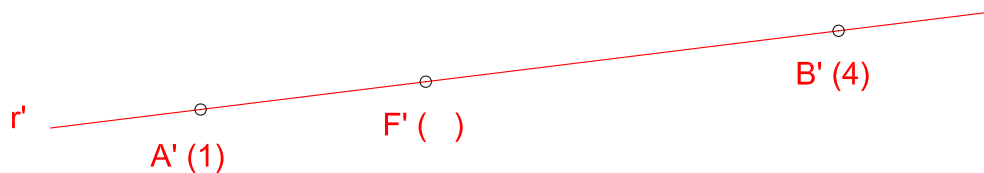
6) Representar $(E) \in (s)$, sabendo-se que (E) tem cota 4,7 m.

7) Determinar o ângulo de inclinação, o intervalo e a declividade de (s) .

Escala gráfica: 1/100.

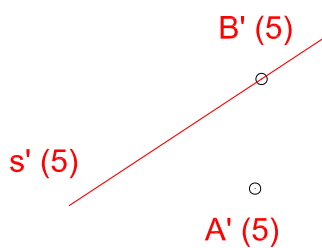


8) Determinar a cota de $(F) \in (r)$. Unidade gráfica: 0,01 m.



9) 10) 11) Fazer a leitura simbólica da posição das retas em relação a π e da pertinência dos pontos às retas representadas. Escala gráfica: 1/100.

9)



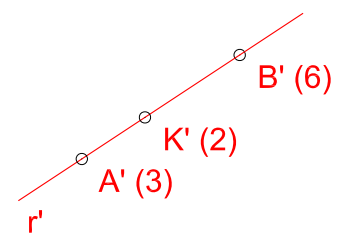
10)

$t' \equiv R' (5)$



$U' (8)$

11) $(A) \in (r)$
 $(B) \in (r)$



12) Representar (m), sabendo-se que o ângulo de inclinação de (m) é de 60° .
Unidade gráfica: 0,01 m.

13) Representar (s), sabendo-se que o ângulo de inclinação de (s) é de 45° .
Unidade gráfica: 0,03 m.

14) Definir:

a) Escala, Escala numérica, escala gráfica e unidade de escala.

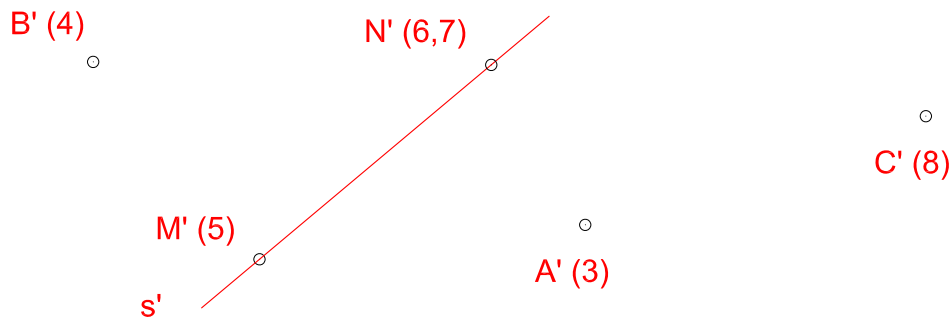
b) Distância horizontal, distância vertical e distância objetiva entre dois pontos.

c) Cota de um ponto.

d) Ângulo de inclinação, declividade e intervalo de uma reta.

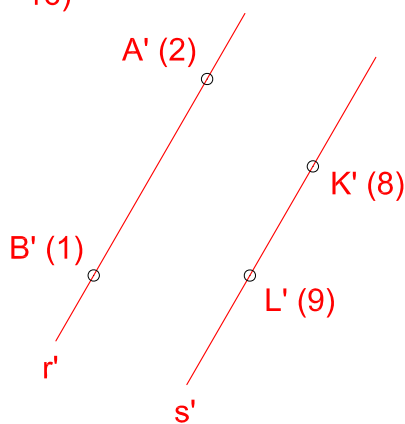
- 15) Representar: a) $(s1) \parallel (s)$, sabendo-se que $(A) \in (s1)$;
 b) $(r) \perp (s)$, sabendo-se que $(B) \in (r)$;
 c) $(t) \perp (s)$, sabendo-se que $(C) \in (t)$.

Escala: 1/100



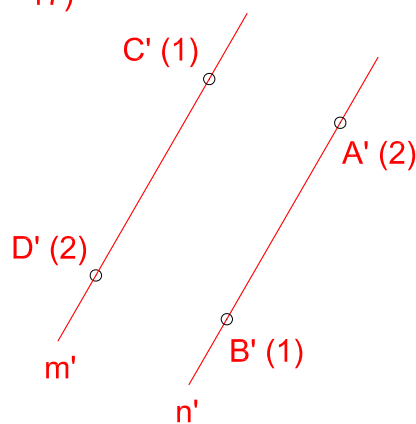
Verificar nas questões 16 à 24 as posições relativas das retas representadas.
 Escala: 1/50.

16)



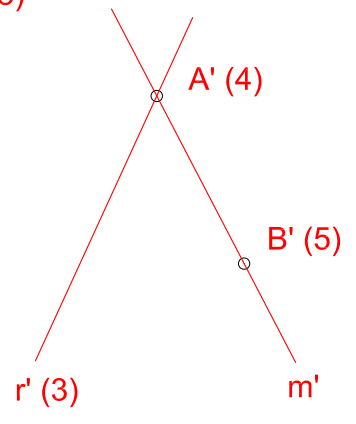
(r) (s)

17)



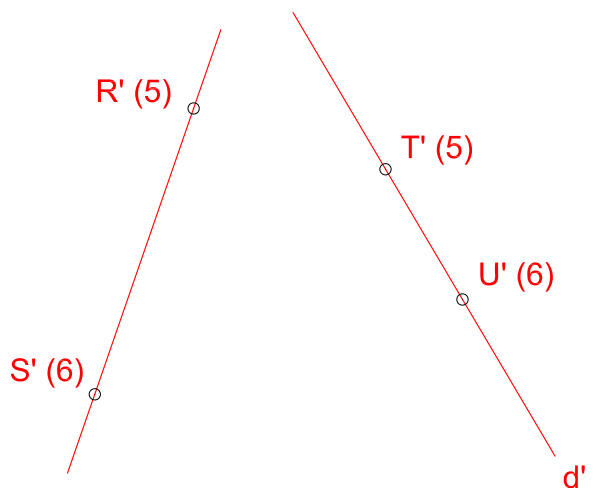
(m) (n)

18)



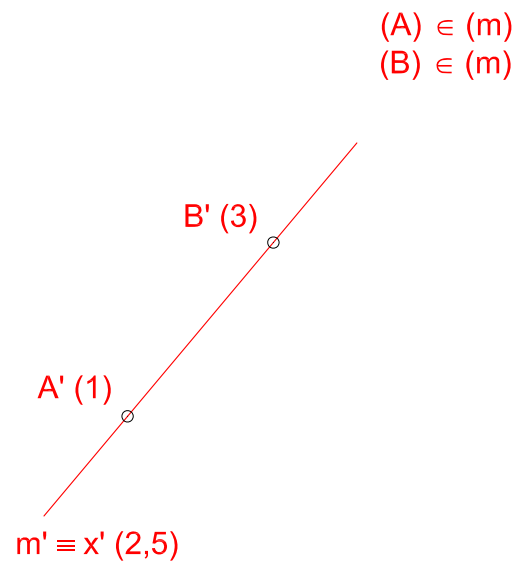
(m) (r)

19)



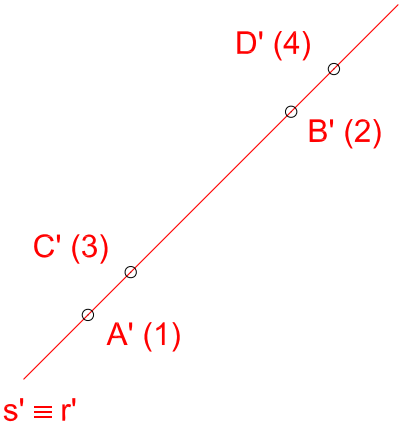
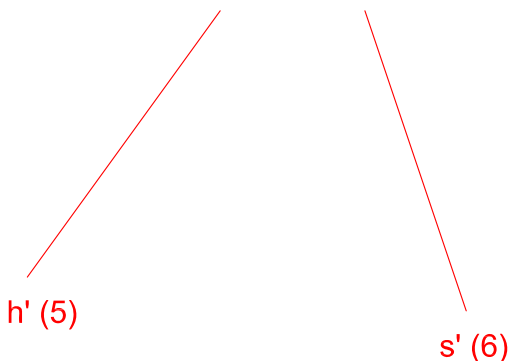
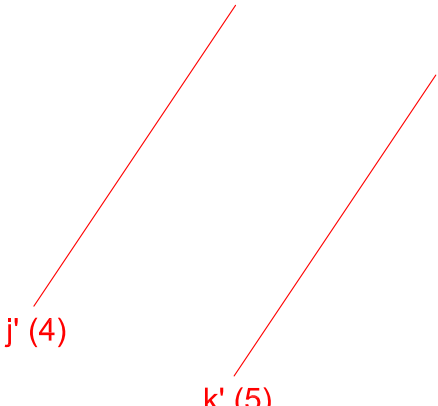
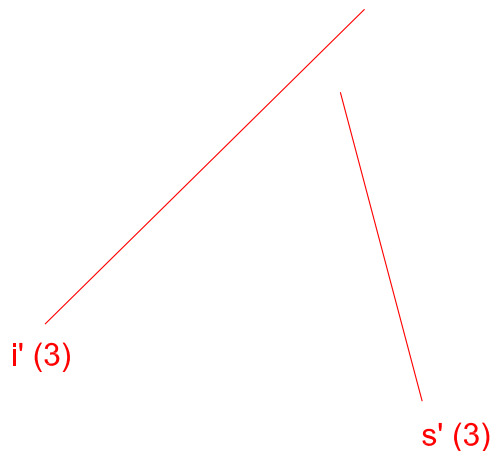
(c) (d)

20)

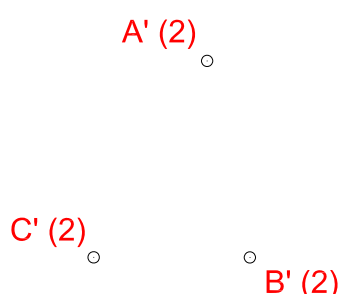
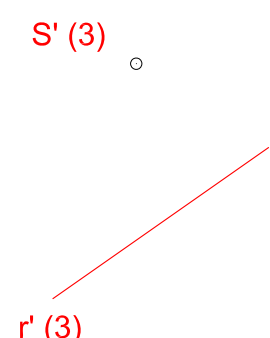
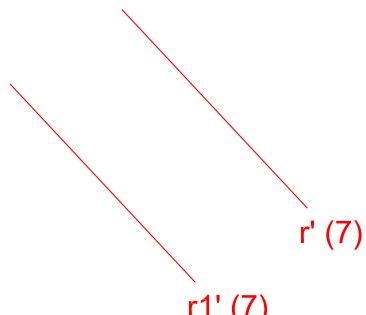


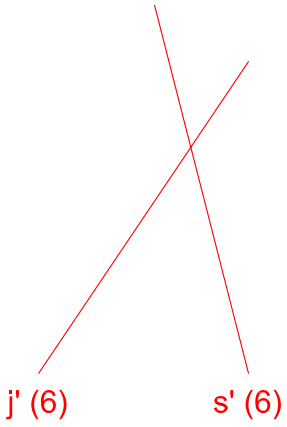
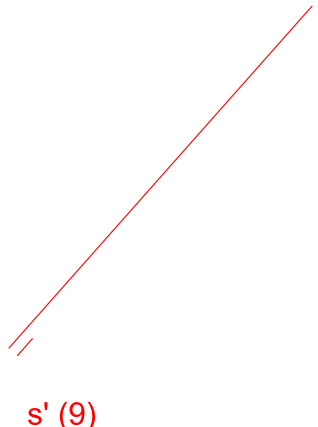
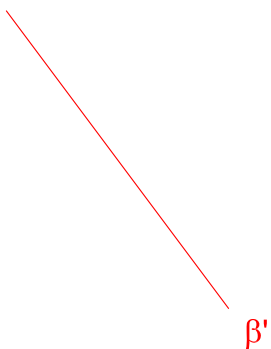
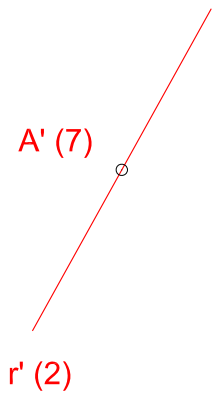
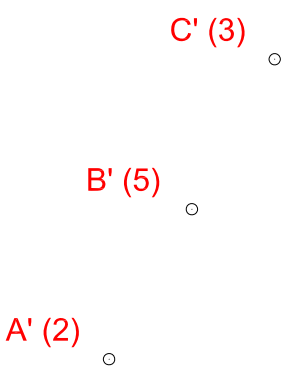
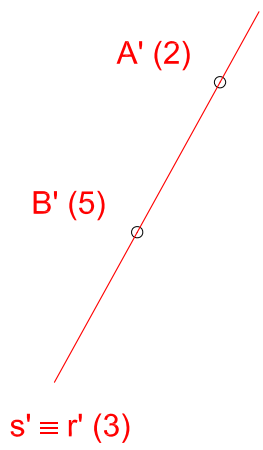
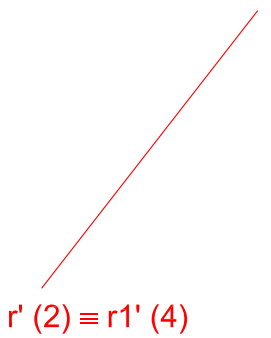
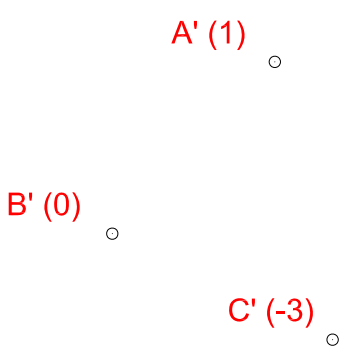
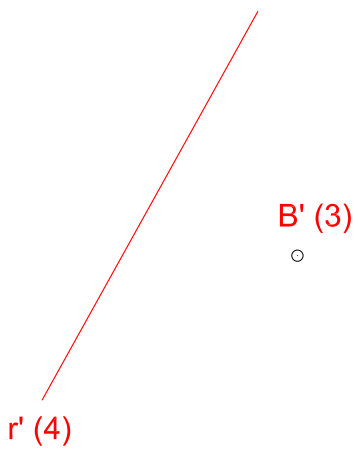
(A) ∈ (m)
(B) ∈ (m)

(x) (m)

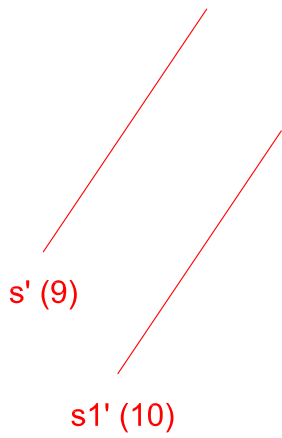
<p>21)</p> <div style="text-align: right; margin-bottom: 10px;"> (A) ∈ (s) (B) ∈ (s) (C) ∈ (r) (D) ∈ (r) </div>  <div style="text-align: right; margin-top: 10px;"> (s) (r) </div>	<p>22)</p>  <div style="text-align: right; margin-top: 10px;"> (h) (s) </div>
<p>23)</p>  <div style="text-align: right; margin-top: 10px;"> (j) (k) </div>	<p>24)</p>  <div style="text-align: right; margin-top: 10px;"> (s) (i) </div>

Fazer a leitura simbólica da posição dos planos em relação à π nas questões 25 à 42.
Escala: 1/100.

<p>25) $\alpha \equiv$ plano (A ; B ; C)</p>  <div style="text-align: right; margin-top: 10px;"> (α) (π) </div>	<p>26) $\beta \equiv$ plano (r ; S)</p>  <div style="text-align: right; margin-top: 10px;"> (β) (π) </div>	<p>27) $\delta \equiv$ plano (r ; r1)</p>  <div style="text-align: right; margin-top: 10px;"> (δ) (π) </div>
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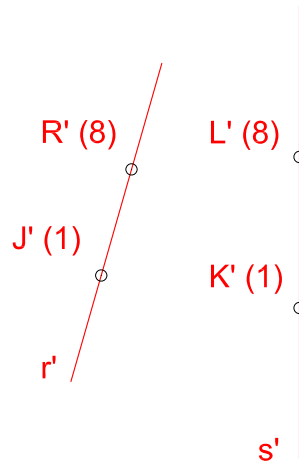
<p>28) $\gamma \equiv \text{plano} (j; s)$</p>  <p style="text-align: center;">$(\gamma) (\pi)$</p>	<p>29) $\alpha \equiv \text{plano} (s)$</p>  <p style="text-align: center;">$(\alpha) (\pi)$</p>	<p>30)</p>  <p style="text-align: center;">$(\beta) (\pi)$</p>
<p>31) $\lambda \equiv \text{plano} (A; r)$</p>  <p style="text-align: center;">$(\lambda) (\pi)$</p>	<p>32) $\omega \equiv \text{plano} (A; B; C)$</p>  <p style="text-align: center;">$(\omega) (\pi)$</p>	<p>33) $\delta \equiv \text{plano} (r; s)$</p>  <p style="text-align: center;">$(\delta) (\pi)$</p>
<p>34) $\gamma \equiv \text{plano} (r; r1)$</p>  <p style="text-align: center;">$(\gamma) (\pi)$</p>	<p>35) $\alpha \equiv \text{plano} (A; B; C)$</p>  <p style="text-align: center;">$(\alpha) (\pi)$</p>	<p>36) $\beta \equiv \text{plano} (r; B)$</p>  <p style="text-align: center;">$(\beta) (\pi)$</p>

37) $\delta \equiv \text{plano } (s; s1)$



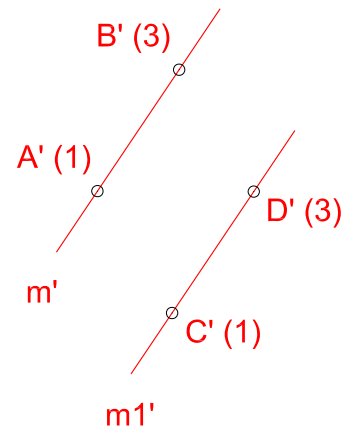
$(\delta) (\pi)$

38) $\gamma \equiv \text{plano } (r; s)$



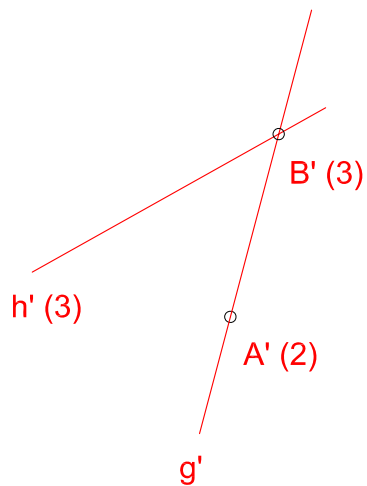
$(\gamma) (\pi)$

39) $\omega \equiv \text{plano } (m; m1)$



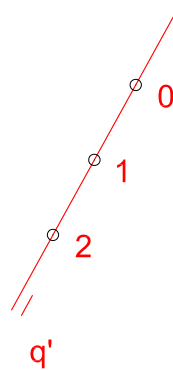
$(\omega) (\pi)$

40) $\tau \equiv \text{plano } (g; h)$



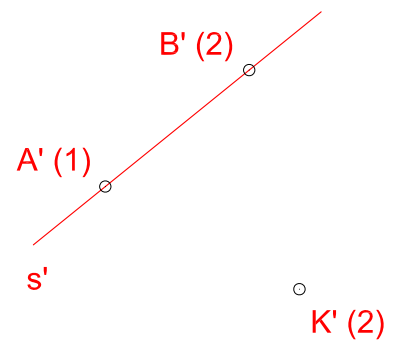
$(\tau) (\pi)$

41) $\alpha \equiv \text{plano } (q)$



$(\alpha) (\pi)$

42) $\beta \equiv \text{plano } (K; s)$



$(\beta) (\pi)$

43) Representar δ , sabendo-se que $p\delta = 0$, e possui cota igual a 5 m.

44) Representar α , sabendo-se que $i\alpha = 0$.

Escala: 1/50

45) Representar β , sabendo-se que $p\beta = 1/3$.

Escala: 1/125

46) Representar γ , sabendo-se que $p\gamma = 25\%$.

Escala: 1/200

47) Dado $\alpha \equiv$ plano (A;B;C):

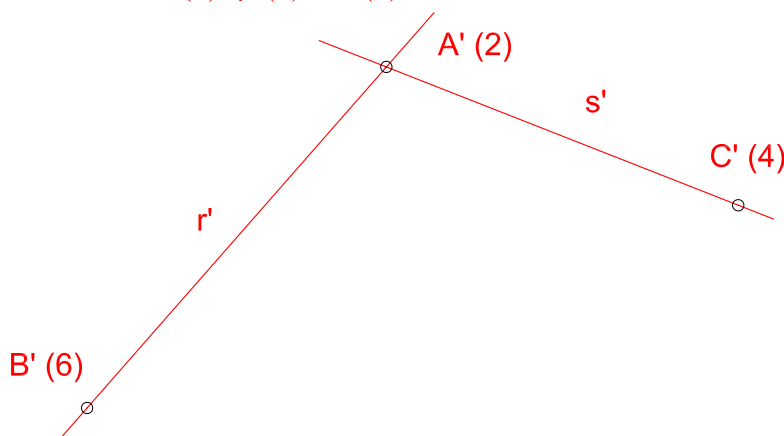
- a) representar a escala de declividade (q) de (α);
- b) determinar θ (α), p (α) e i (α).

θ (α) =
 p (α) =
 i (α) =

Unidade gráfica: 0,005 m

48) Dado $\delta \equiv$ plano (r;s):

- a) representar a escala de declividade (q) de (δ);
- b) determinar θ (δ), p (δ) e i (δ).

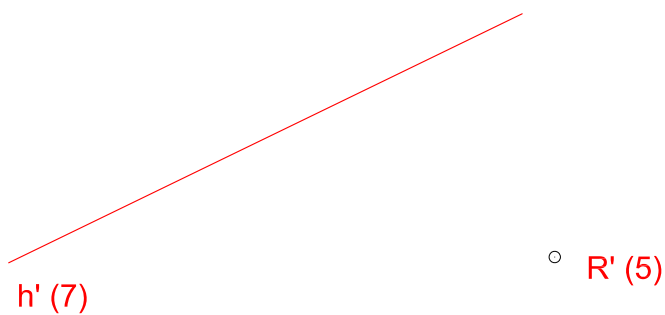


θ (δ) =
 p (δ) =
 i (δ) =

Escala: 1/50

49) Dado $\beta \equiv$ plano (R;h):

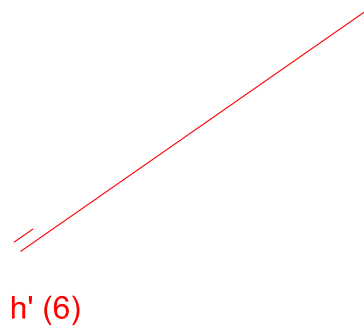
- a) representar a escala de declividade (q) de (β);
- b) determinar θ (β), p (β) e i (β).



θ (β) =
 p (β) =
 i (β) =

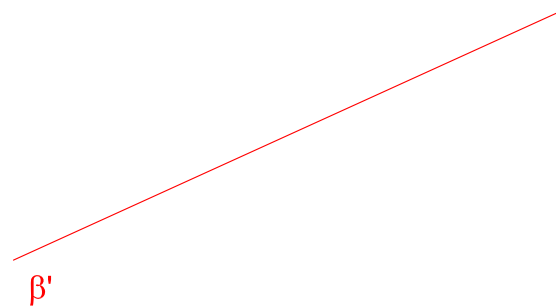


- 50) Dado $\alpha \equiv$ plano (h):
 a) representar $(A) \in (\alpha)$;
 b) $(s) \subset (\alpha)$.



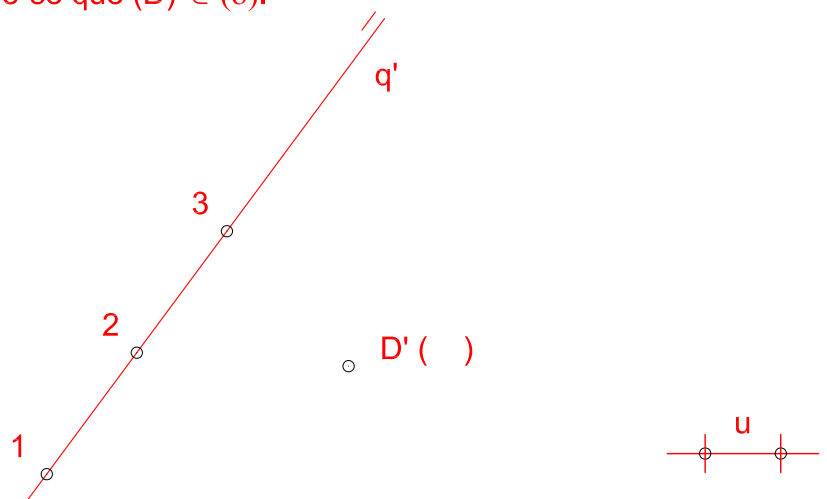
Unidade gráfica: 0,01 m

- 51) Representar:
 a) $(B) \in (\beta)$, sabendo-se que (B) possui cota -8 m;
 b) $(r) \in (\beta)$, sabendo-se que (r) possui cota 3 m;
 c) $(s) \in (\beta)$, sabendo-se que $i(s) = 1/2$;
 d) $(t) \in (\beta)$, sabendo-se que $(t) \perp (\pi)$.

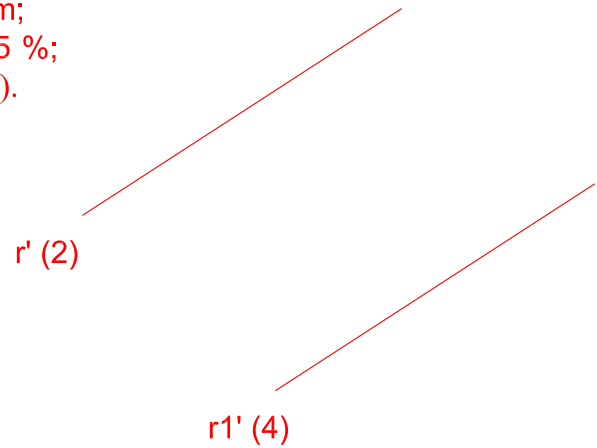


Unidade gráfica: 2 cm

- 52) Dado $\delta \equiv$ plano (q):
 a) representar $(C) \in (\delta)$, sabendo-se que (C) possui cota 3,5 m e que $(C) \notin (q)$;
 b) ler a cota de (D) , sabendo-se que $(D) \in (\delta)$.



- 53) Dado $\alpha \equiv \text{plano } (r ; r1)$, representar;
- a) $(s) \in (\alpha)$, sabendo-se que (s) possui cota 2,7;
 - b) $(x) \in (\alpha)$, sabendo-se que $i(x) = 3 \text{ m}$;
 - c) $(u) \in (\alpha)$, sabendo-se que $p(u) = 25 \%$;
 - d) $(t) \in (\alpha)$, sabendo-se que $i(t) = i(\alpha)$.

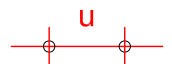
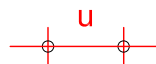
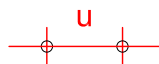


Escala: 1/100

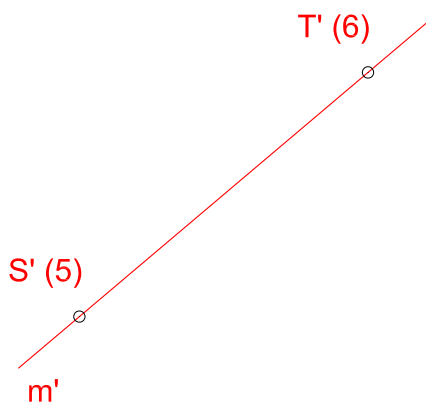
54) Representar (α) , sabendo-se que o ângulo de inclinação de (α) é 30° .

55) Representar (β) , sabendo-se que o ângulo de inclinação de (β) é 75° .

56) Representar (γ) , sabendo-se que o ângulo de inclinação de (γ) é 45° .

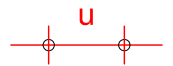


57) Representar (δ) , sabendo-se que $(m) \in (\delta)$ e que $p(\delta) = 1/4$.



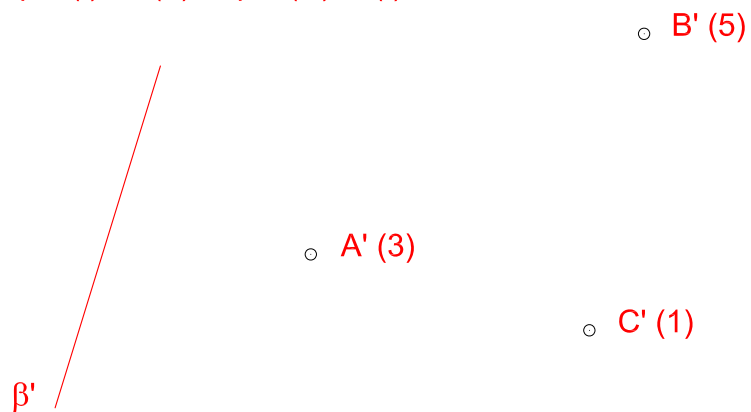
Escala: 1/200

58) Dado $\alpha \equiv$ plano (h), representar $(r) \perp (\alpha)$, sabendo-se que $(A) \in (r)$.



59) Representar:

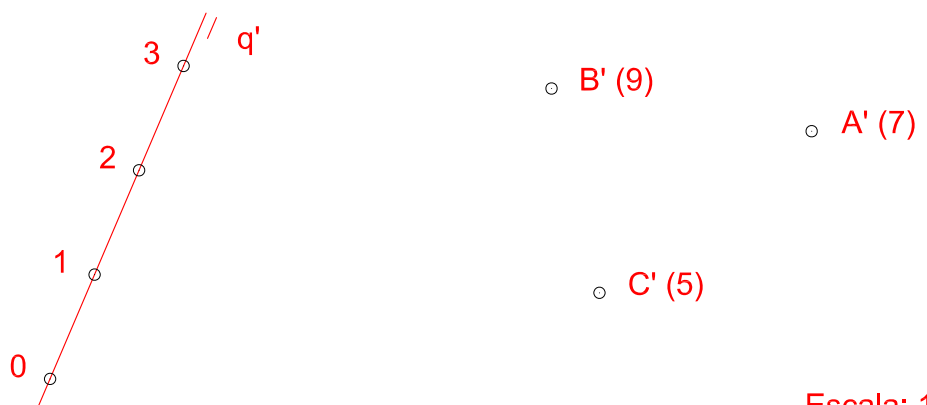
- a) $(r) // \beta$, sabendo-se que $(A) \in (r)$ e que $p(r) = 0$;
- b) $(s) // \beta$, sabendo-se que $(B) \in (s)$ e que $i(s) = 3$;
- c) $(t) // \beta$, sabendo-se que $(t) \perp (\pi)$ e que $(C) \in (t)$.



Escala: 1/100

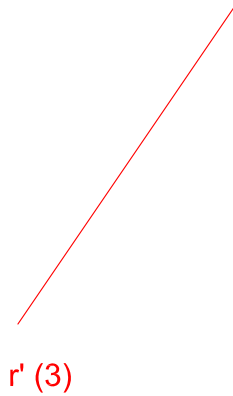
60) Dado $\delta \equiv$ plano (q), representar:

- a) $(r) // \delta$, sabendo-se $p(r) = 1/3$ e que $(A) \in (r)$;
- b) $(s) // \delta$, sabendo-se que $(B) \in (s)$ e que $(s) // (\pi)$;
- c) $(t) // \delta$, sabendo-se que $(t) \perp (\pi)$;
- d) $(u) // \delta$, sabendo-se que $(C) \in (u)$ e que $p(\delta) = p(u)$.



Escala: 1/100

61) Representar $(\alpha) // (r)$.



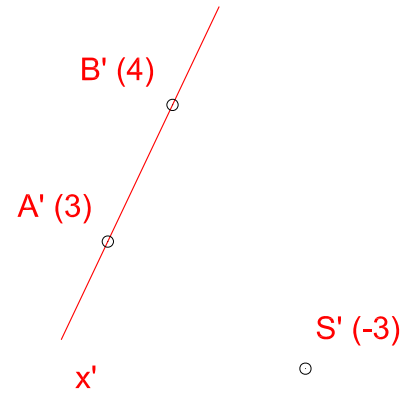
Escala: 1/100

62) Representar $(\beta) // (s)$, sabendo-se que $(R) \in (\beta)$.



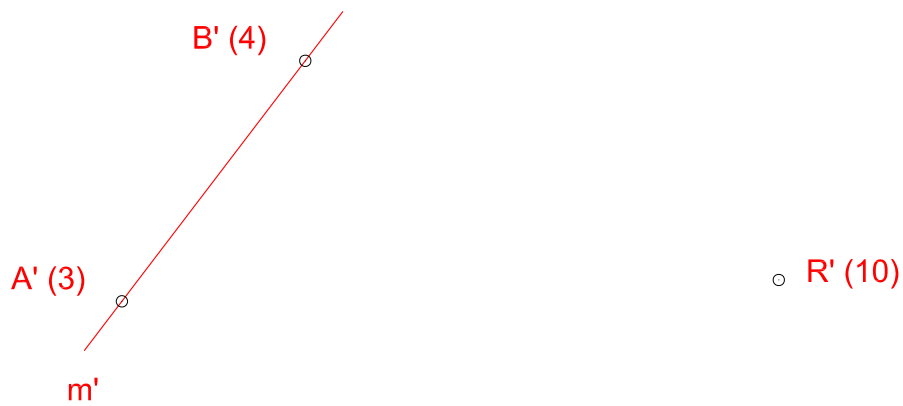
Escala: 1/100

63) Representar $(\gamma) // (x)$, sabendo-se que $(\gamma) \perp (\pi)$ e $(S) \in (\gamma)$.



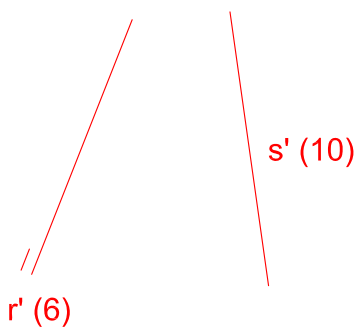
Escala: 1/100

59) Representar $(\delta) // (m)$, sabendo-se que $p(\delta) = 1/2$ e que $(R) \in (\delta)$.



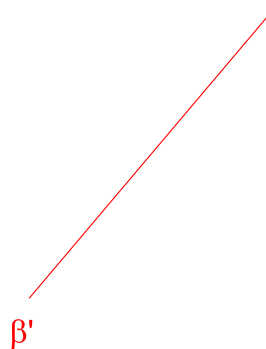
Escala: 1/100

65) Representar $\alpha_1 // \alpha$, sabendo-se que $(s) \in \alpha_1$.



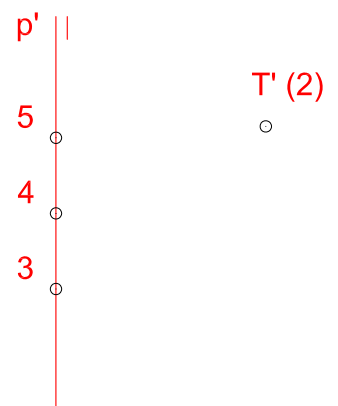
Escala: 1/100

66) Representar $\beta_1 // \beta$.



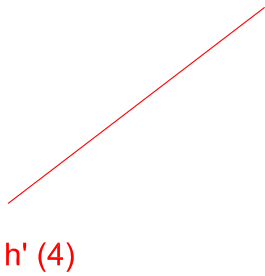
Escala: 1/125

67) Representar $\delta_1 // \delta$, sabendo-se que $(T) \in \delta_1$.



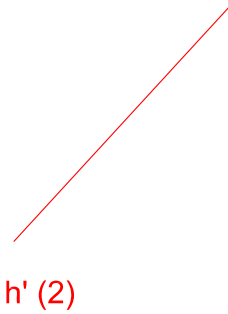
Escala: 1/50

68) Representar:
 a) $(s) \perp (h)$, sabendo-se que $(s) \parallel (\pi)$;
 b) $(x) \perp (h)$, sabendo-se que $(x) \parallel (\pi)$.



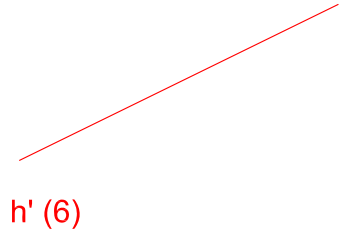
Escala: 1/100

69) Representar:
 a) $(t) \perp (h)$, sabendo-se que $p (t) = 1/5$;
 b) $(u) \perp (h)$, sabendo-se que $i (u) = 3$.



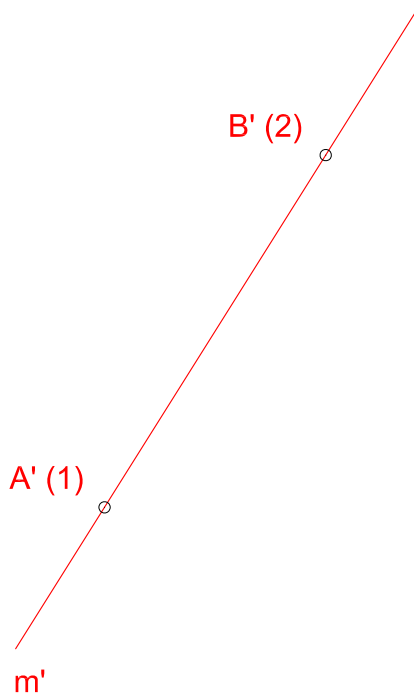
Escala: 1/125

70) Representar:
 a) $(v) \perp (h)$, sabendo-se que $i (v) = 0$;
 b) $(t) \perp (h)$, sabendo-se que $i (t) = 0$.

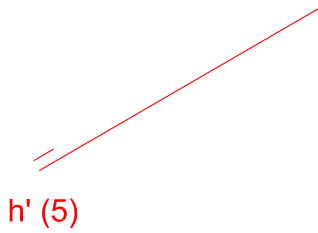


Escala: 1/50

71) Representar:
 a) $(s) \perp (m)$, sabendo-se que $(s) \perp (\pi)$;
 b) $(x) \perp (h)$, sabendo-se que $(x) \perp (\pi)$.

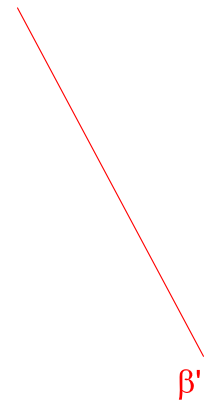


72) Dado $(\alpha) \equiv \text{plano } (h)$, representar $(s) \perp (\alpha)$.



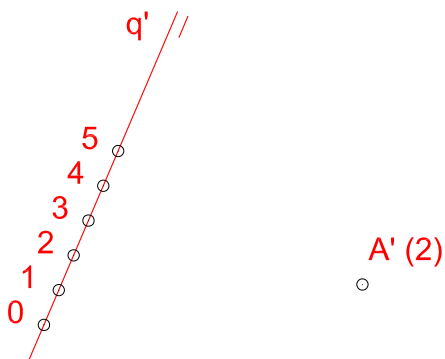
Escala: 1/100

73) Representar $(m) \perp (\beta)$.



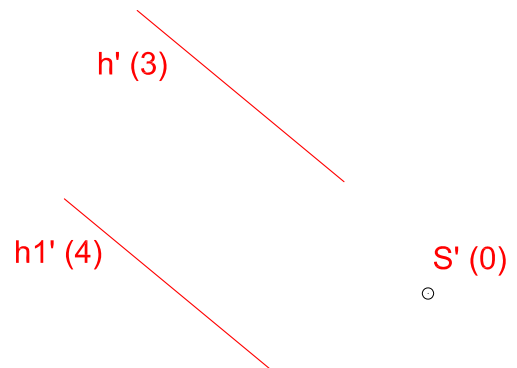
Escala: 1/50

74) Dado $(\alpha) \equiv \text{plano } (q)$, representar $(m) \perp (\alpha)$, sabendo-se que $(A) \in (m)$.



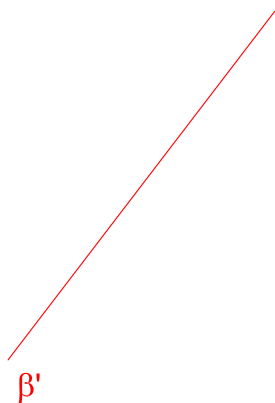
Unidade gráfica: 0,01 m

75) Dado $(\delta) \equiv \text{plano } (h; h1)$, representar $(n) \perp (\delta)$, sabendo-se que $(S) \in (n)$.



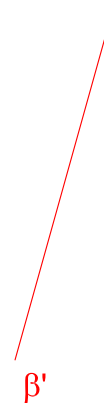
Escala: 1/100

76) Representar $(\alpha) \perp (\beta)$, sendo $(\alpha) \perp (\pi)$.



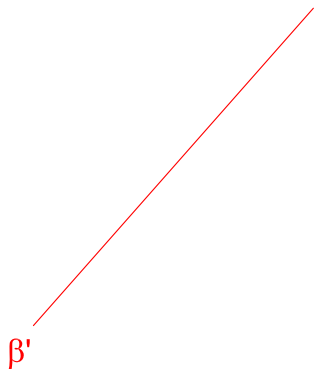
Escala: 1/100

77) Representar $(\delta) \perp (\beta)$, sendo $(\delta) \parallel (\pi)$.



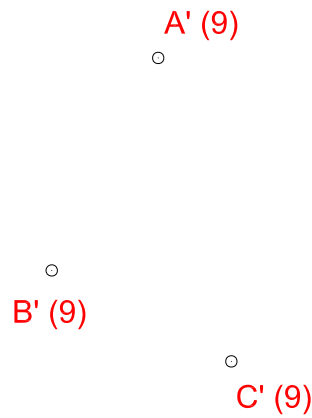
Escala: 1/200

78) Representar $(\gamma) \perp (\beta)$, sendo $(\gamma) \perp (\pi)$.



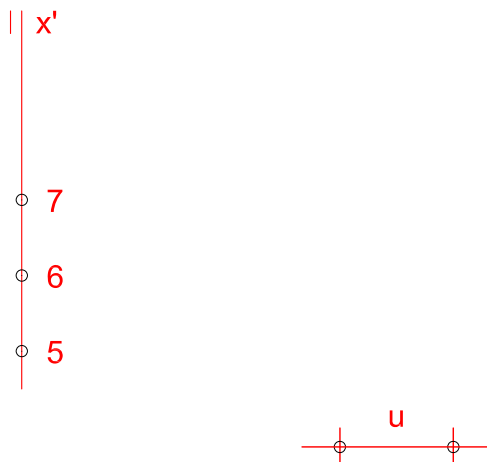
Escala: 1/100

79) Dado $(\alpha) \equiv$ plano (A; B; C),
representar $(\beta) \perp (\alpha)$.

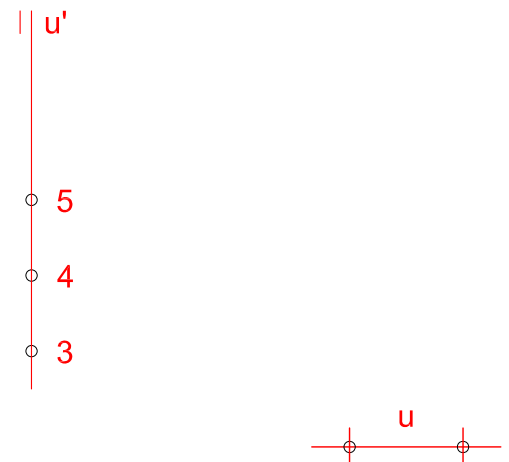


Escala: 1/100

80) Dado $(\alpha) \equiv$ plano (x), representar
 $(\delta) \perp (\alpha)$, sabendo-se que $p(\delta) = 1$.

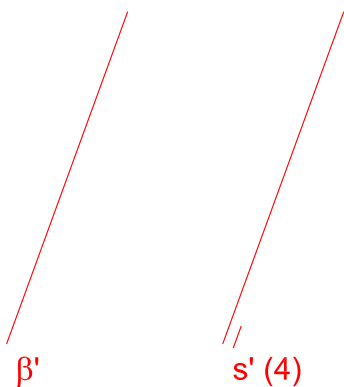


81) Dado $(\gamma) \equiv$ plano (u), representar
 $(\gamma) \perp (\delta)$, sabendo-se que $(\delta) \perp (\pi)$.

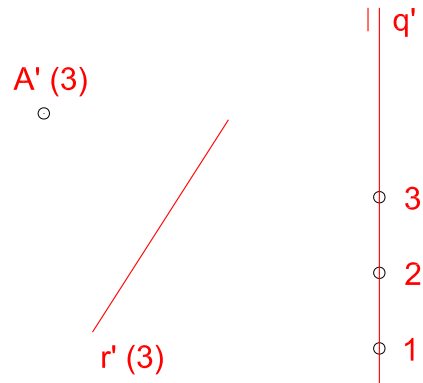


82 a 91) Determinar a reta de intersecção (i) entre os planos dados. $(i) \equiv (\alpha) \cap (\beta)$.
Unidade gráfica: 0,01 m.

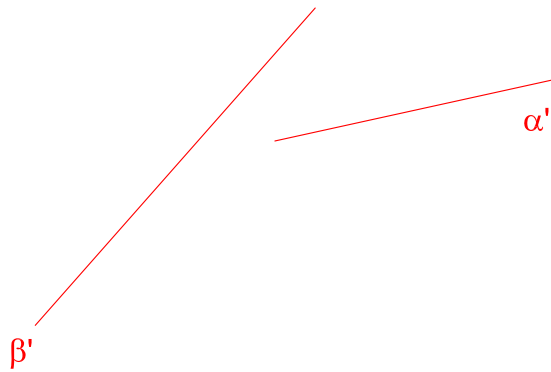
82) $(\alpha) \equiv$ plano (s)



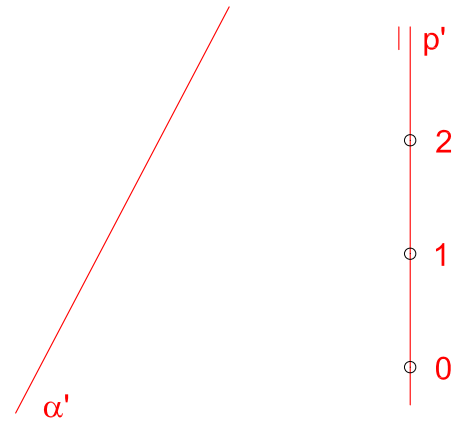
83) $(\alpha) \equiv$ plano (A; r) e $(\beta) \equiv$ plano (q)



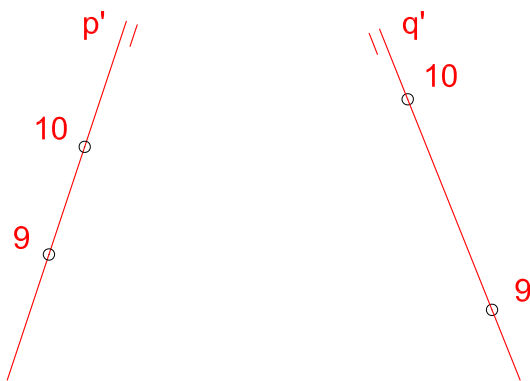
84)



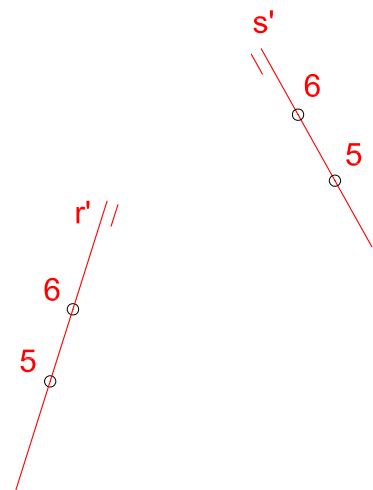
85) $(\alpha) \equiv$ plano (p)



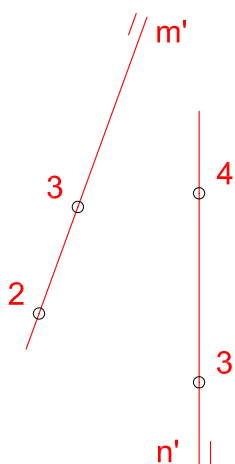
86) $(\alpha) \equiv$ plano (p) e $(\beta) \equiv$ plano (q)



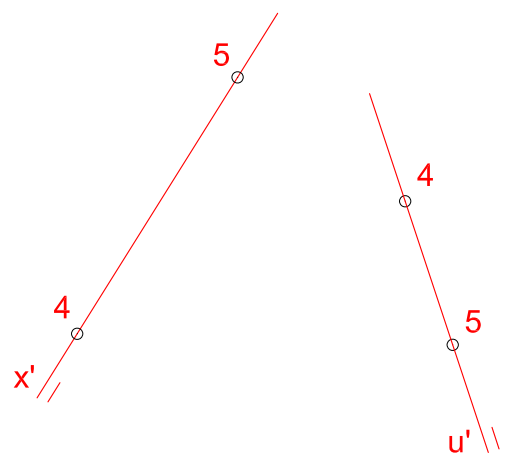
87) $(\alpha) \equiv$ plano (r) e $(\beta) \equiv$ plano (s)



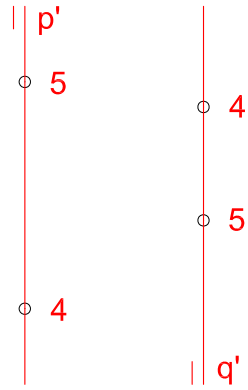
88) $(\alpha) \equiv$ plano (m) e $(\beta) \equiv$ plano (n)



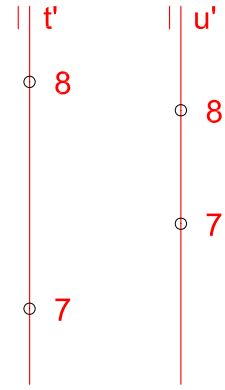
89) $(\alpha) \equiv$ plano (x) e $(\beta) \equiv$ plano (u)



90) $(\alpha) \equiv$ plano (p) e $(\beta) \equiv$ plano (q)

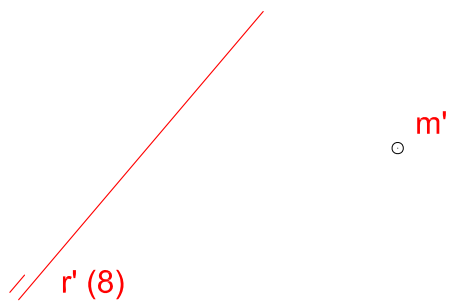


91) $(\alpha) \equiv$ plano (t) e $(\beta) \equiv$ plano (u)

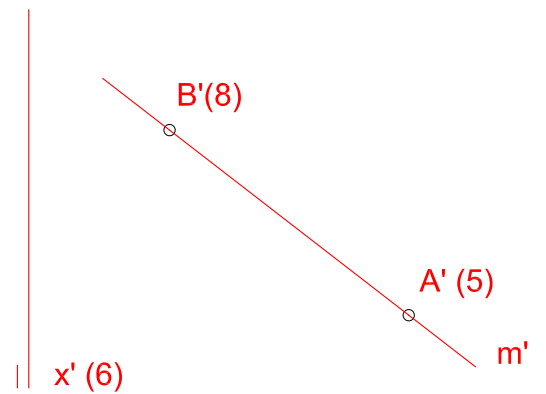


92 a 99) Determinar o traço (T) da reta (m) com o plano (α) . $(T) \equiv (m) \cap (\alpha)$.
Escala: 1/100

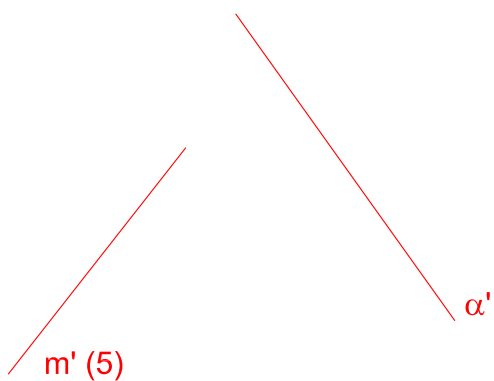
92) $(\alpha) \equiv$ plano (r)



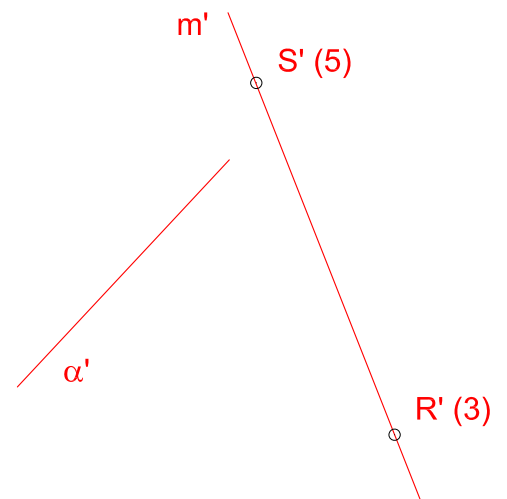
93) $(\alpha) \equiv$ plano (x)



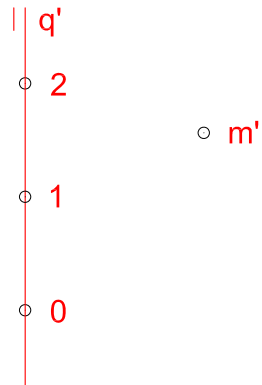
94)



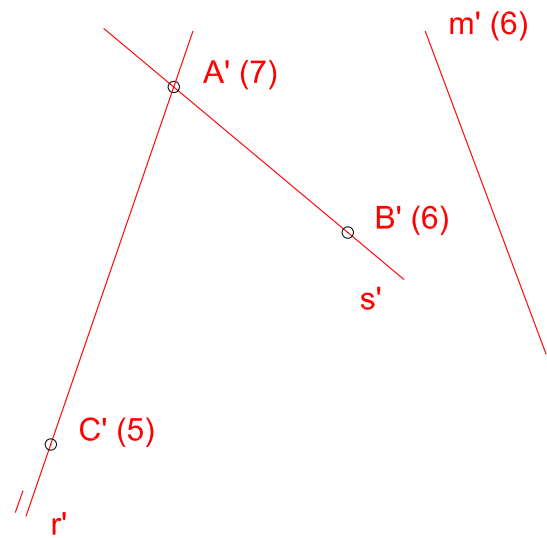
95)



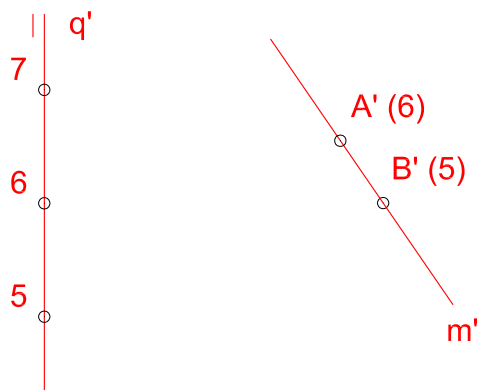
96) $(\alpha) \equiv \text{plano } (q)$



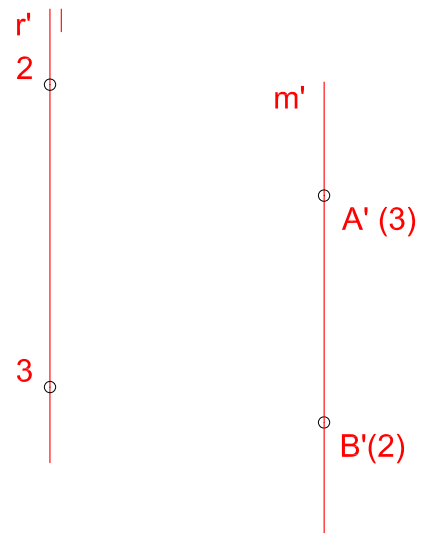
97) $(\alpha) \equiv \text{plano } (r; s)$



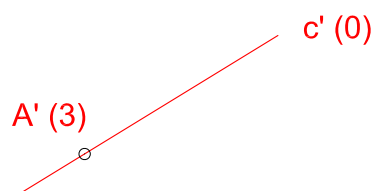
98) $(\alpha) \equiv \text{plano } (q)$



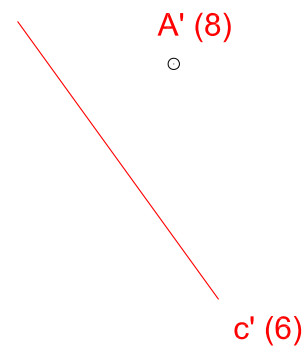
99) $(\alpha) \equiv \text{plano } (r)$



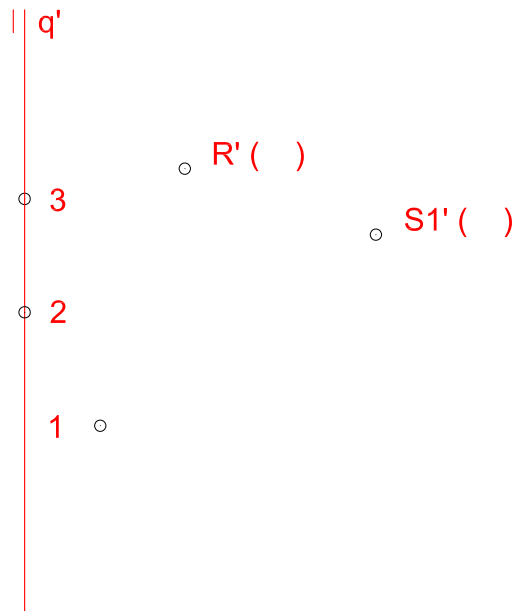
100) Rebater (A), utilizando (c) como charneira. Escala 1/100.



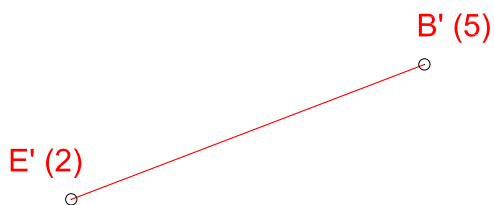
101) Rebater (A), utilizando (c) como charneira. Escala 1/100.



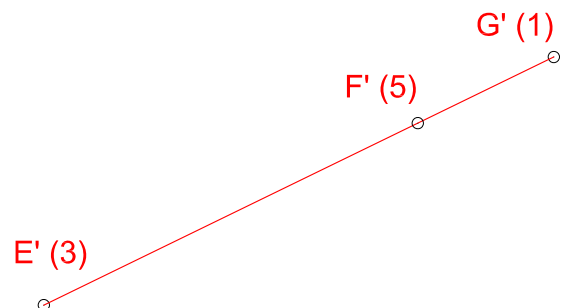
- 102) Dado $(\alpha) \equiv \text{plano } (q)$:
- a) rebater $(R) \in (\alpha)$, sem ler a sua cota;
 - b) alçar $(S1)$ para (α) , sendo $(S1)$ o rebatimento de $(S) \in (\alpha)$.



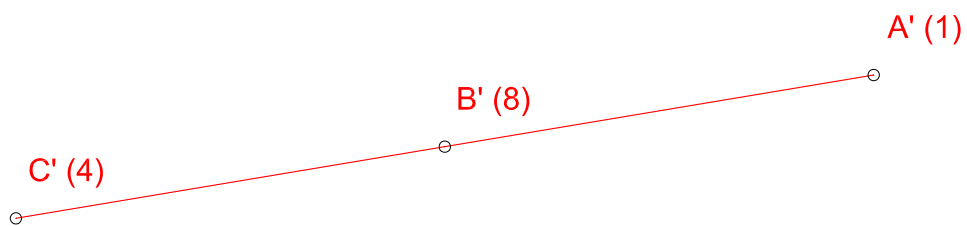
- 103) Determinar a verdadeira grandeza do segmento (\overline{EB}) .
Unidade gráfica: 0,01 m.



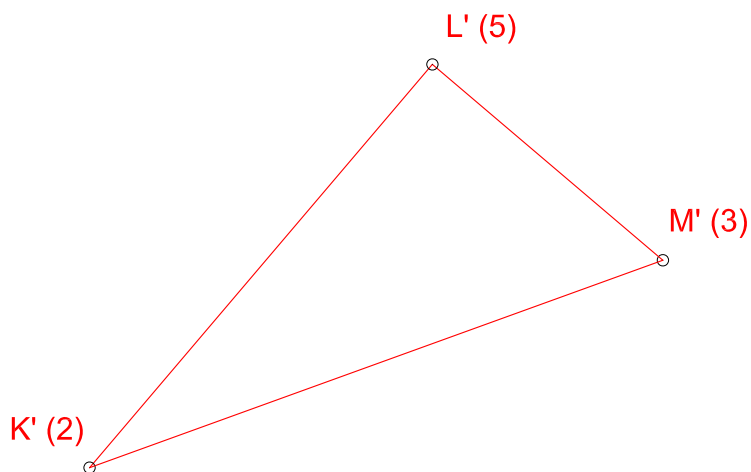
- 104) Determinar a verdadeira grandeza do triângulo $(E)(F)(G)$. Utilizar (π) para plano de rebatimento.
Unidade gráfica: 0,01 m.



105) Determinar a verdadeira grandeza do triângulo (A)(B)(C), rebatendo-o para o plano horizontal de cota três. Escala: 1/100.

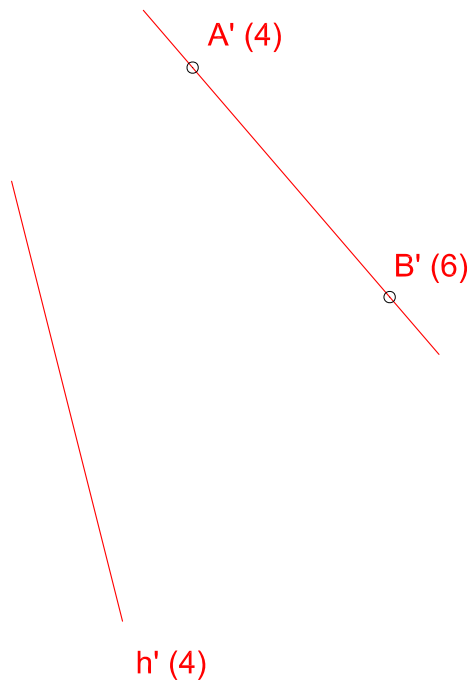


106) Rebater o triângulo (K)(L)(M), para o plano horizontal de cota dois, sem determinar a escala de declividade de seu plano suporte. Unidade gráfica: 0,01 m.

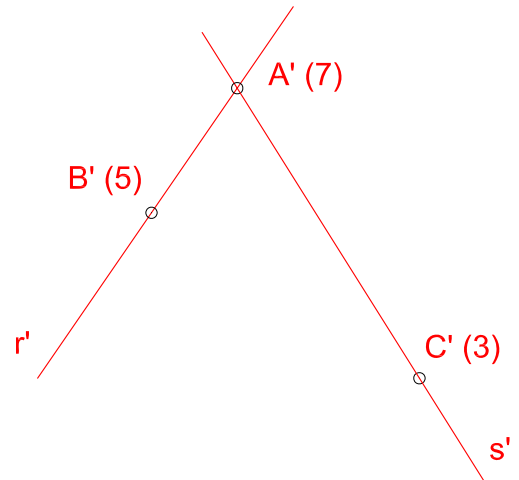


Nas questões 107 a 114 determinar, em verdadeira grandeza, o ângulo formado pelas retas dadas. Escala: 1/100.

107) $(h)^\wedge(s) =$



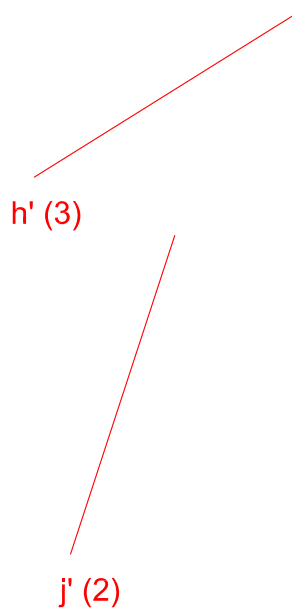
108) $(r)^\wedge(s) =$



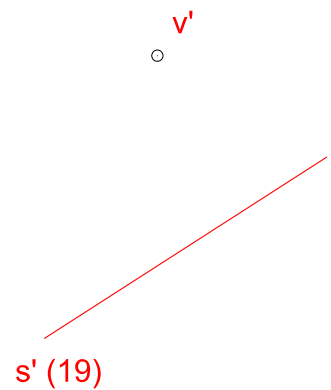
109) $(m)^\wedge(v) =$



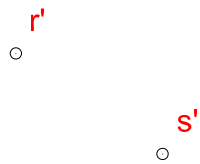
110) $(h)^\wedge(j) =$



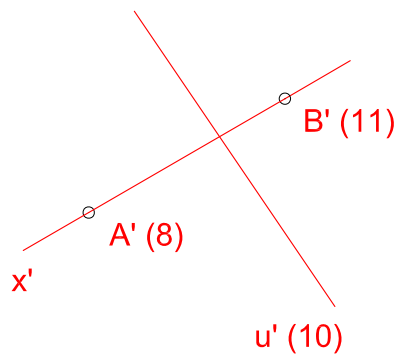
111) $(v)^\wedge(s) =$



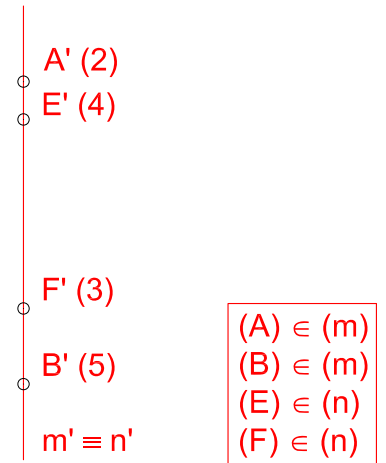
112) $(r) \wedge (s) =$



113) $(x) \wedge (u) =$

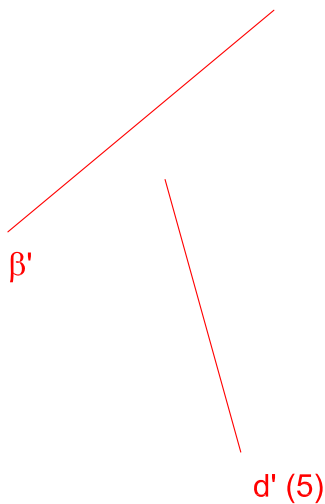


114) $(m) \wedge (n) =$

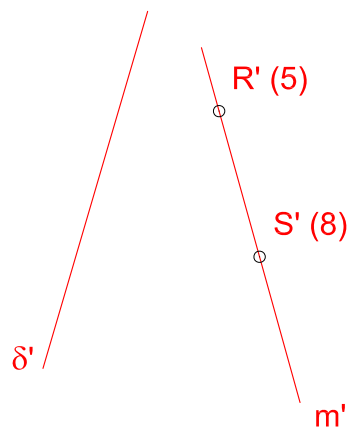


Nas questões 115 a 123 determinar o ângulo formado pelas retas e pelos planos dados.
Escala: 1/100.

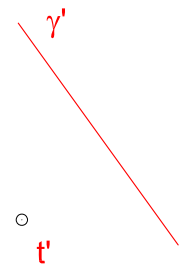
115) $(d) \wedge (\beta) =$



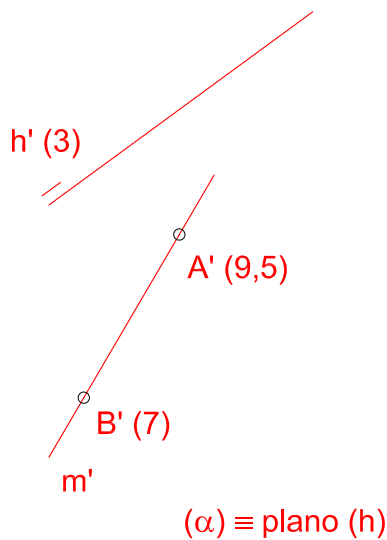
116) $(m) \wedge (\delta) =$



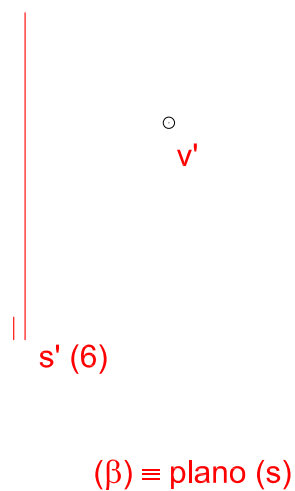
117) $(t) \wedge (\gamma) =$



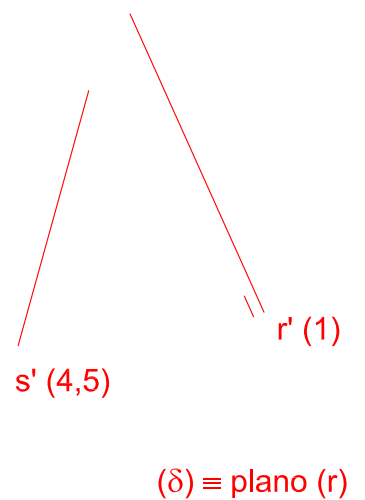
118) $(m) \wedge (\alpha) =$



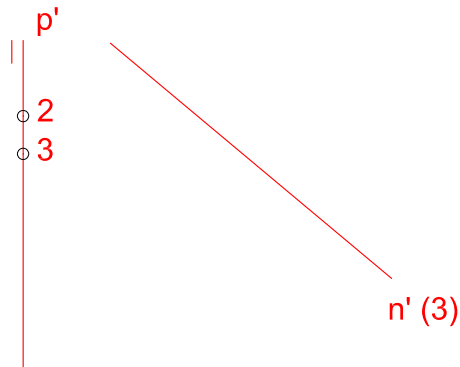
119) $(v) \wedge (\beta) =$



120) $(s) \wedge (\delta) =$

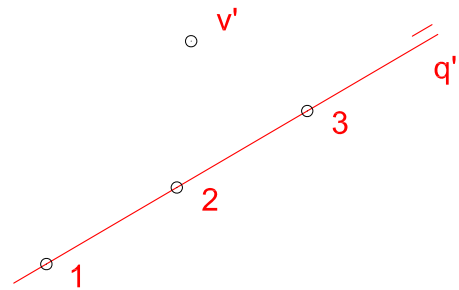


121) $(n)^\wedge(\alpha)=$



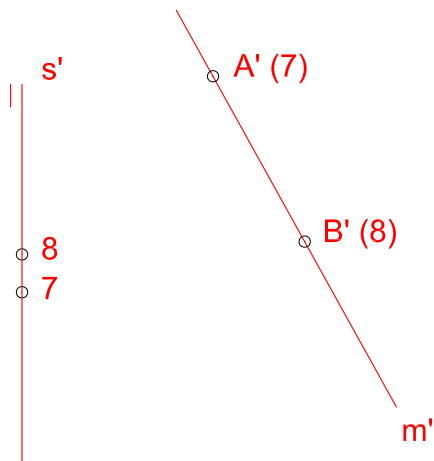
$(\alpha) \equiv \text{plano } (p)$

122) $(v)^\wedge(\beta)=$



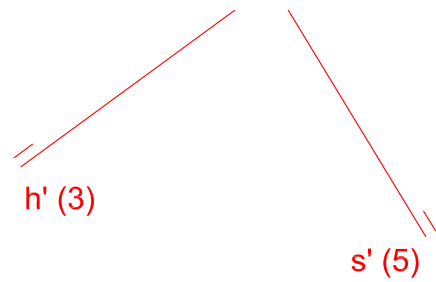
$(\beta) \equiv \text{plano } (q)$

123) $(m)^\wedge(\delta)=$



$(\delta) \equiv \text{plano } (s)$

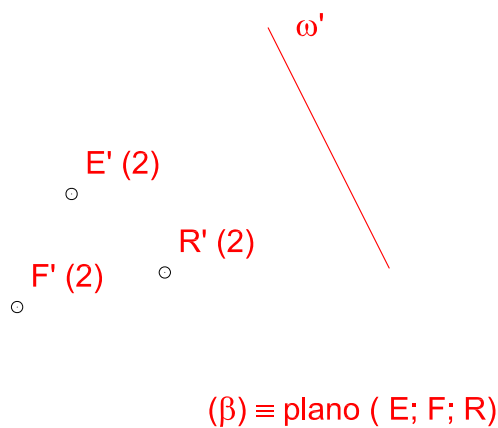
124) $(\gamma)^\wedge(\lambda)=$



$(\gamma) \equiv \text{plano } (s)$
 $(\lambda) \equiv \text{plano } (h)$

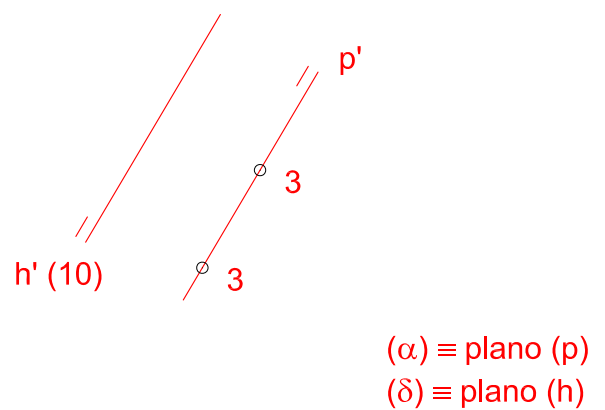
Nas questões 124 a 129 determinar, em verdadeira grandeza, o ângulo formado pelos planos dados. Escala: 1/50.

125) $(\beta)^\wedge(\omega)=$



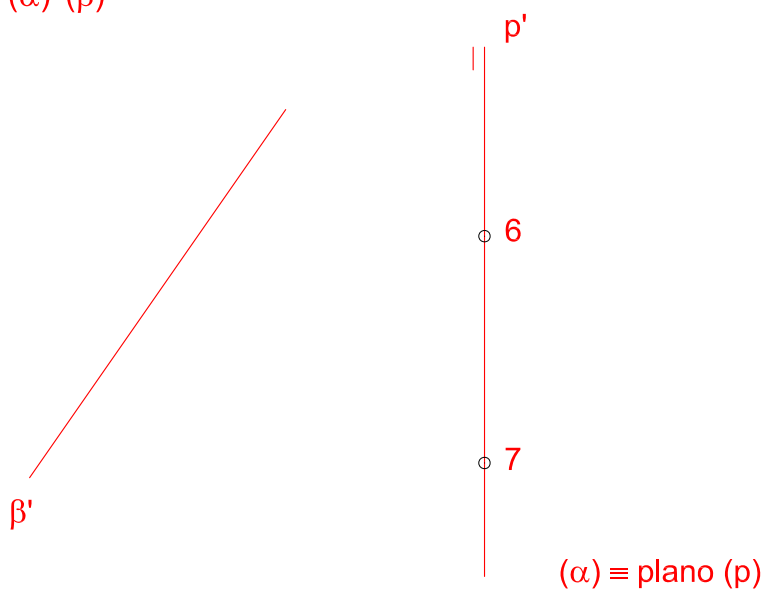
$(\beta) \equiv \text{plano } (E; F; R)$

126) $(\alpha)^\wedge(\delta)=$

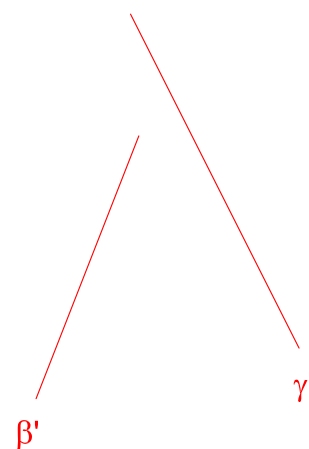


$(\alpha) \equiv \text{plano } (p)$
 $(\delta) \equiv \text{plano } (h)$

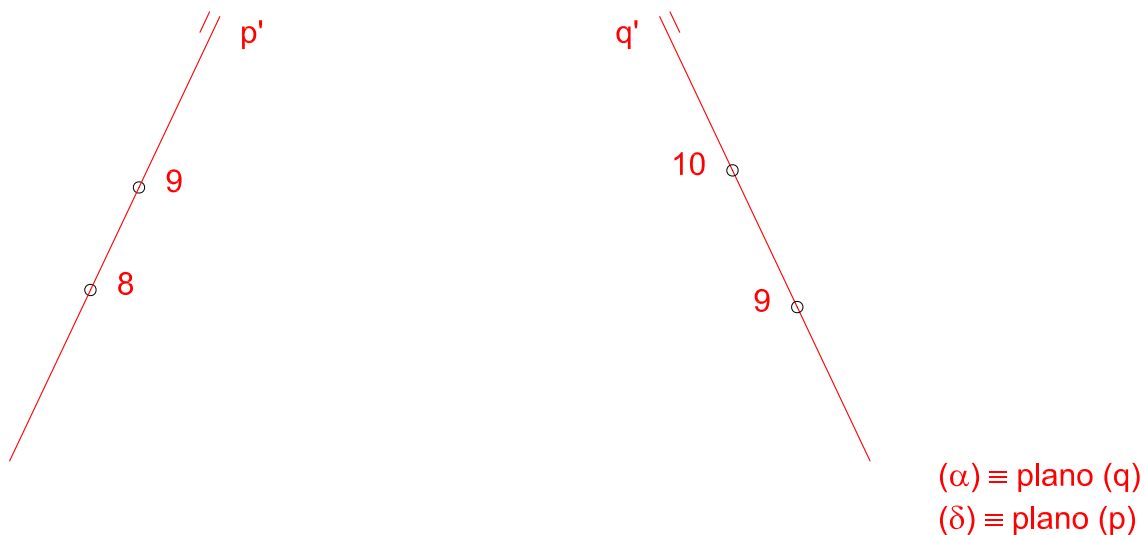
127) $(\alpha)^\wedge(\beta)=$



128) $(\beta)^\wedge(\gamma)=$

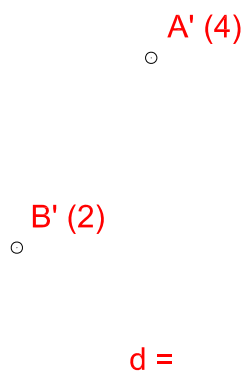


129) $(\alpha)^\wedge(\delta)=$

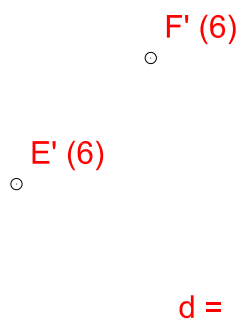


Nas questões 130 a 132 determinar, em verdadeira grandeza, a distância entre os pontos dados. Escala: 1/50.

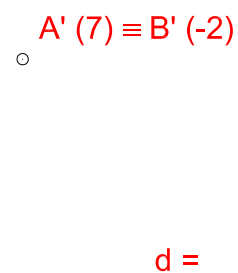
130)



131)

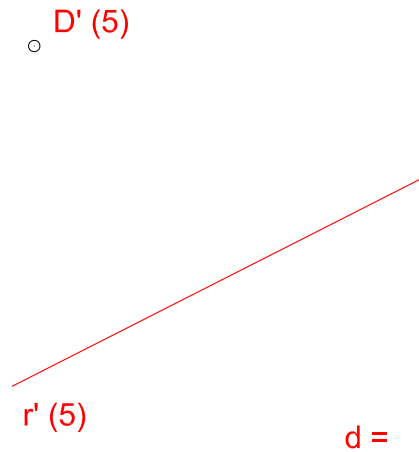


132)

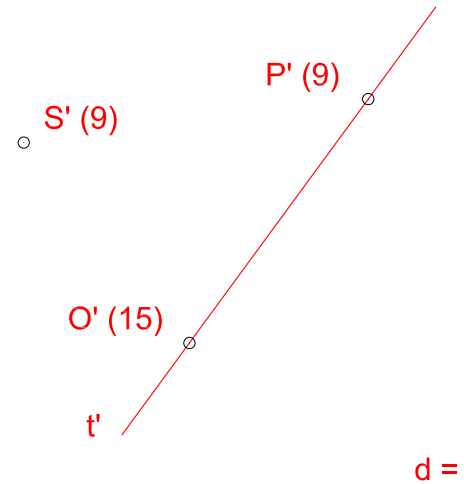


Nas questões 133 a 135 determinar, em verdadeira grandeza, a distância entre o ponto e a reta dada. Escala: 1/200.

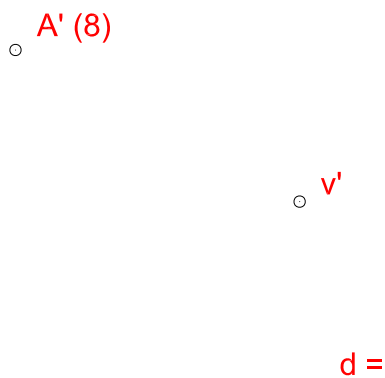
133)



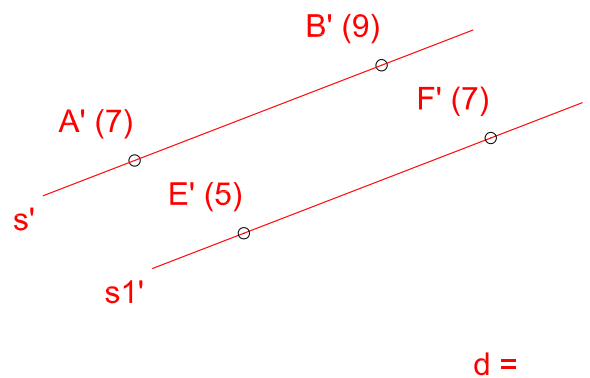
134)



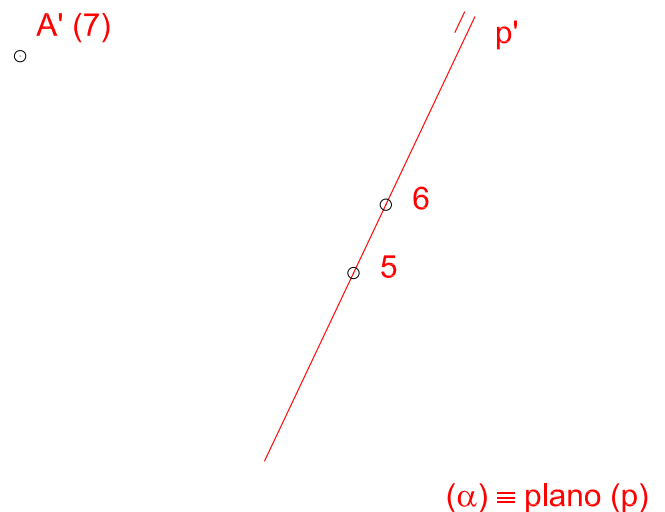
135)



136) Determinar, em verdadeira grandeza, a distância entre as retas dadas. Escala: 1:200

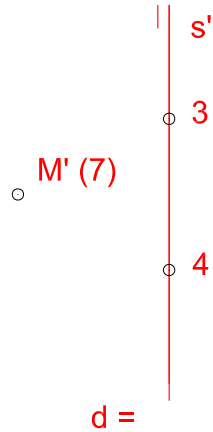


137) Utilizando o processo geral, determinar, em verdadeira grandeza, a distância entre o ponto e o plano dado.

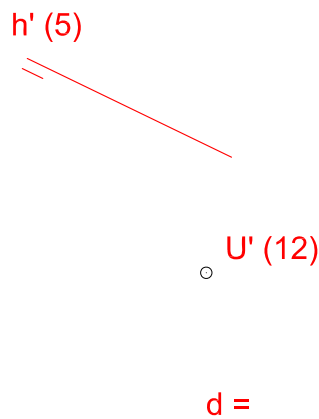


Nas questões 138, 139 e 140 determinar, em verdadeira grandeza, a distância entre os pontos e os planos dados. Escala: 1/100.

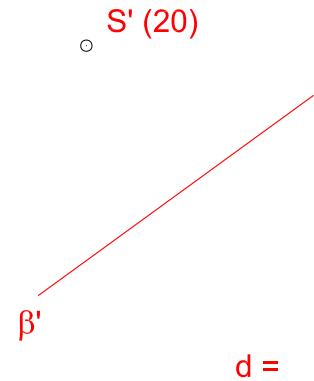
138) $(\alpha) \equiv$ plano (s)



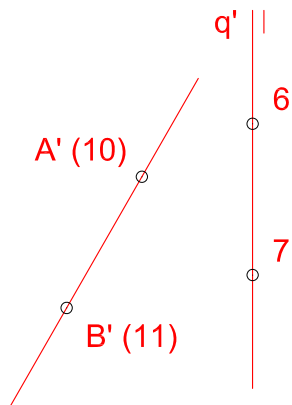
139) $(\gamma) \equiv$ plano (h)



140)

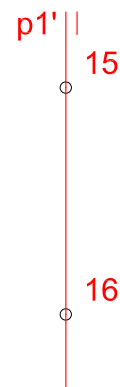
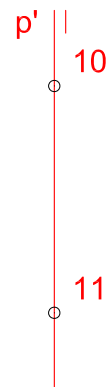


141) Determinar, em V.G., a distância entre (m) e (α) , sabendo-se que $(\alpha) \equiv$ plano (q). Escala: 1/100



$d =$

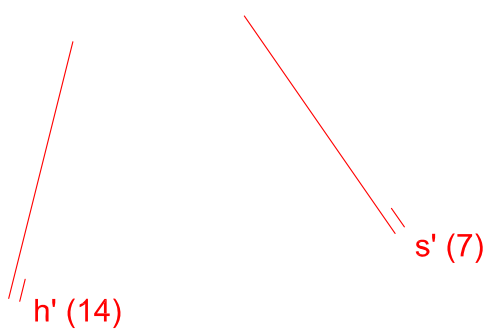
142) $(\alpha) \equiv$ plano (p)
 $(\alpha 1) \equiv$ plano (p1)



$d =$

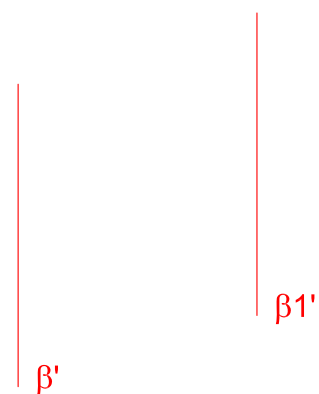
Nas questões 142, 143 e 144 determinar, em verdadeira grandeza, a distância entre os planos dados. Escala: 1/100.

143) $(\delta) \equiv$ plano (s)
 $(\delta 1) \equiv$ plano (h)



$d =$

144)



$d =$

145) Representar o triângulo (A)(B)(C), sabendo-se que as medidas dos seus lados são 4, 6 e 8 m e que seu plano suporte possui cota 5. Escala: 1/125.

146) Representar a circunferência (c), sabendo-se que:

- o raio de (c) é 2,5 m;
 - (O) é o centro de (c);
 - o plano suporte de (c) é de mesma cota que seu centro.
- Escala: 1/20

○
O' (3)

147) Representar o triângulo equilátero (A)(B)(C), sabendo-se que:

- (δ) é seu plano suporte;
- $(A)(B) \parallel (\pi)$ e mede 5 m.

Escala: 1/125.

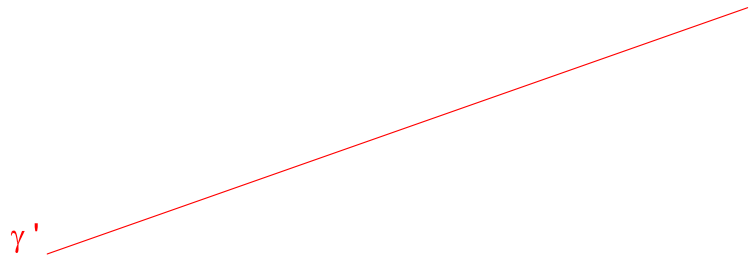


δ'

148) Representar o quadrado (A)(B)(C)(D), sabendo-se que:

- seus lados medem 4 m;
- (γ) é seu plano suporte;
- $(A)(B)$ faz 45° com (π) ;

Escala: 1/100.



149) Representar o triângulo (E)(F)(G) $\subset (\alpha) \equiv$ plano (p), sabendo-se que:

- os lados medem 4, 5 e 6 m;
- o vértice (E) $\in (\pi)$.

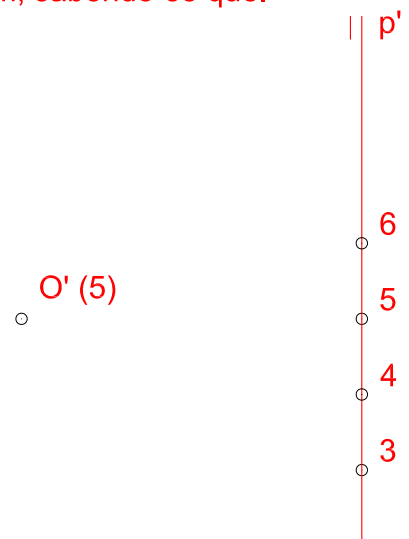
Escala: 1/100



150) Representar a circunferência (c) de raio igual a 2 m, sabendo-se que:

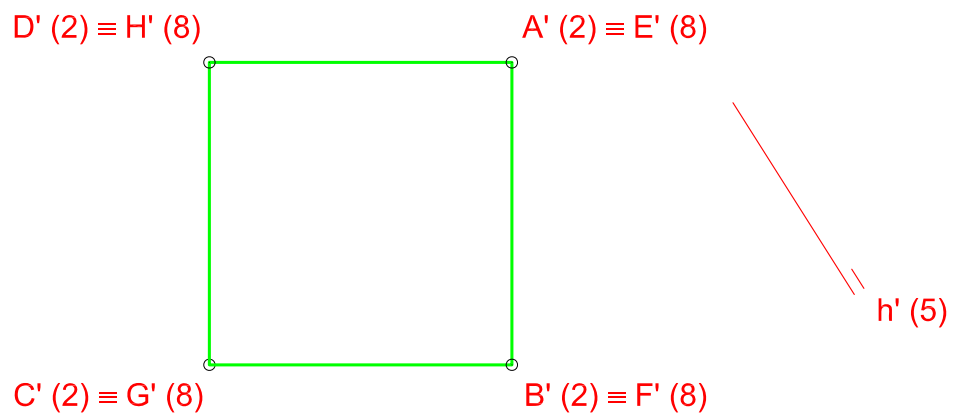
- (O) é o centro de (c);
- (c) $\subset (\alpha) \equiv$ plano (q).

Escala: 1/100.

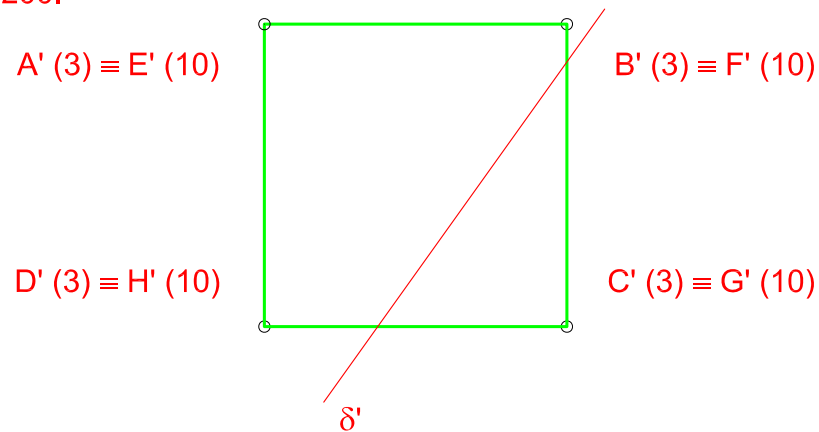


- 151) Representar um prisma reto de base quadrangular, sabendo-se que:
- o lado de sua base mede 3 m;
 - a base (A)(B)(C)(D) possui cota 4;
 - a altura do prisma é 6 m.
- Escala: 1/50.

- 152) Determinar a secção produzida por $(\alpha) \equiv$ plano (h) no prisma dado.
Escala: 1/100

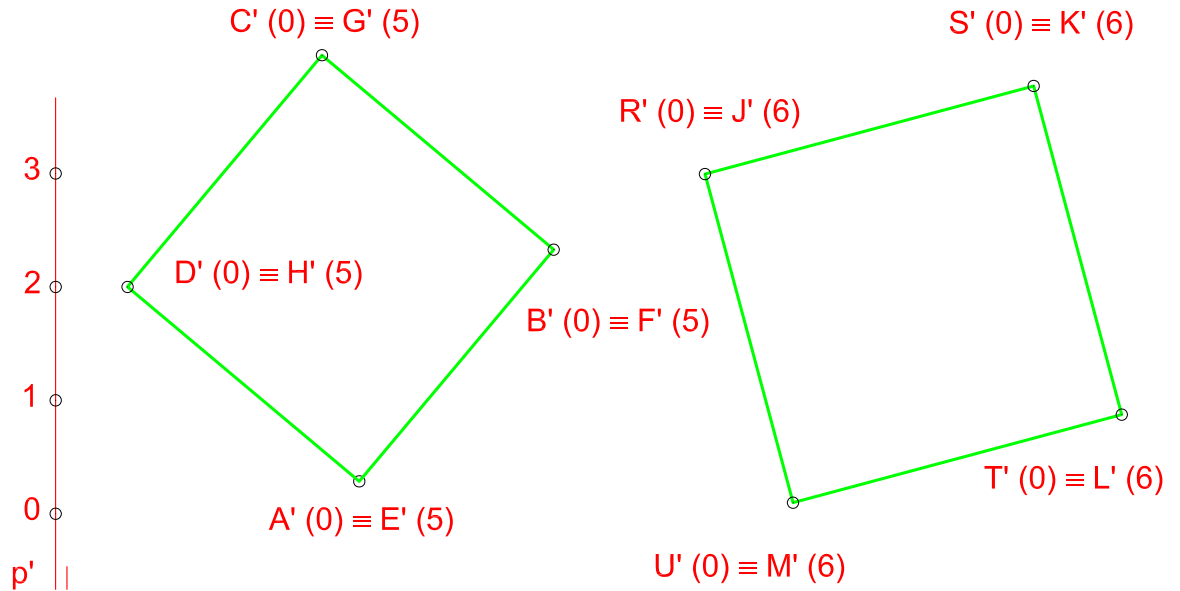


- 153) Determinar, em V.G., a secção produzida por (δ) no poliedro dado.
Escala: 1/200.



154) Determinar a secção produzida por $(\gamma) \equiv$ plano (p) em cada um dos prismas dados, suas projeções e verdadeiras grandezas.

Escala: 1/100.



155) Representar a pirâmide $(V) - (A)(B)(C)$, dadas as coordenadas de seus vértices.

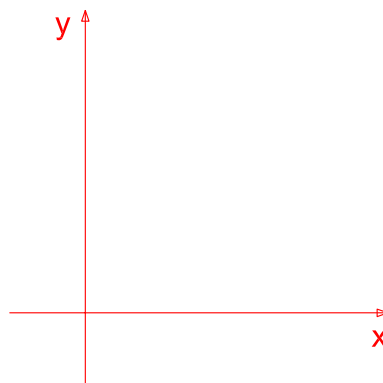
$(V) [7,5; 0,2; 12]$

$(A) [0,2; 0,4; 0,3]$

$(B) [-2,5; 1,5; 0,1]$

$(C) [0,1; -1,5; 0,2]$

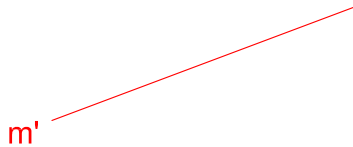
Escala: 1/100



156) Representar um prisma oblíquo, sabendo-se que:

- os lados da base (A)(B)(C) medem 3 m;
- o plano suporte de uma base é de cota 2;
- a altura do prisma é 7 m;
- m' é a direção das projeções das arestas laterais;
- as arestas laterais possuem inclinação de 30° .

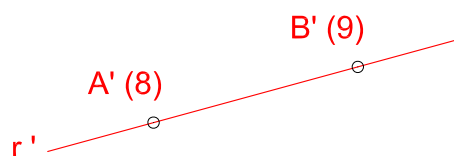
Escala: 1/100.



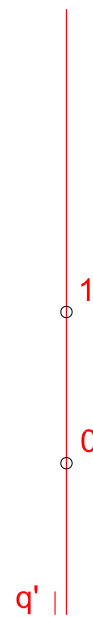
157) Representar o prisma oblíquo (A)(B)(C) - (E)(F)(G), sabendo-se que:

- as arestas laterais são paralelas à (r) ;
- o comprimento das arestas laterais é de 5 m;
- o lado das bases medem 1,5 m.

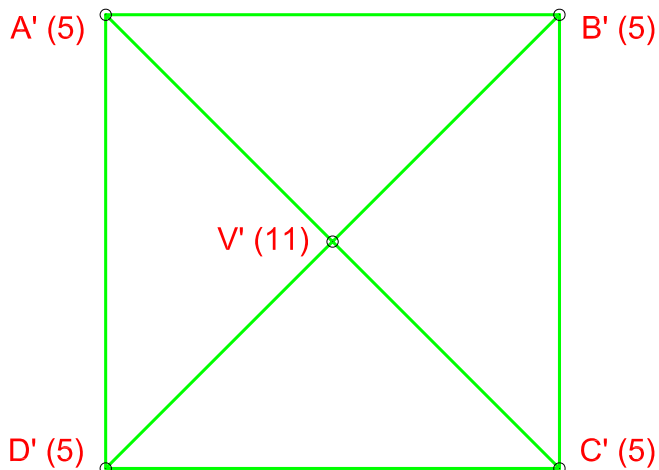
Escala: 1/50



- 158) Representar a pirâmide regular de base triangular (S) - (A)(B)(C), sabendo-se que:
- a base tem como plano suporte (β) \equiv plano (q);
 - o lado da base é de 6 m;
 - a altura da pirâmide é 8 m;
- Escala: 1/100.



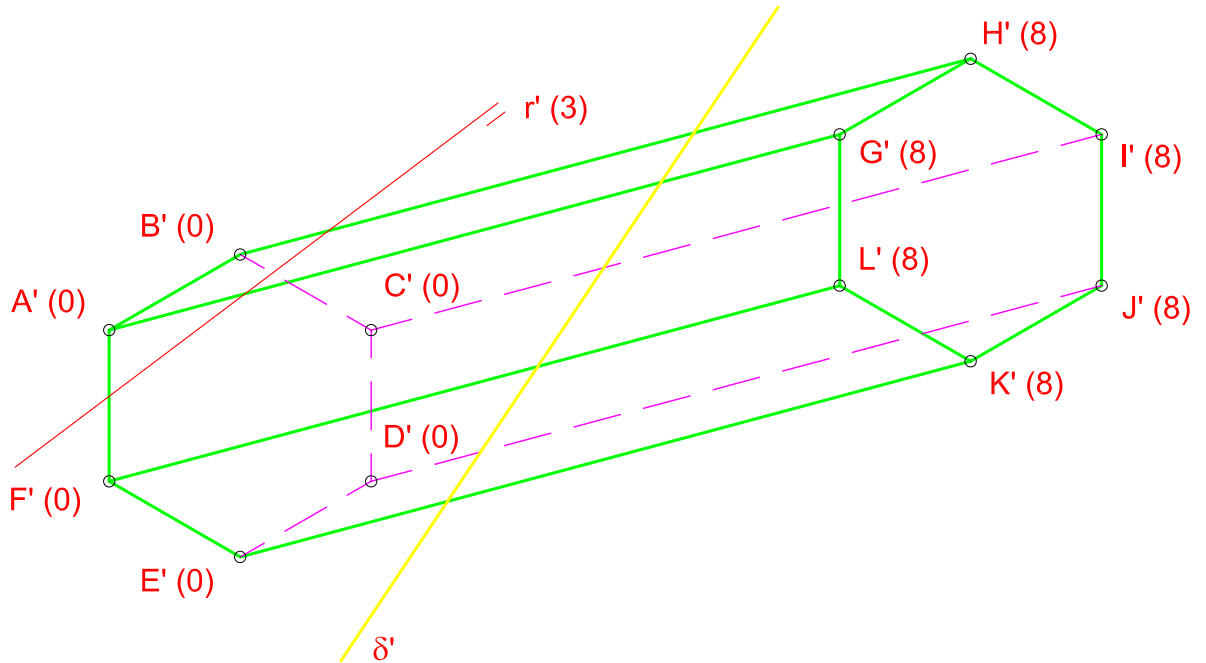
- 159) Determinar:
- a verdadeira grandeza da face (V)(B)(C);
 - o intervalo, a declividade e o ângulo de inclinação das faces laterais.
- Escala: 1/125



160) Representar as secções produzidas pelos planos (β) \equiv plano (r) e (δ) no prisma dado.

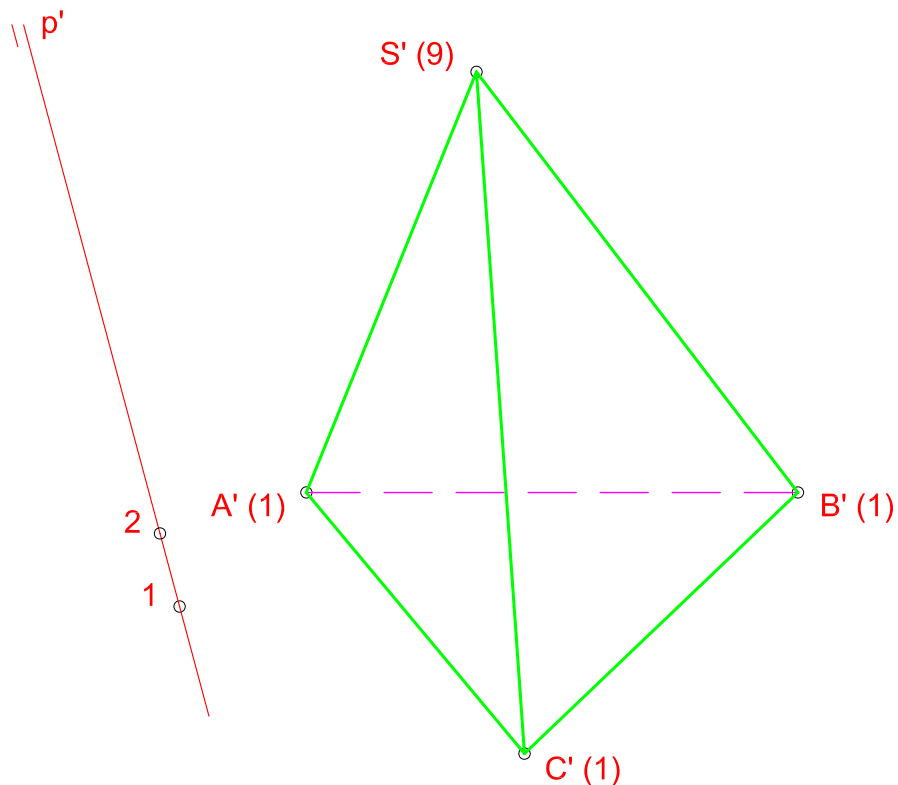
Determinar, em V.G., a secção produzida por (δ) no poliedro dado.

Escala: 1/125.

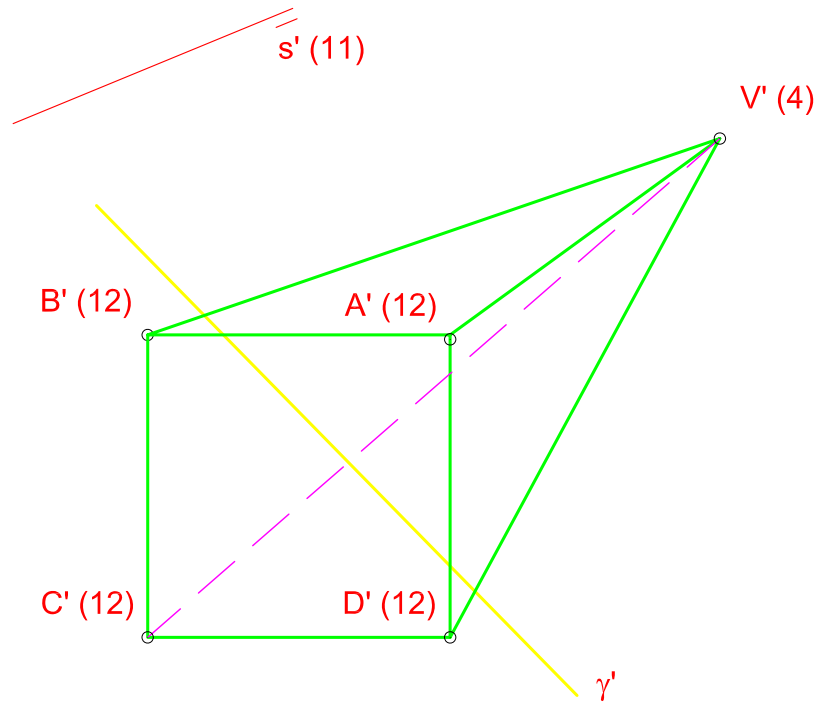


161) Representar a secção produzida por (λ) \equiv plano (p) na pirâmide dada e sua verdadeira grandeza.

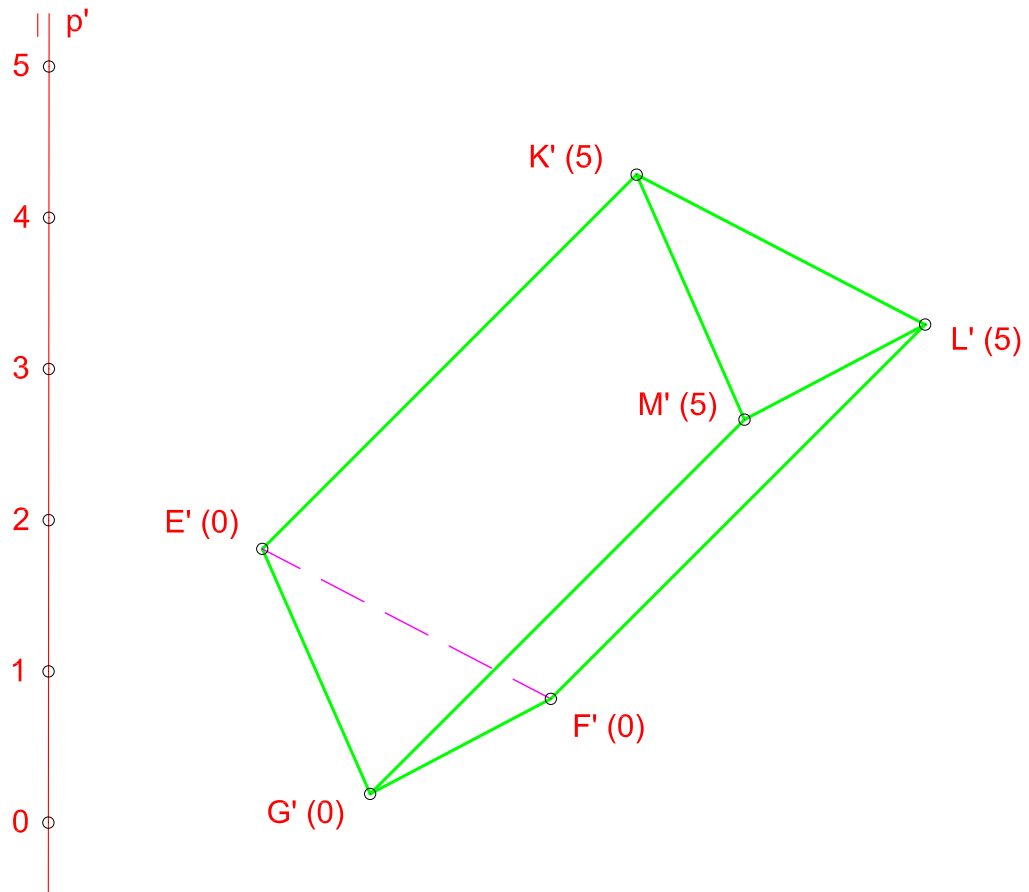
Escala: 1/100



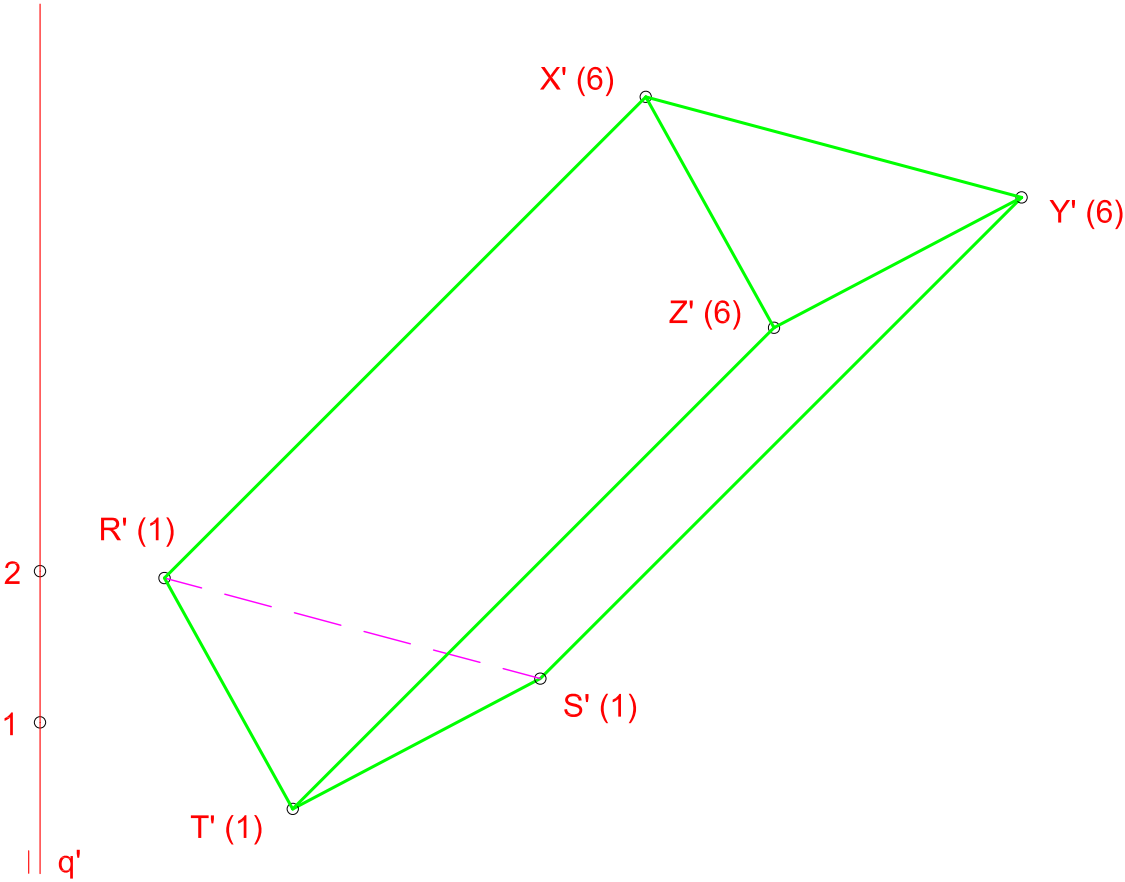
162) Determinar a secção produzida por $(\delta) \equiv$ plano (s) e (γ) na pirâmide dada.
Escala: 1/100.



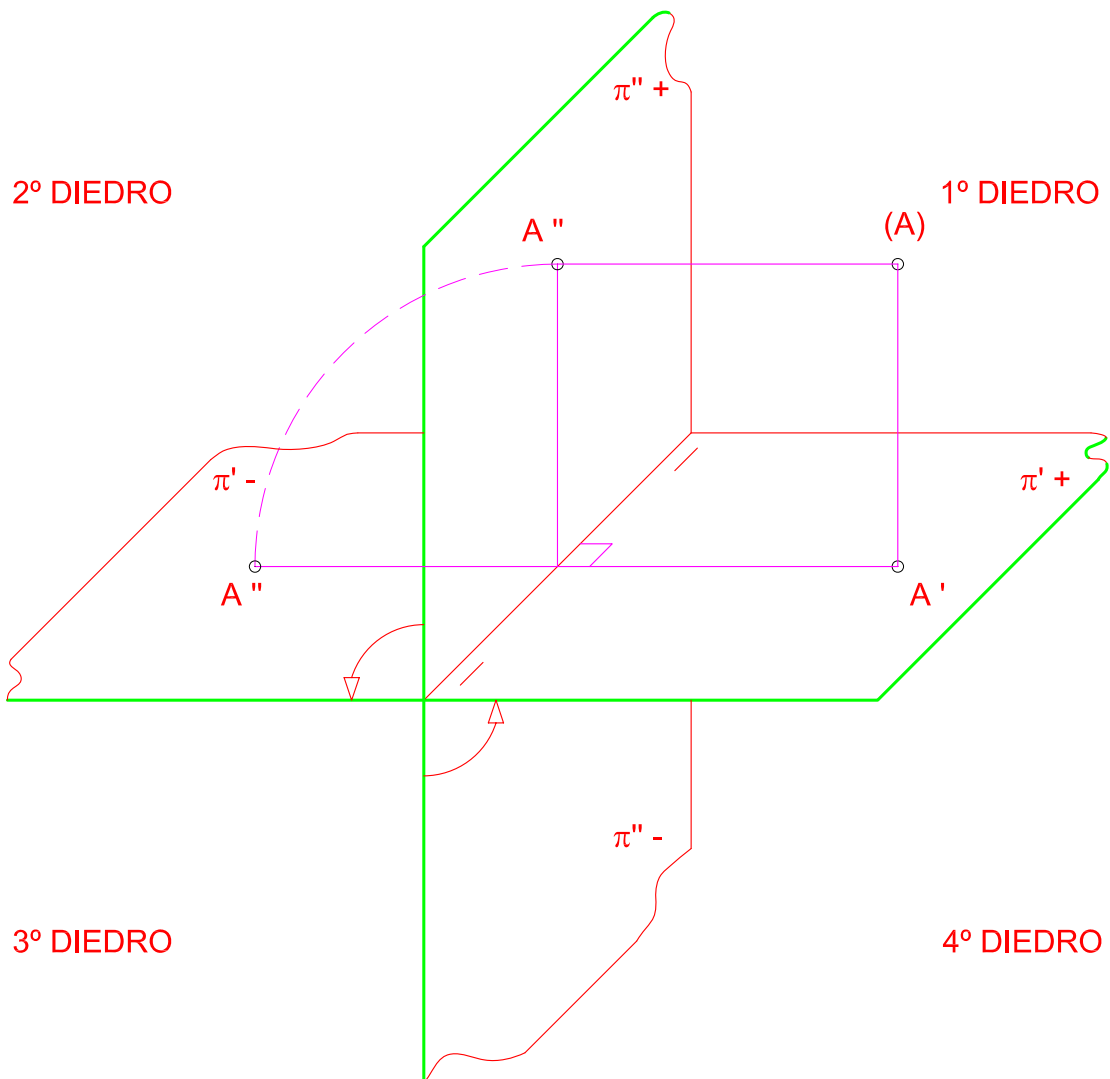
163) Determinar o polígono secção, em projeção e em V.G., produzido por $(\omega) \equiv$ plano (p) no poliedro dado. Escala: 1/100.



164) Representar, em projeção e em verdadeira grandeza, o polígono secção produzido por $(\alpha) \equiv$ plano (q) no prisma dado. Escala: 1/100.



UNIDADE II - MÉTODO BI-PROJETIVO MONGEANO
(Gaspar Monge - 1831)



π'' - plano vertical de projeção
 π' - plano horizontal de projeção
 $\pi' \pi''$ - linha de terra

(A) - ponto objetivo
 A' - projeção horizontal do ponto (A)
 A'' - projeção vertical ponto (A)

165) Representar:

(A) [2; 1; 3]

(B) [3; -3; 4]

(C) [5; -3; -5]

(D) [7; 2; -4]

(E) [-1; 0; 2]

(F) [-2; 0; -3]

(G) [10; -1; 0]

(H) [6; 2; 0]

(I) [6; 0; 0]

(J) [0; 2; -2]

(K) [-5; -3; -3]

(L) [-4; -5; 5]

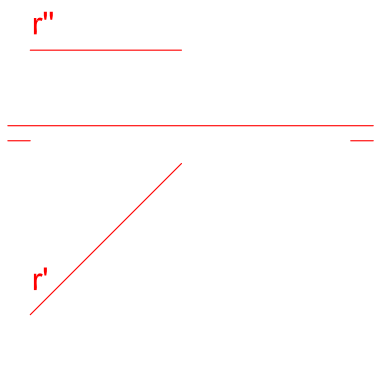
(M) [-3; 4; 4]

Unidade gráfica: 0,01 m

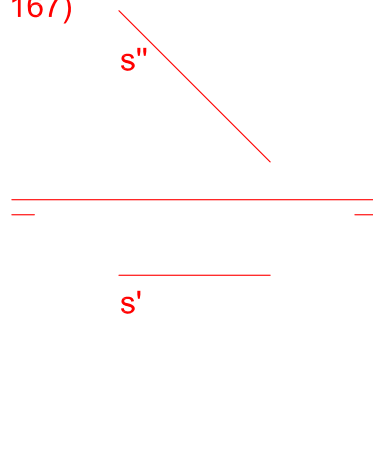


Nas épuras 166 à 177 faça a leitura simbólica da posição das retas em relação aos planos de projeção, bem como, determine os traços de cada reta nos planos de projeção e nos planos bissetores.

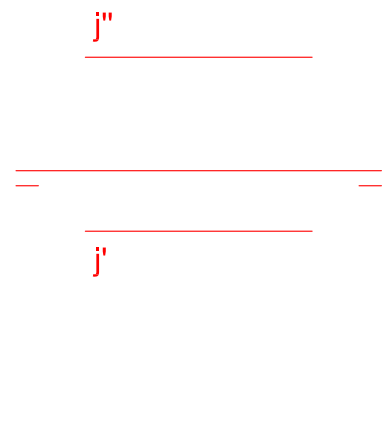
166)



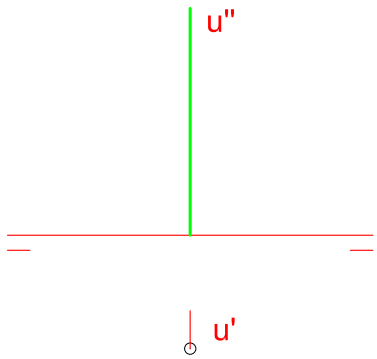
167)



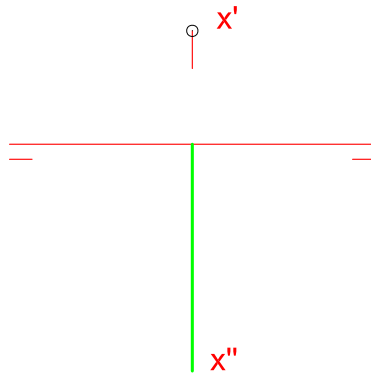
168)



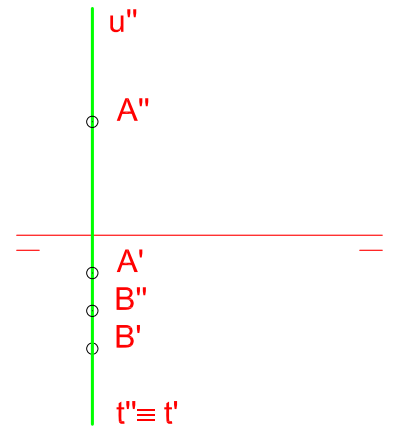
169)



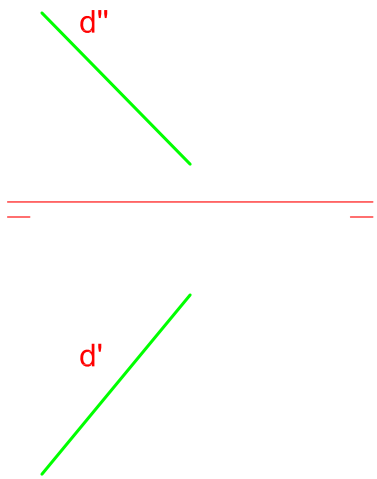
170)



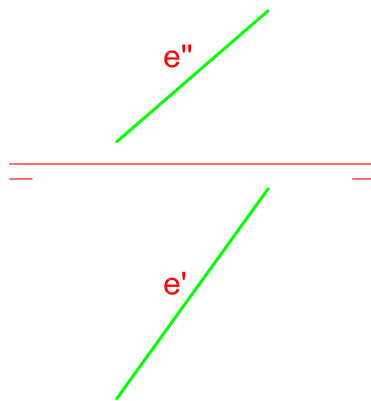
171)



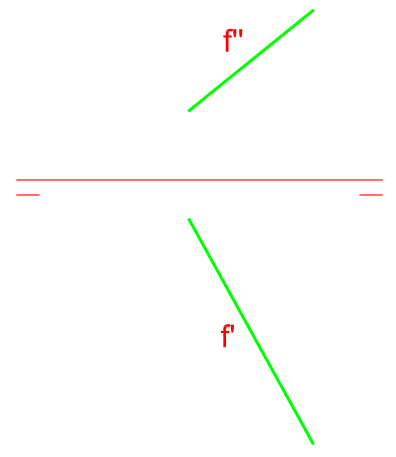
172)



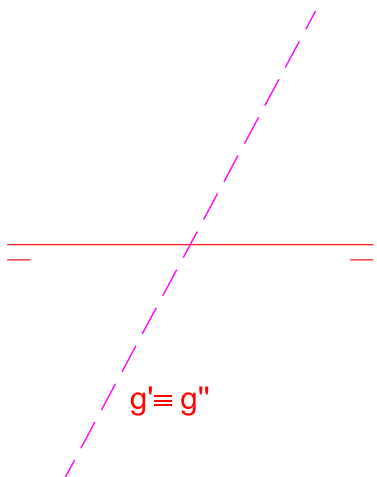
173)



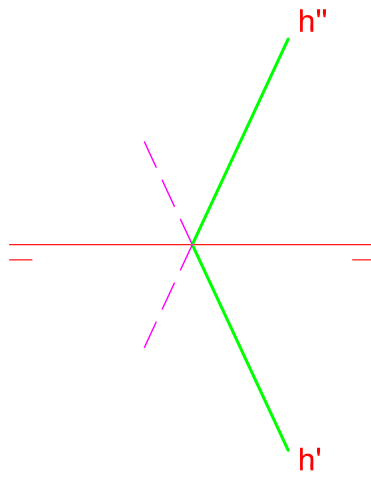
174)



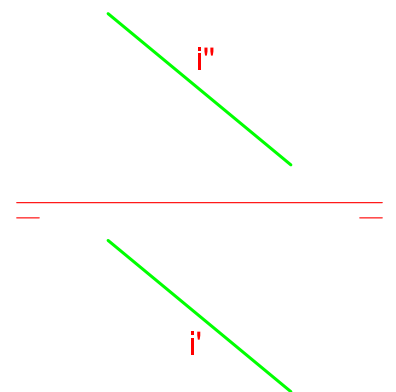
175)



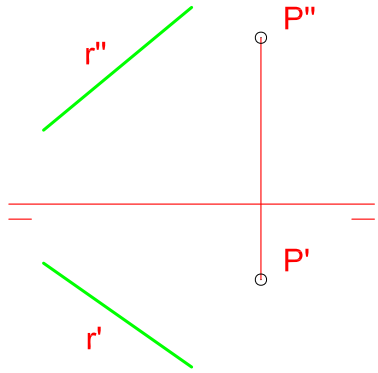
176)



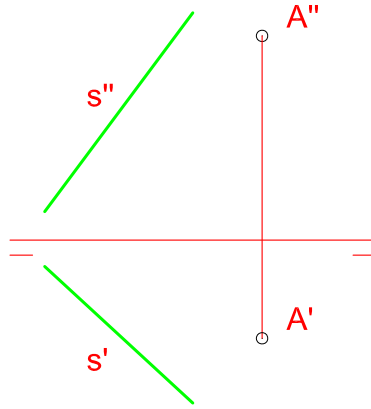
177)



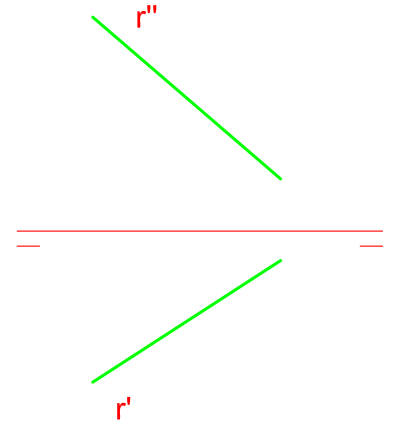
178) Representar:
 $(r1) \parallel (r)$;
 $(P) \in (r1)$.



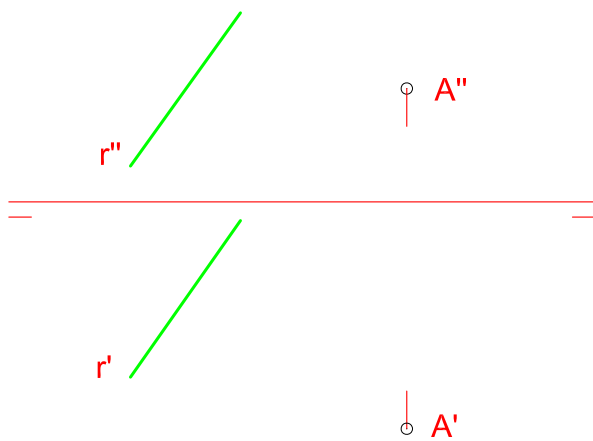
179) Representar:
 $(s1) \parallel (s)$;
 $(A) \in (s1)$.



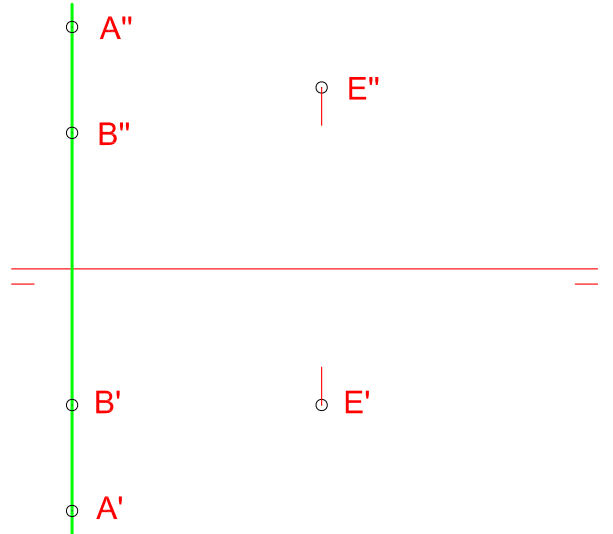
180) Representar:
 $(g) \perp (r)$.



181) Representar: $(j) \perp (r)$;
 $(A) \in (j)$;
 $(j) \parallel \pi' \wedge \perp \pi''$

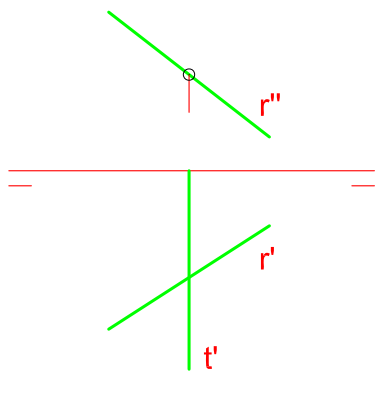


182) Representar: $(r1) \parallel (r)$;
 $(E) \in (r1)$.

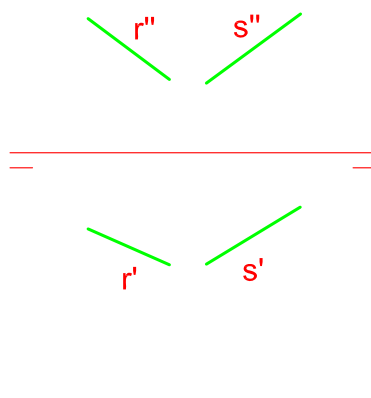


Verifique nas épuras 183 à 192 a posição relativa das retas representadas. No caso das retas serem concorrentes, determine o ponto de concorrência.

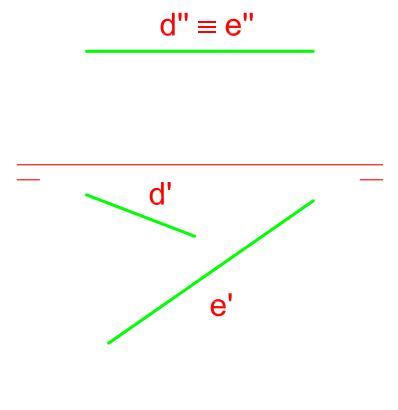
183)



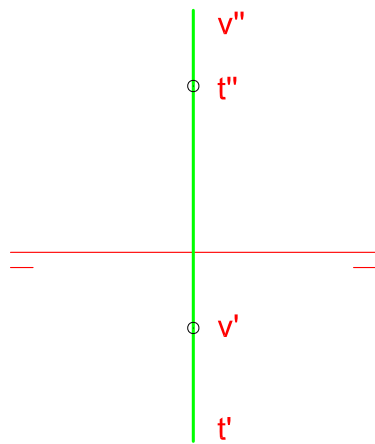
184)



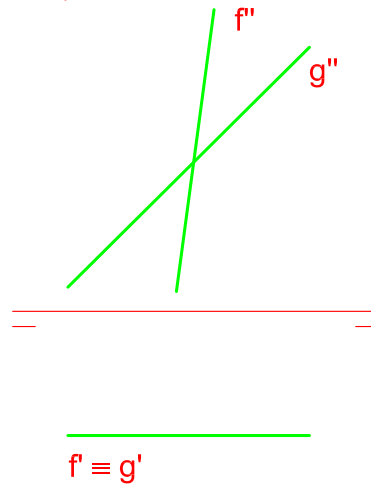
185)



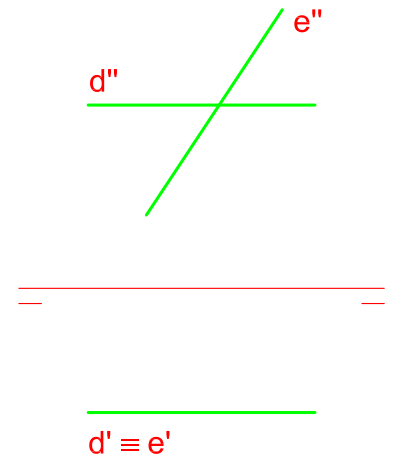
186)



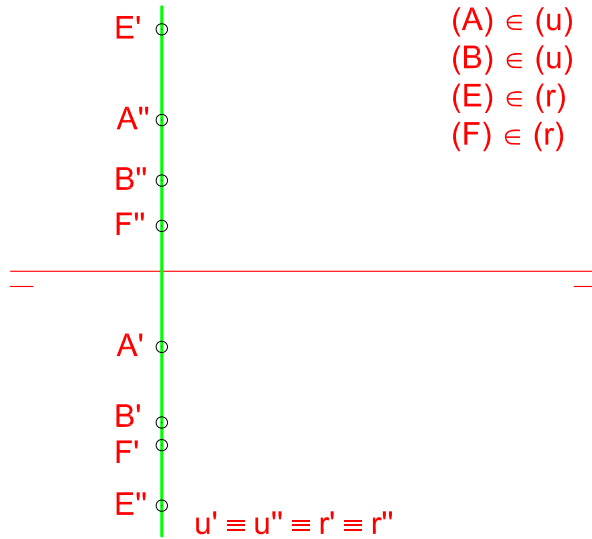
187)



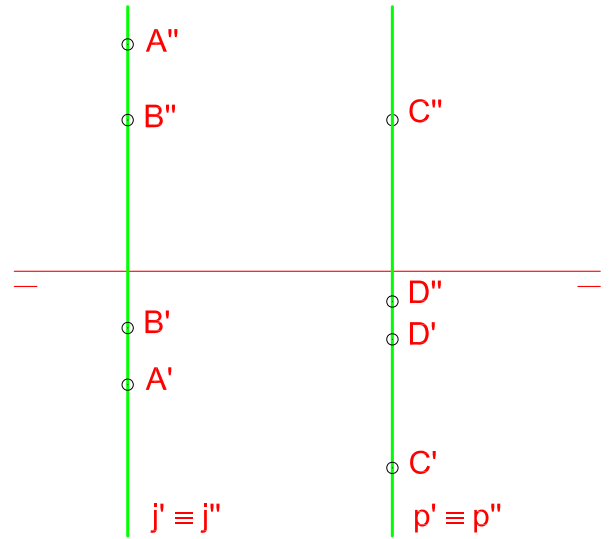
188)



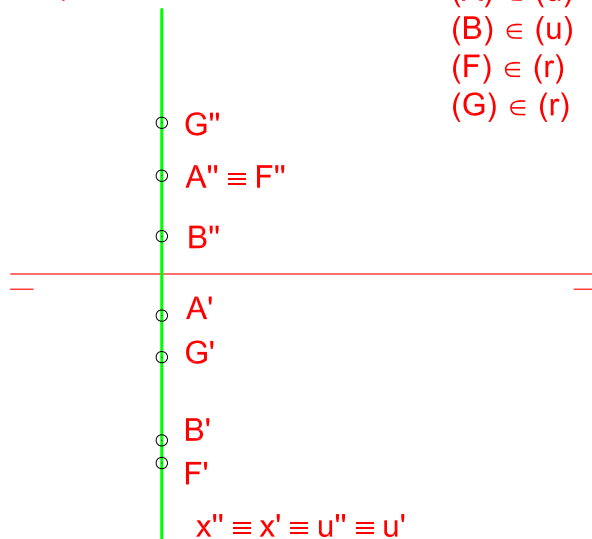
189)



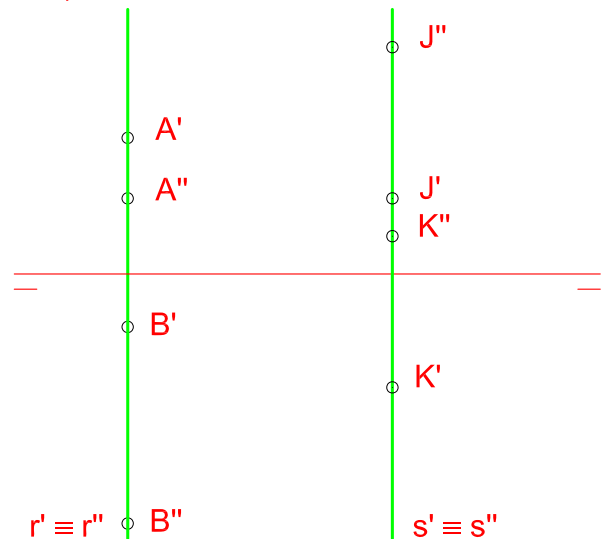
190)



191)

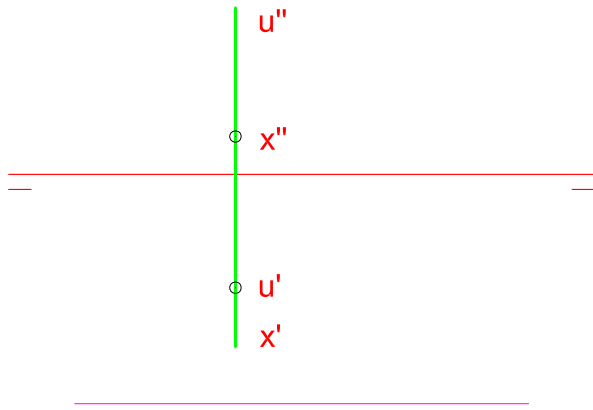


192)

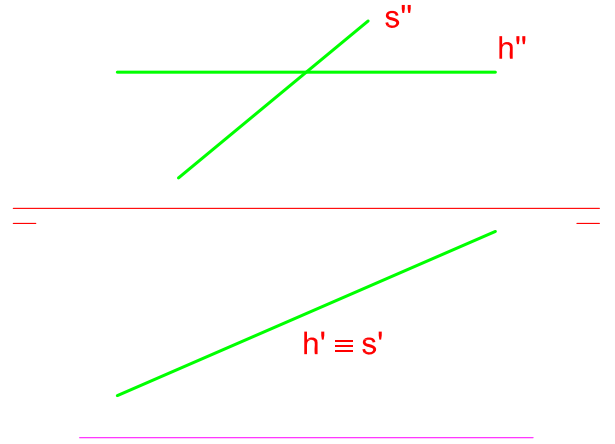


Nas épuras 193 à 204 faça a leitura simbólica da posição dos planos representados em relação aos planos de projeção, determinando os seus traços vertical e horizontal.

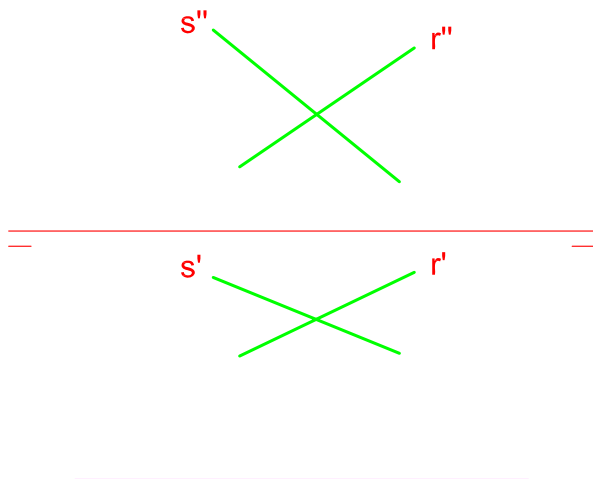
193) $(\alpha) \equiv$ plano (x;u)



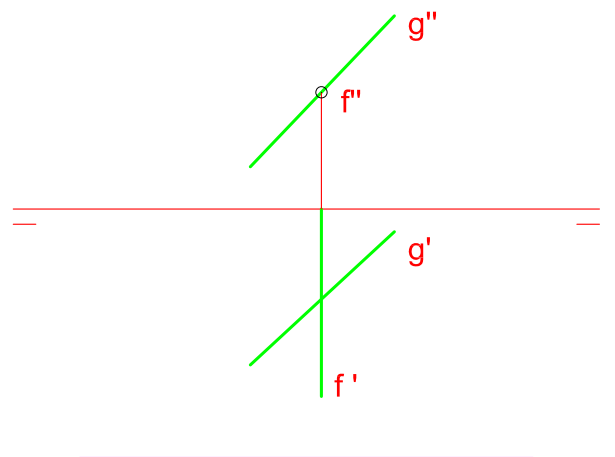
194) $(\delta) \equiv$ plano (h;s)



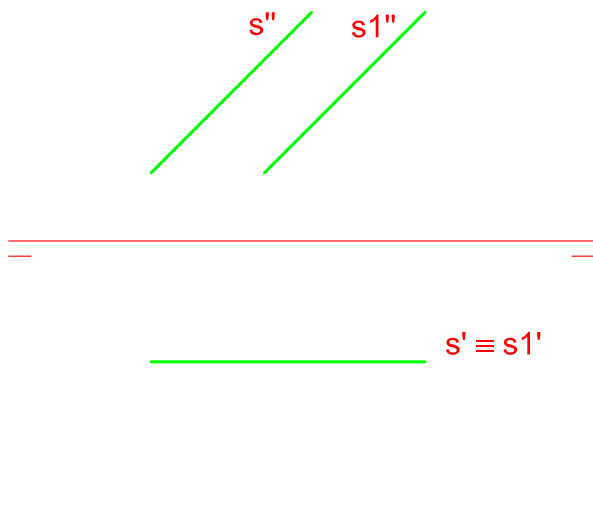
195) $(\beta) \equiv$ plano (r;s)



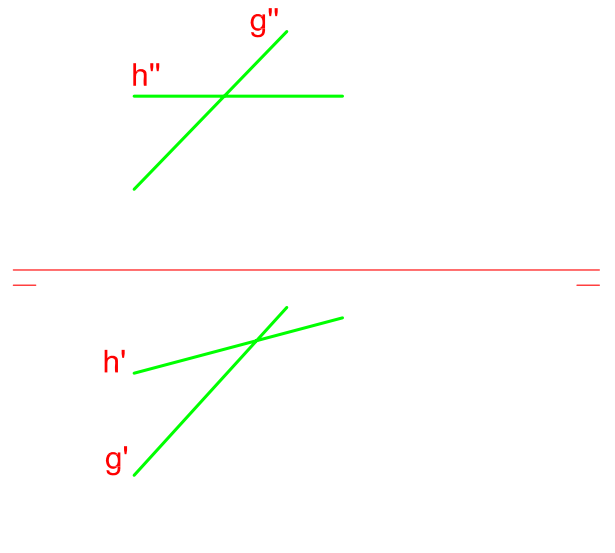
196) $(\gamma) \equiv$ plano (f;g)



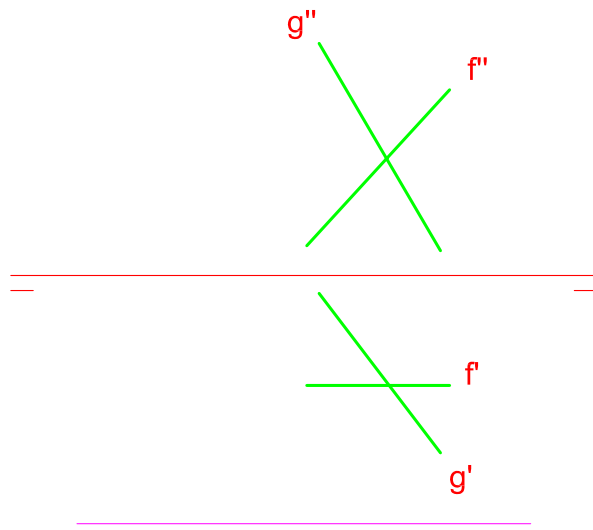
197) $(\lambda) \equiv$ plano (s;s1)



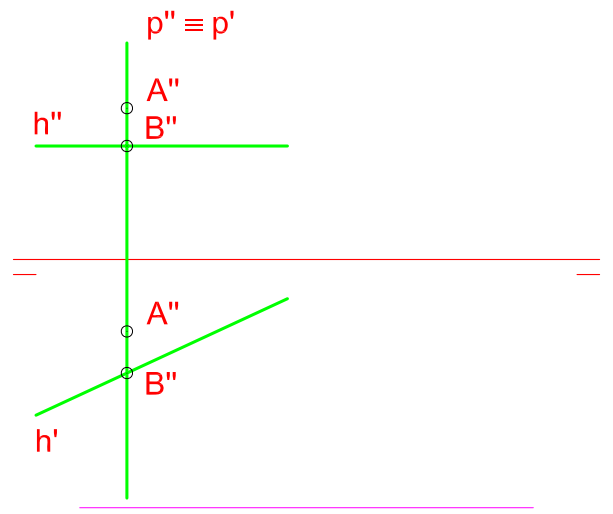
198) $(\omega) \equiv$ plano (h;g)



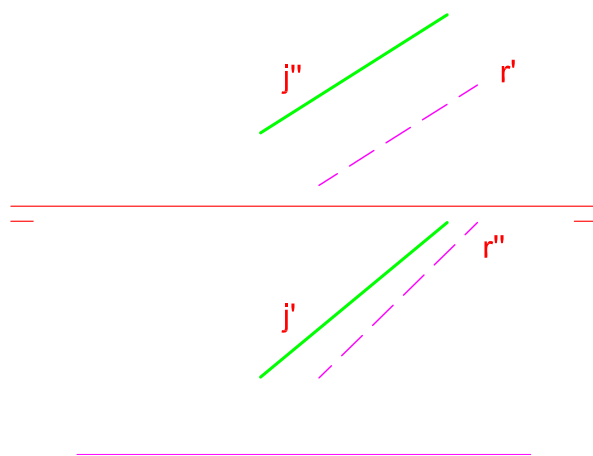
199) $(\alpha) \equiv \text{plano } (f;g)$



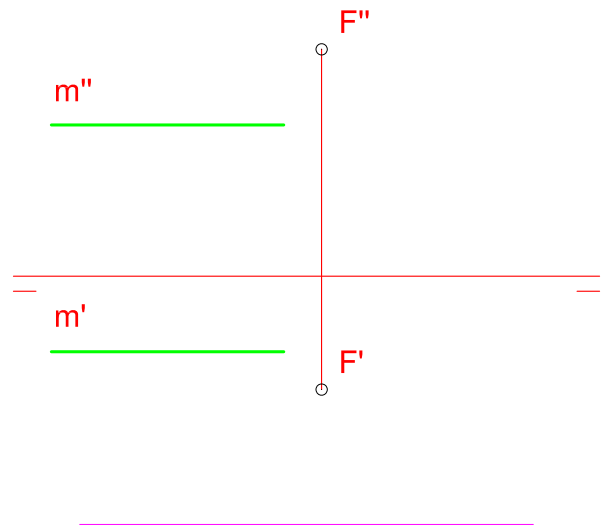
200) $(\beta) \equiv \text{plano } (h;p)$



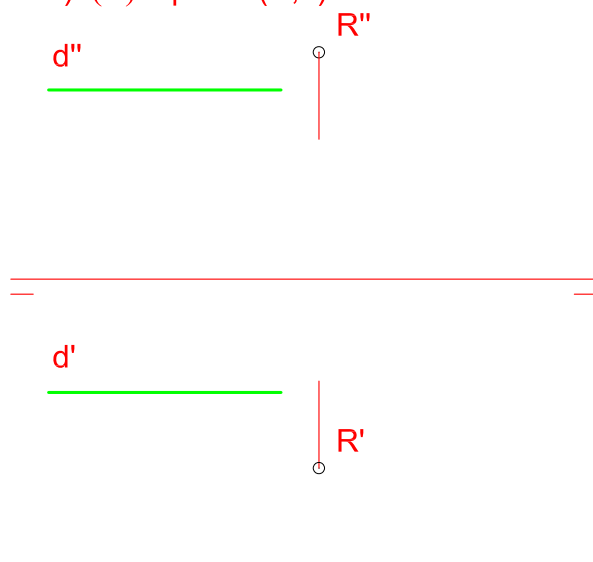
201) $(\delta) \equiv \text{plano } (j;r)$



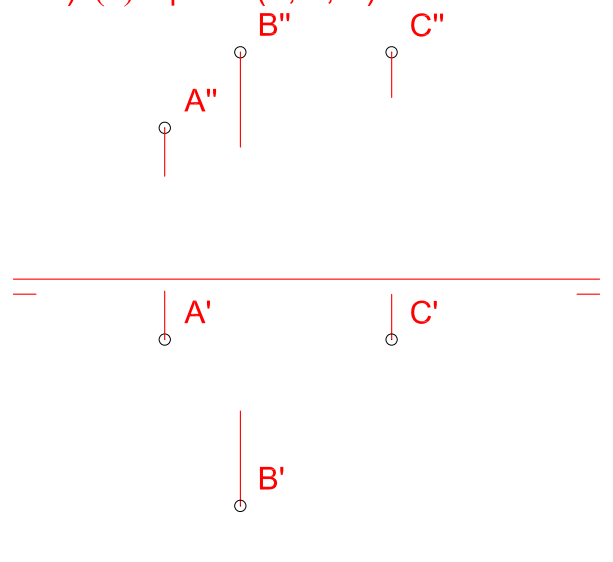
202) $(\gamma) \equiv \text{plano } (F;m)$



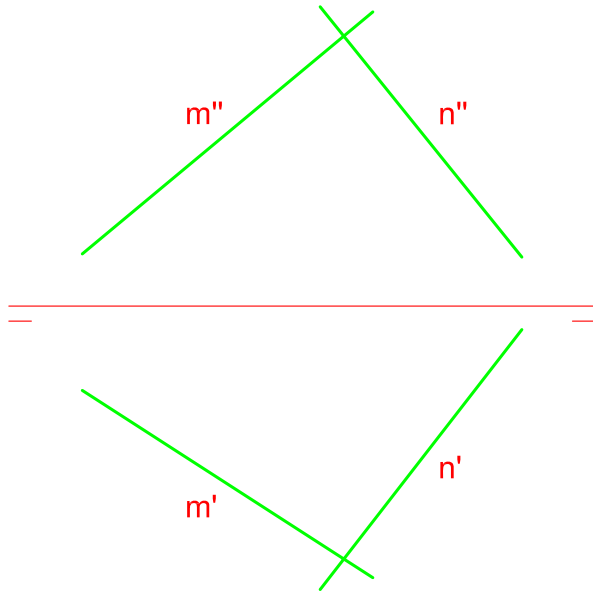
203) $(\omega) \equiv \text{plano } (R;d)$



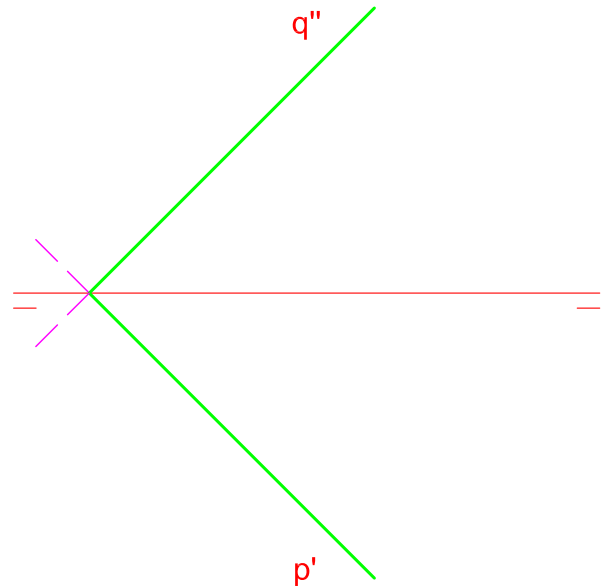
204) $(\lambda) \equiv \text{plano } (A; B; C)$



205) Representar $(r) \subset (\alpha)$, sabendo-se que (r) é reta de máxima declividade de (α) e que $(\alpha) \equiv$ plano $(m;n)$.

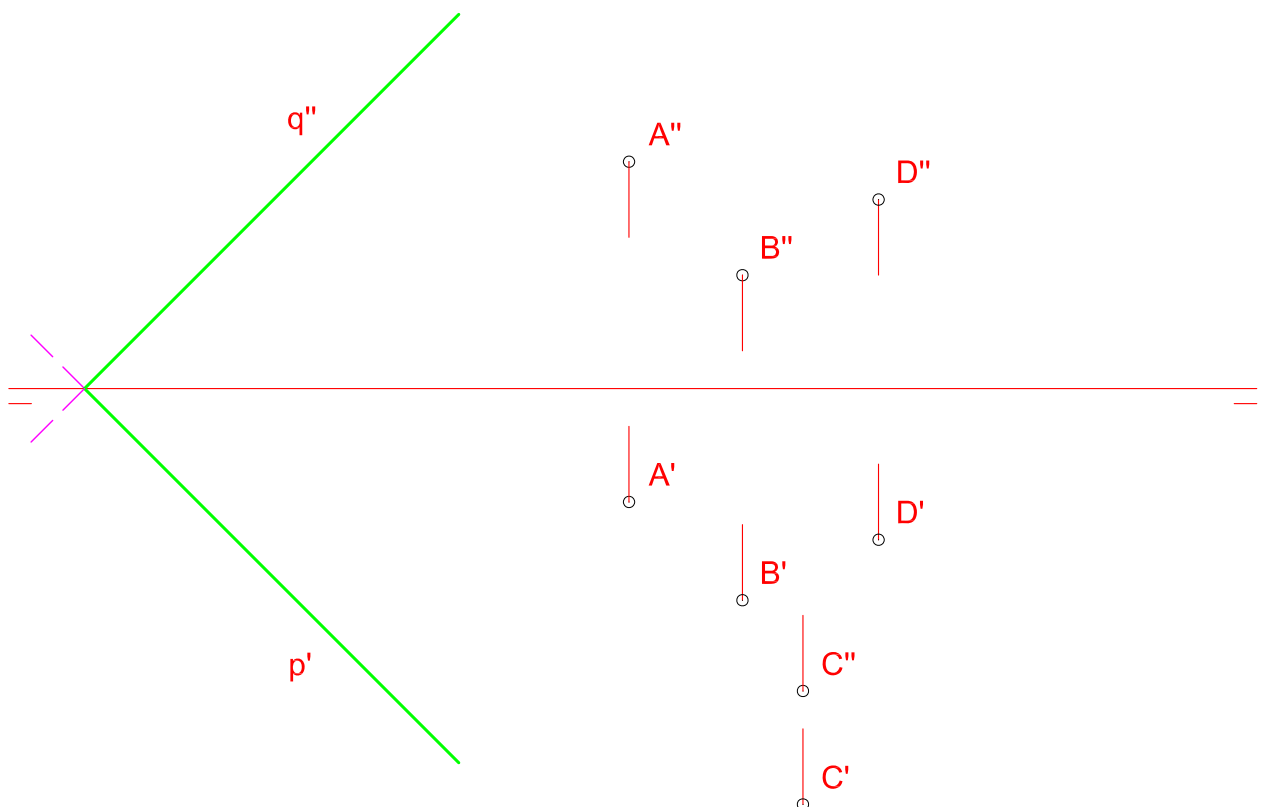


206) Representar $(j) \subset (\beta)$, sabendo-se que (j) é reta de máxima declividade de (β) e que $(\beta) \equiv$ plano $(p;q)$.



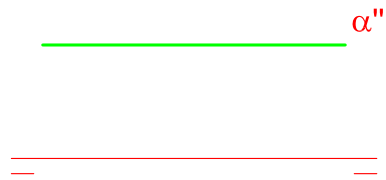
207) Representar:

- a) $(s) \parallel (\delta)$, sabendo-se que $(A) \in (s)$, $(s) \parallel (\pi')$;
- b) $(j) \parallel (\delta)$, sabendo-se que $(B) \in (j)$, $(j) \parallel (\pi'')$;
- c) $(u) \parallel (\delta)$, sabendo-se que $(C) \in (u)$, $(u) \perp (\pi') \wedge \perp (\pi'')$;
- d) $(x) \parallel (\delta)$, sabendo-se que $(D) \in (x)$, $(x) \perp (\pi') \wedge \perp (\pi'')$, $(x) \subset (\beta)$, sendo $(\beta) \perp \pi'\pi''$ e que $(\delta) \equiv$ plano $(p;q)$.

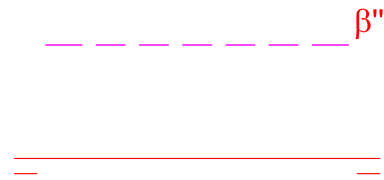


Nas épuras 208 a 214 representar, em cada uma delas, um reta paralela ao plano dado.

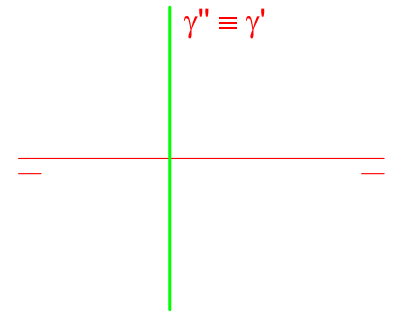
208)



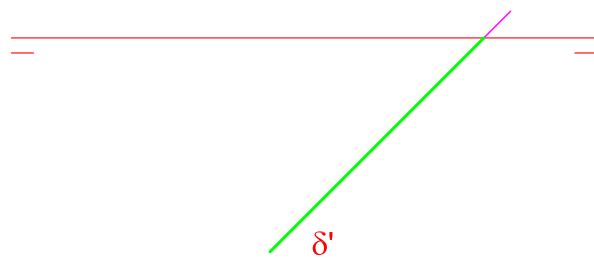
209)



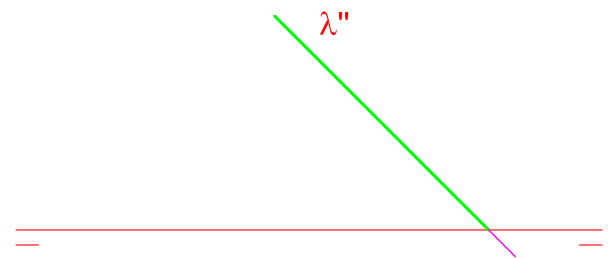
210)



211)



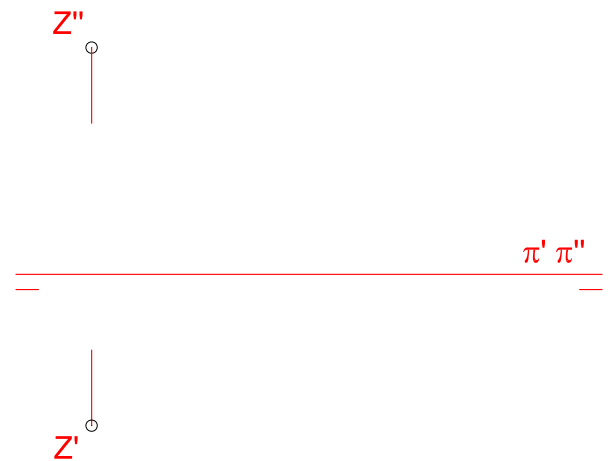
212)



213) ($\alpha \equiv$ plano (m; n))

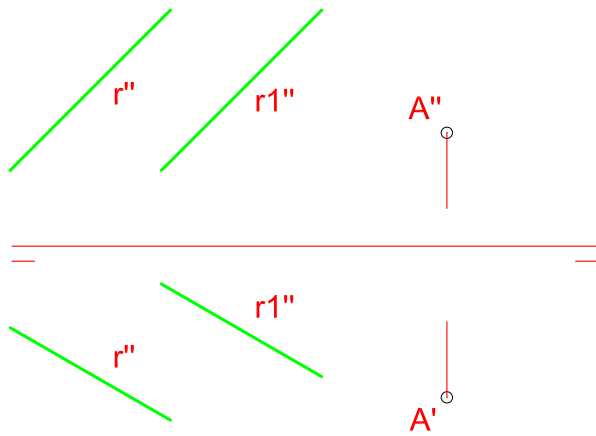


214) ($\delta \equiv$ plano (Z; π' π''))



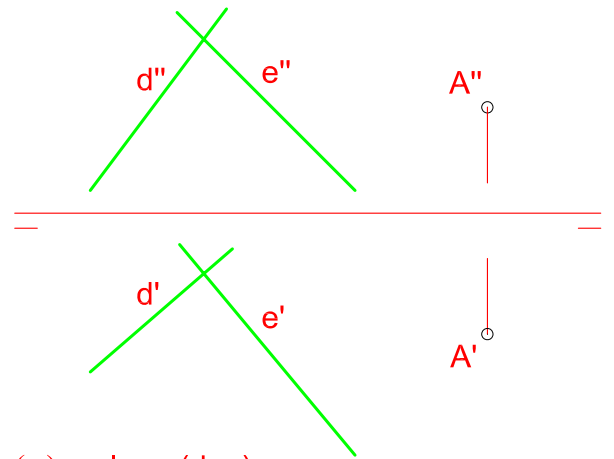
Nas épuras 215 a 221 representar, pelos seus traços, $\alpha_1 // \alpha$, sabendo-se que $(A) \in \alpha_1$.

215)



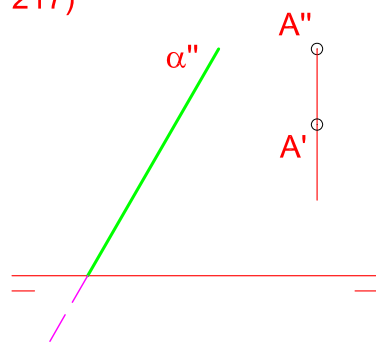
$(\alpha) \equiv \text{plano } (r; r_1)$

216)

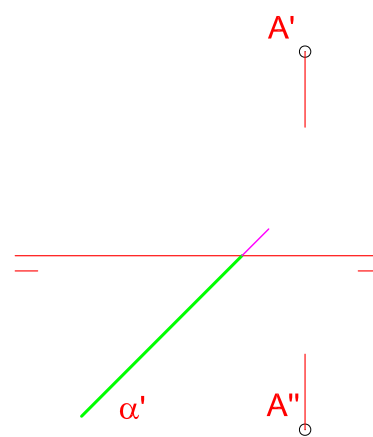


$(\alpha) \equiv \text{plano } (d; e)$

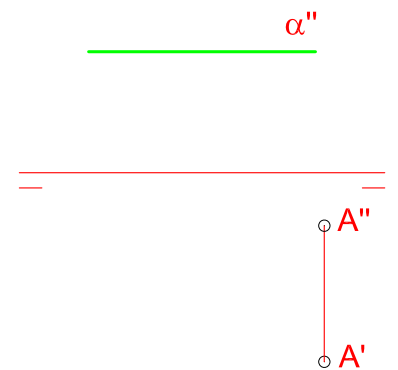
217)



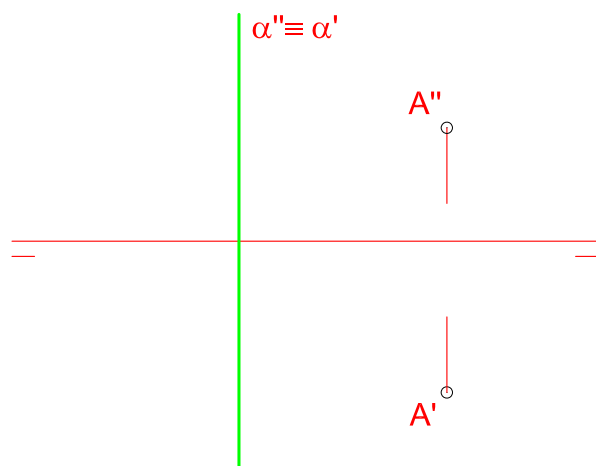
218)



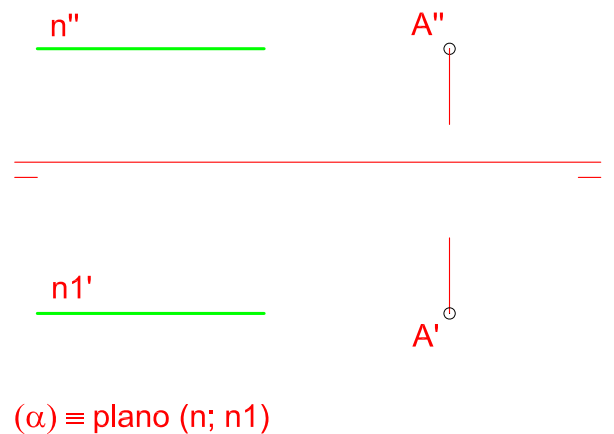
219)



220)



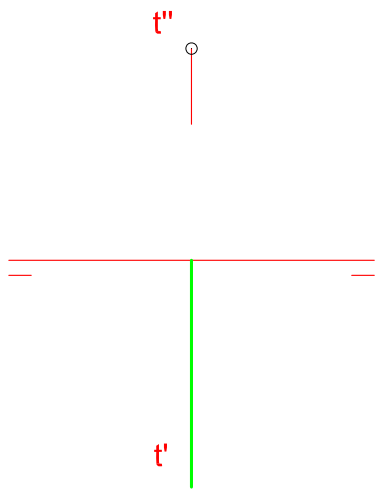
221)



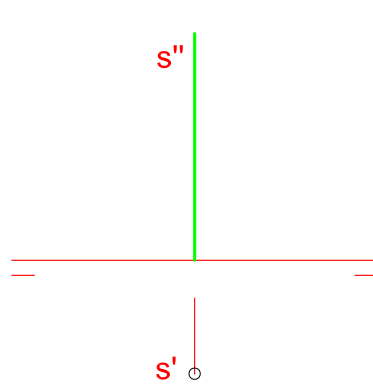
$(\alpha) \equiv \text{plano } (n; n_1)$

Nas épuras 222 a 230, representar uma reta perpendicular à reta dada.

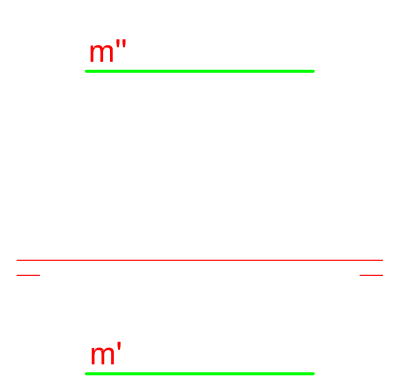
222)



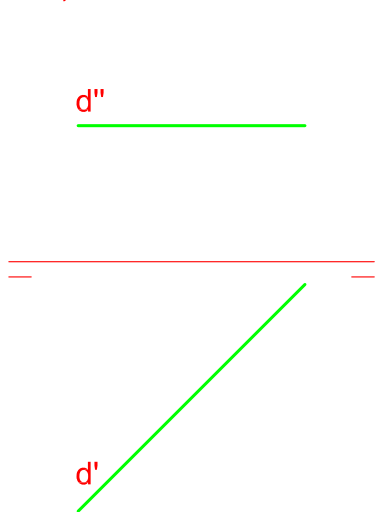
223)



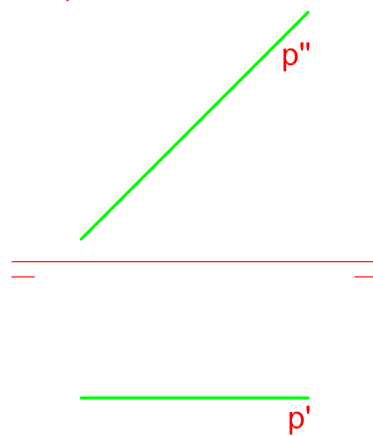
224)



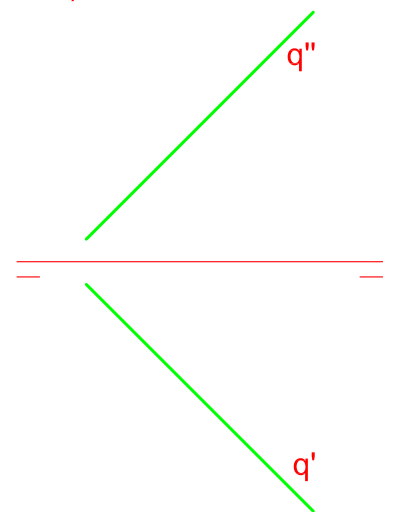
225)



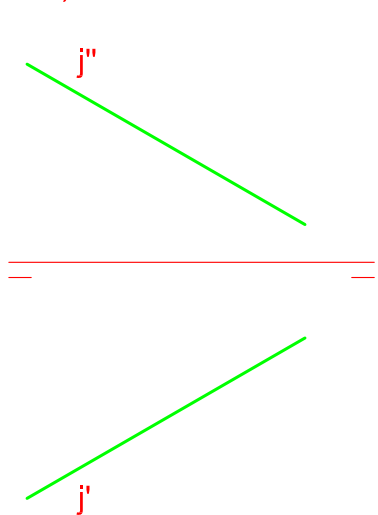
226)



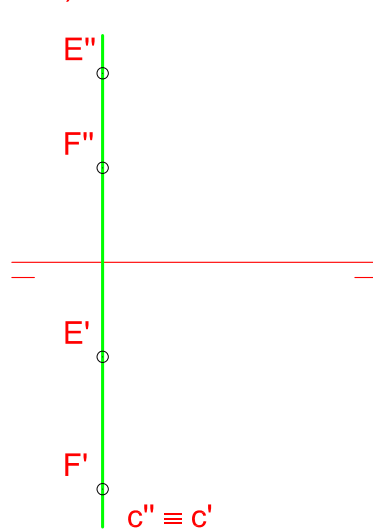
227)



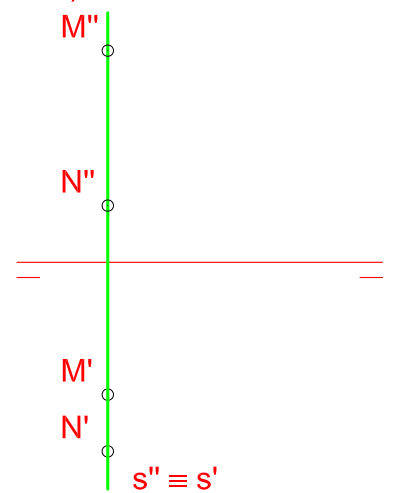
228)



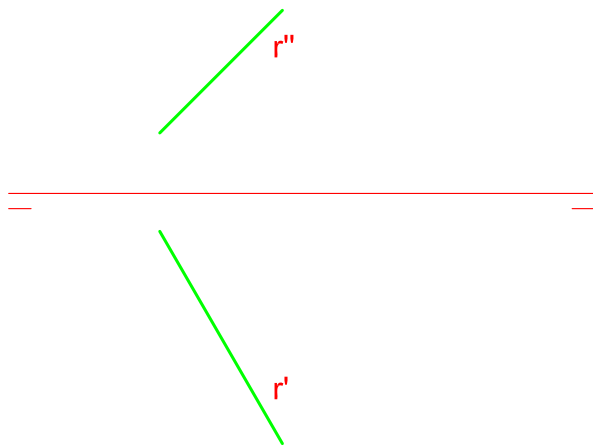
229)



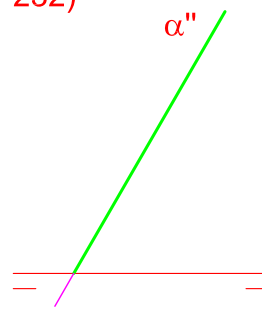
230)



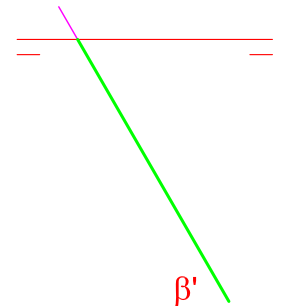
231) Representar $(m) \perp (r)$, sabendo-se que $(m) \perp \pi' \wedge \perp \pi''$.



232)

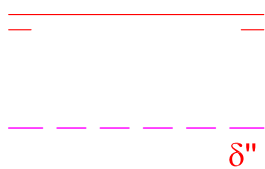


233)

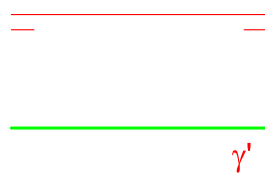


Nas épuras 232 a 239, representar uma reta perpendicular ao plano dado.

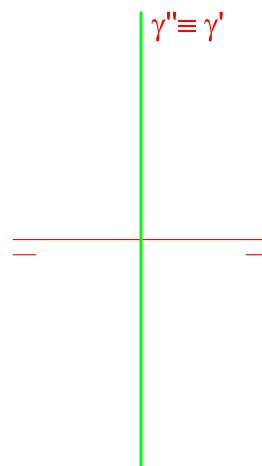
234)



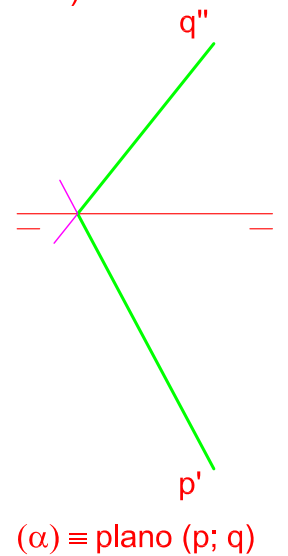
235)



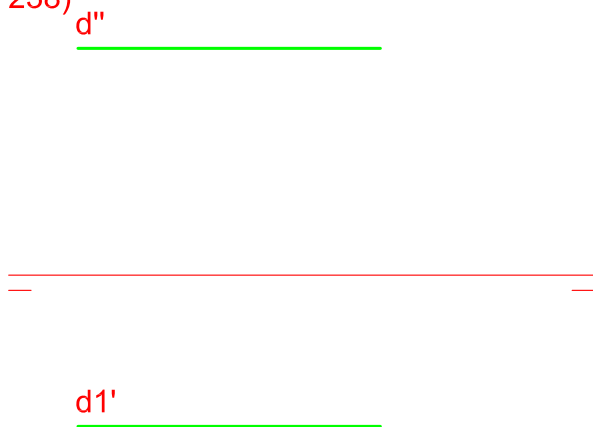
236)



237)

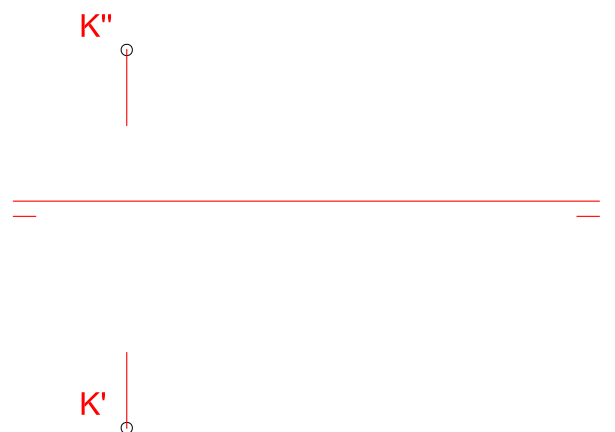


238)



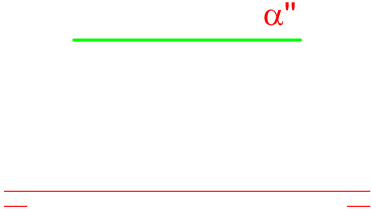
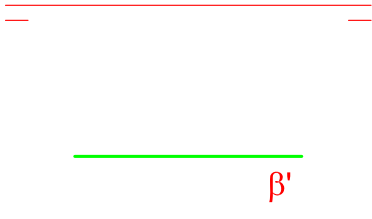
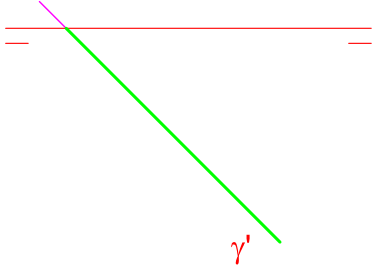
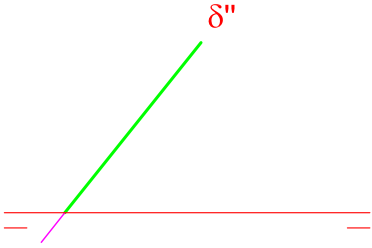
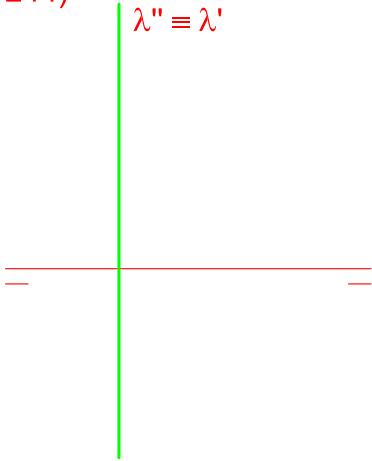
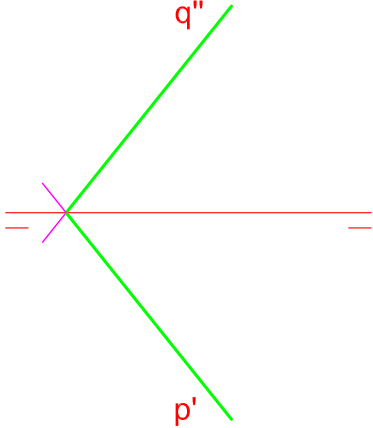
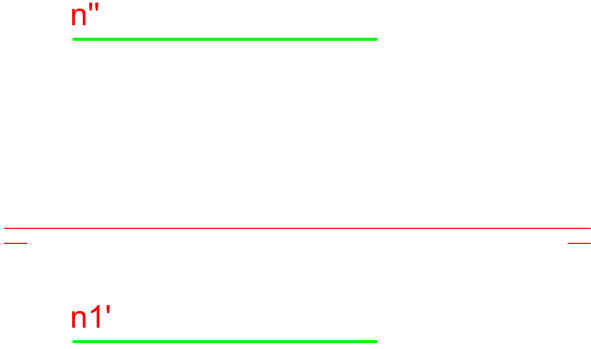
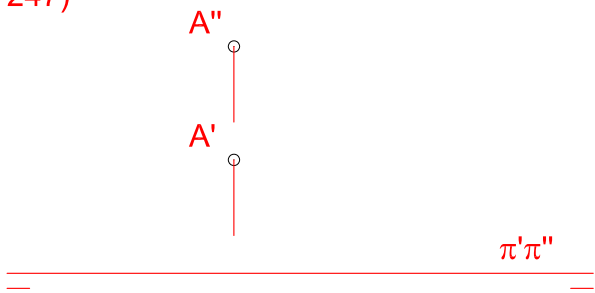
$(\omega) \equiv \text{plano } (d; d1)$

239)



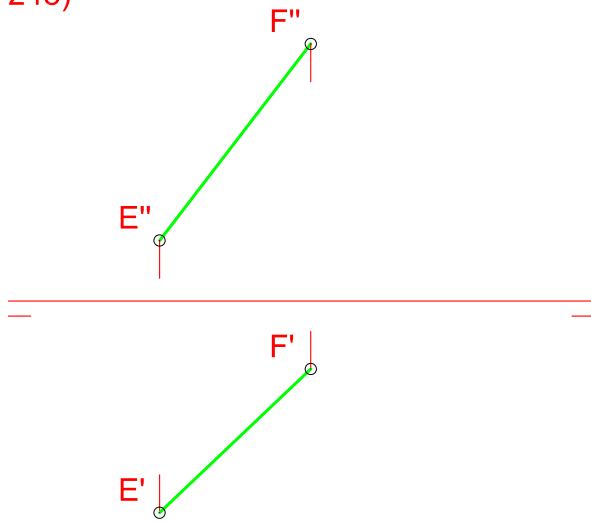
$(\delta) \equiv \text{plano } (K; \pi'\pi'')$

Nas épuras 240 a 247, representar um plano perpendicular ao plano dado.

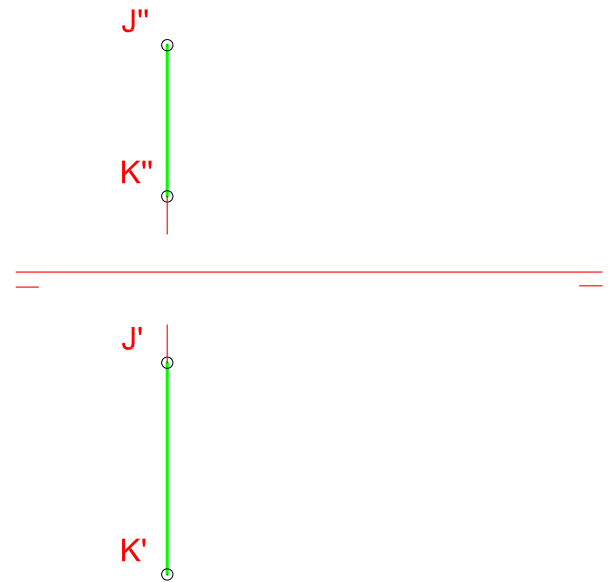
<p>240)</p> 	<p>241)</p> 	<p>242)</p> 
<p>243)</p> 	<p>244)</p> 	<p>245)</p>  <p>(α) \equiv plano (p; q)</p>
<p>246)</p>  <p>(β) \equiv plano (n; n1)</p>	<p>247)</p>  <p>(δ) \equiv plano (A; $\pi'\pi''$)</p>	

Nas épuras 248 a 249, utilizando o Método de Rebatimento, determinar a verdadeira grandeza dos segmentos representados.

248)

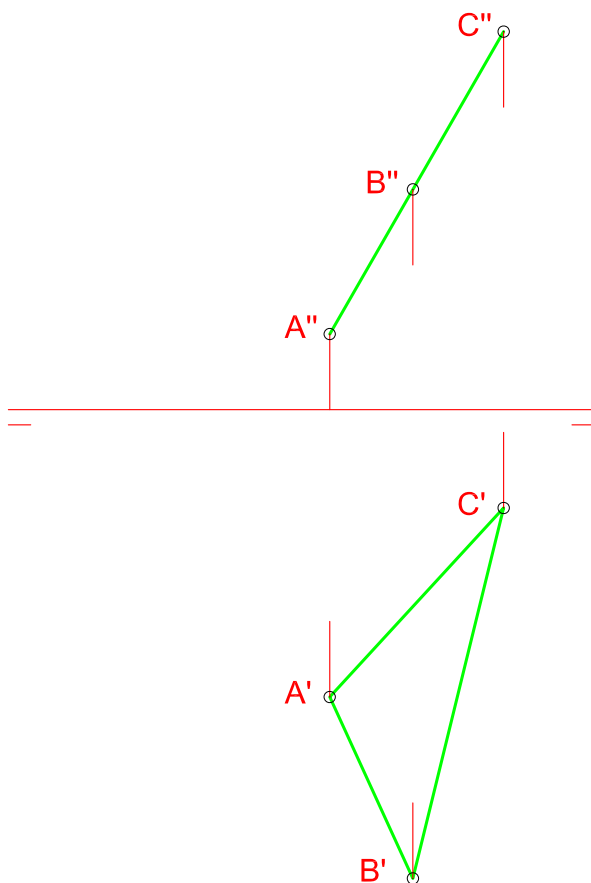


249)

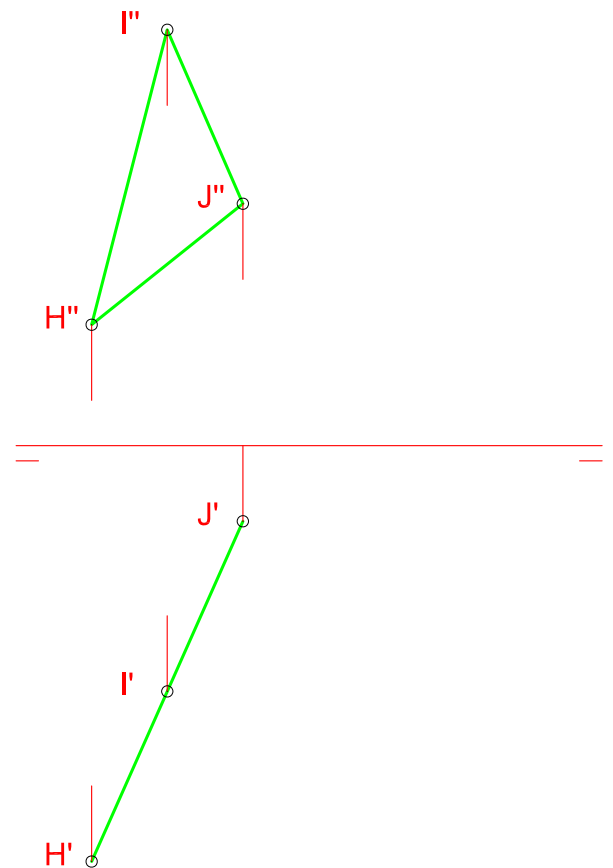


Nas épuras 250 a 255, através de rebatimento, determinar a verdadeira grandeza da figura dada.

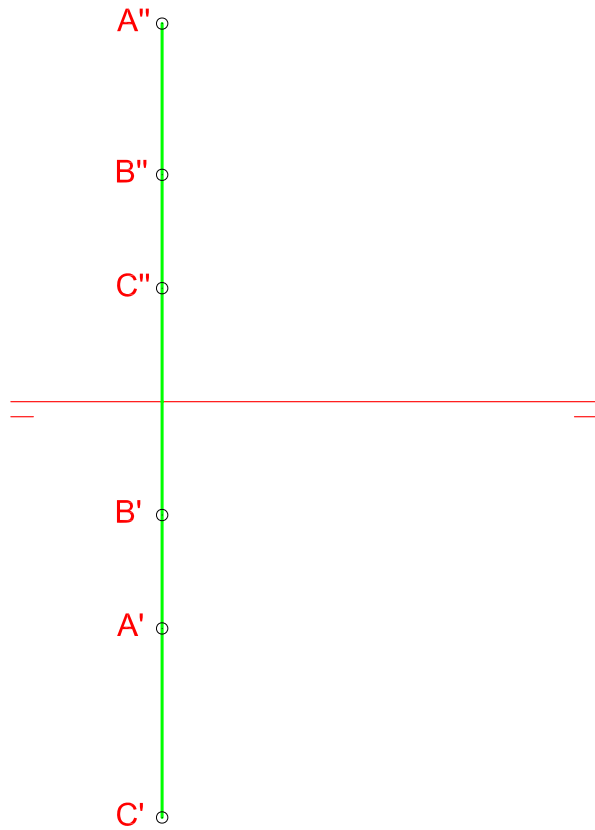
250)



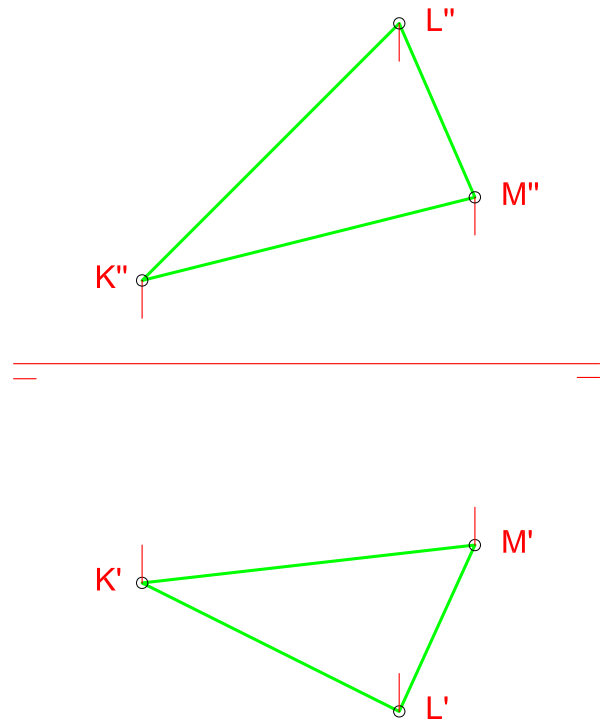
251)



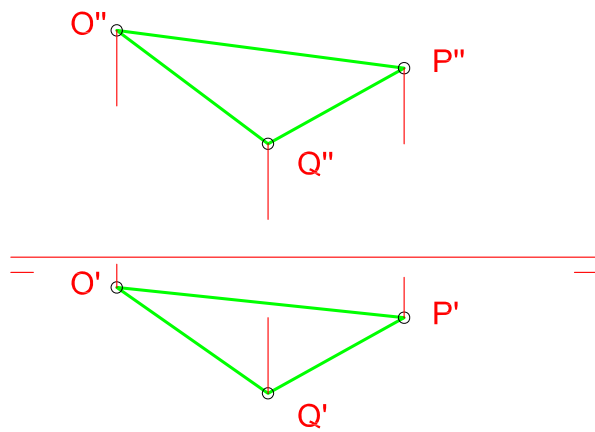
252)



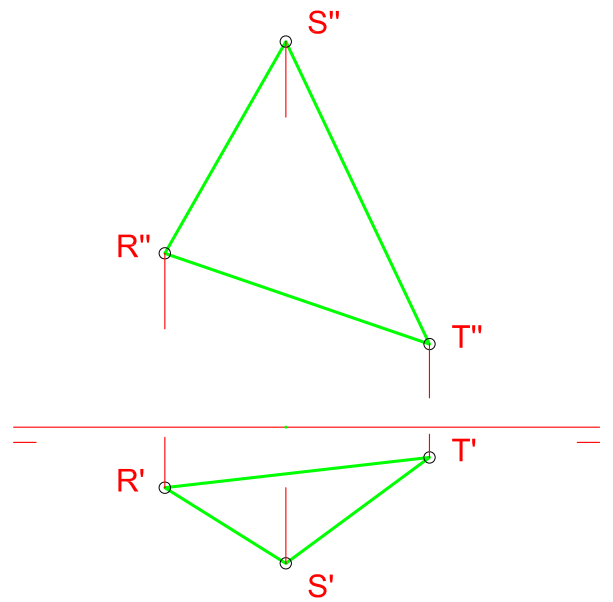
253)



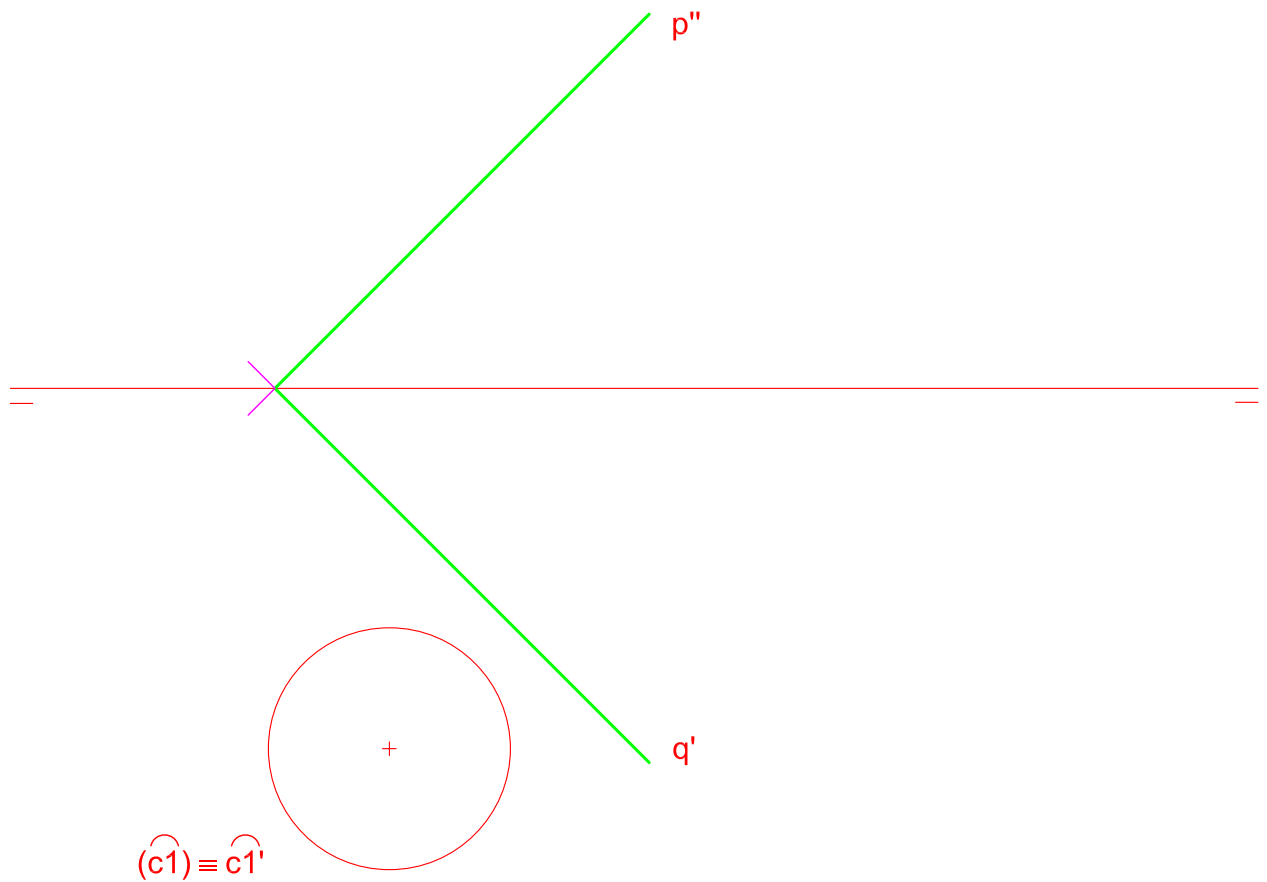
254)



255)

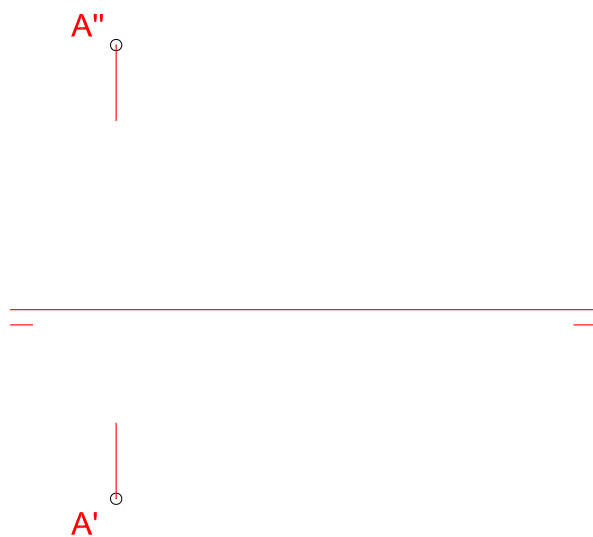


256) Dada a curva $(\widehat{c1})$, rebatimento de $(\widehat{c}) \subset (\alpha)$, alçar (\widehat{c}) para (α) , utilizando o alçamento das horizontais de (α) e sabendo que $(\alpha) \equiv \text{plano } (p;q)$.



Nas épuras 257 a 267 resolver os exercícios utilizando o Método de Rotações.

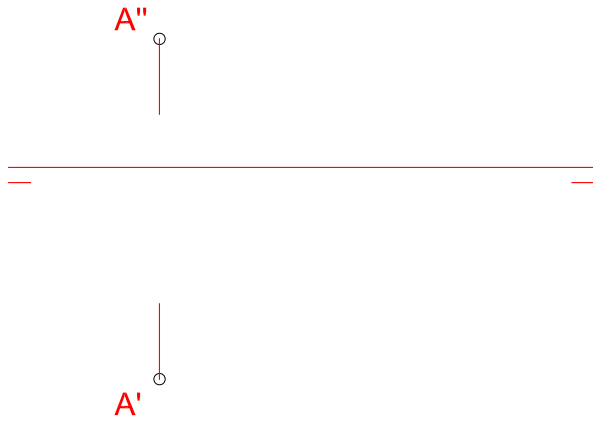
257) Fazer com que (A) venha a pertencer ao 3º diedro e ao bissetor.



258) Localizar (B) no 4º diedro e no bissetor.



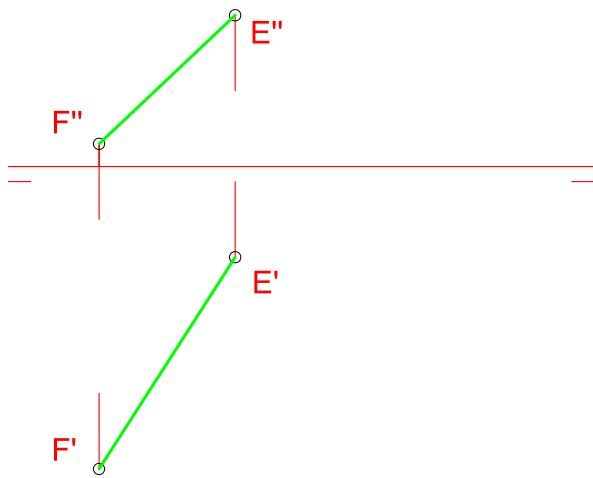
259) Rotar (A) para π'' .



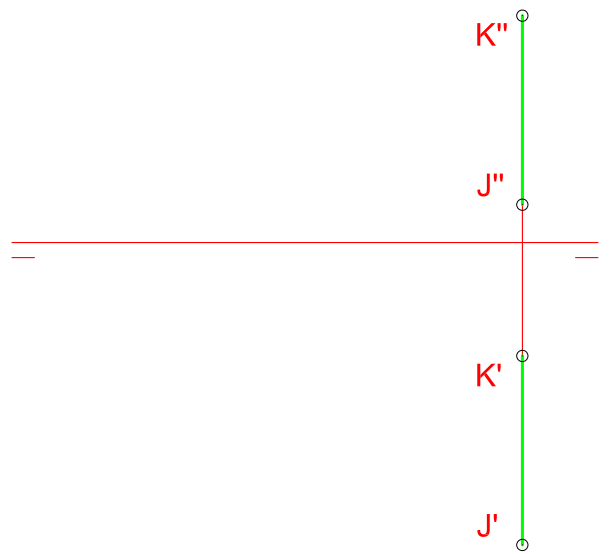
260) Rotar (B) para π' .



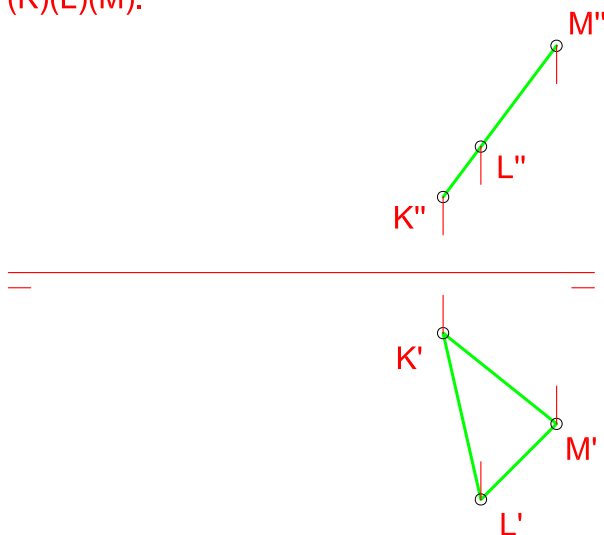
261) Determinar a V.G. de $\overline{(E)(F)}$.



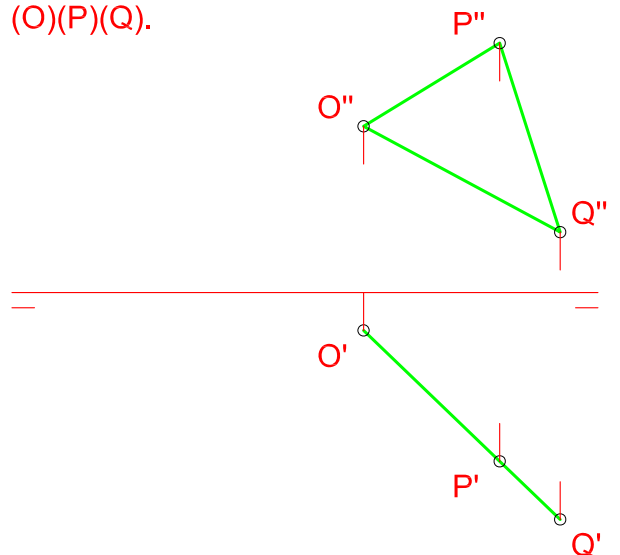
262) Determinar a V.G. de $\overline{(J)(K)}$.



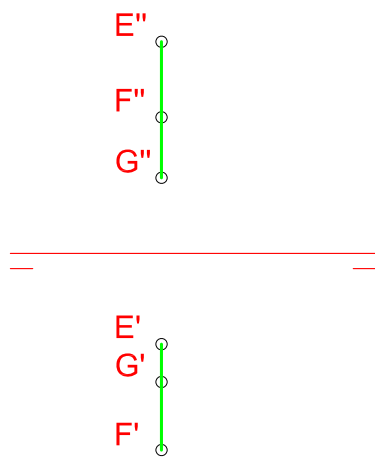
263) Determinar a V.G. do triângulo (K)(L)(M).



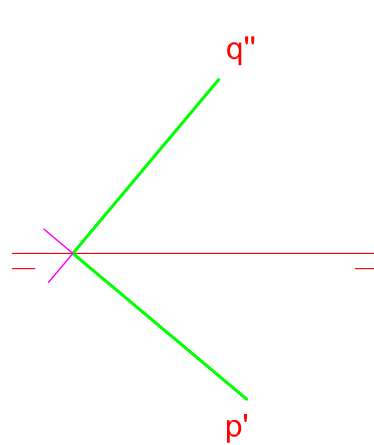
264) Determinar a V.G. do triângulo (O)(P)(Q).



265) Determinar a V.G.

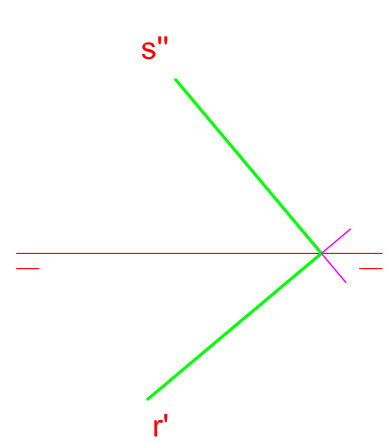


266) Tornar (α) de tpo.



$(\alpha) \equiv$ plano (p;q)

267) Tornar (δ) vertical.



$(\delta) \equiv$ plano (r;s)

Nas puras 268 a 286 solucionar pelo Mtodo de Mudana de Plano de Projeo.

268) Passar (A) para o 2 diedro.



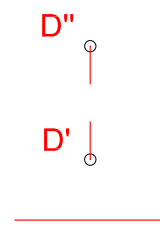
269) Passar (B) para o 4 diedro.



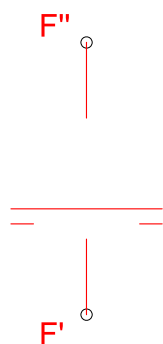
270) Passar (C) para o 3 diedro e bissetor.



271) Passar (D) para o 4 diedro e bissetor.



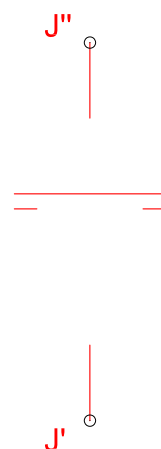
272) $(F) \in (\pi'+)$.



273) $(E) \in (\pi''+)$.

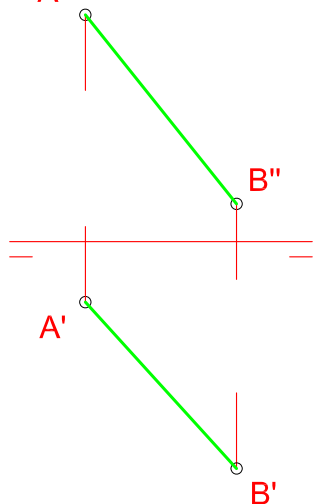


274) $(J) \in (\pi'-)$.

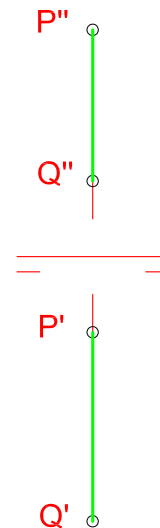


Nas épuras 275 e 276 determinar a verdadeira grandeza do segmento dado.

275) A''

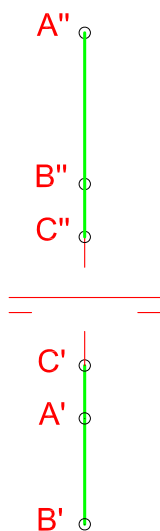


276) P''

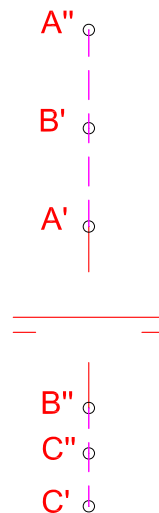


Nas épuras 277 a 281 determine a verdadeira grandeza das figuras planas dadas.

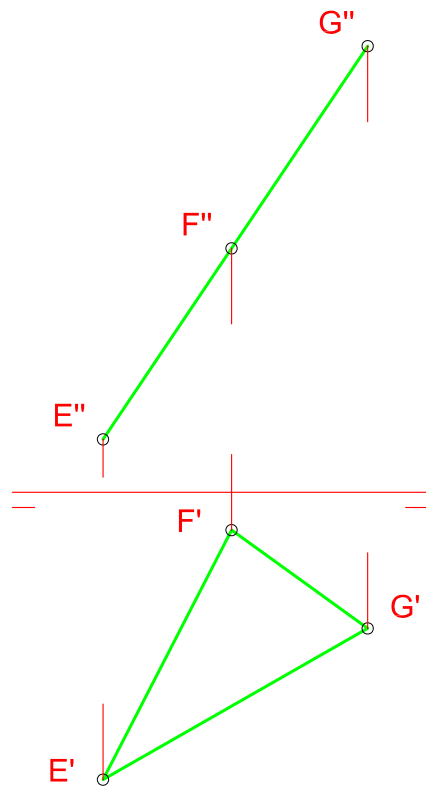
277)



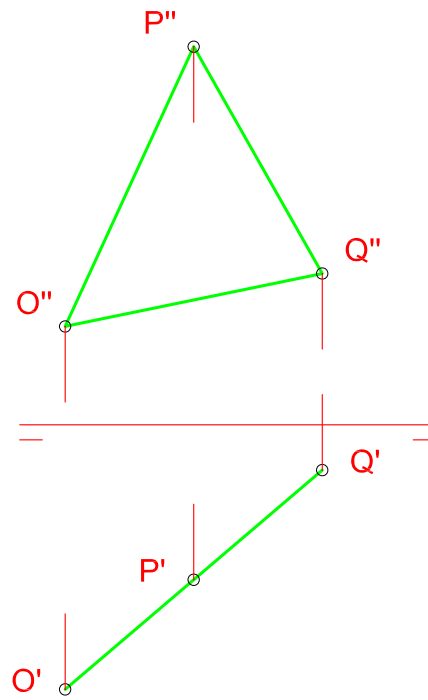
278)



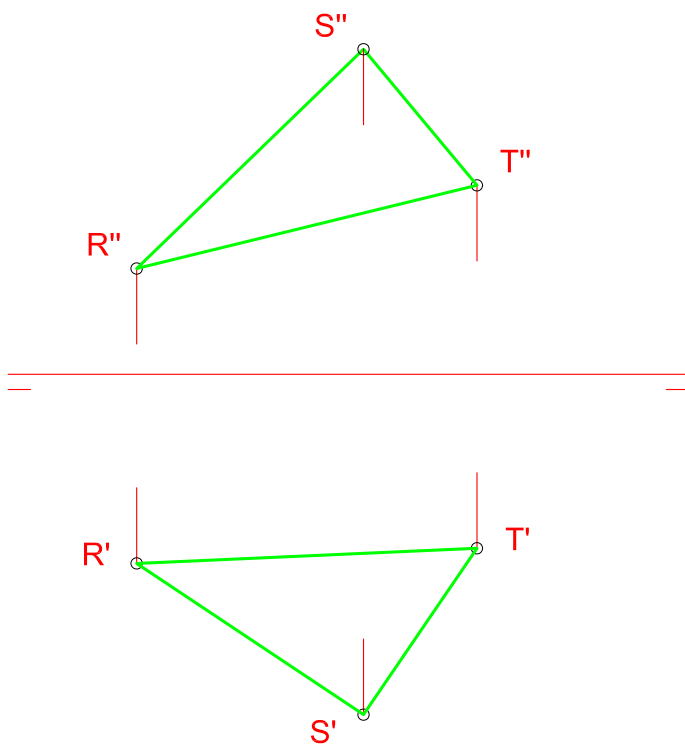
279)



280)



281)



282) Tornar (α) de t \hat{o} po.

m''

$m1'$

$(\alpha) \equiv$ plano $(m; m1)$

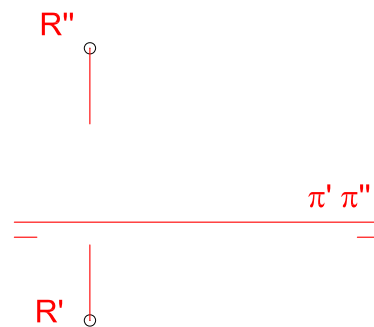
283) Tornar (β) vertical.

s''

$s1'$

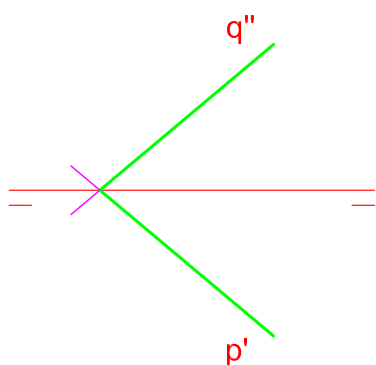
$(\beta) \equiv$ plano $(s; s1)$

284) Tornar (γ) de t \hat{o} po.



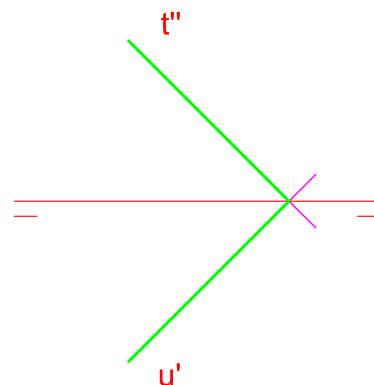
$(\gamma) \equiv$ plano $(R; \pi' \pi'')$

285) Tornar (δ) de t \hat{o} po.



$(\delta) \equiv$ plano $(p; q)$

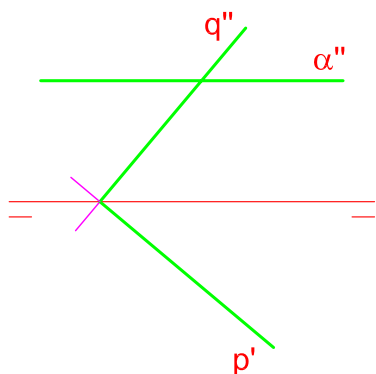
290) Tornar (σ) vertical.



$(\sigma) \equiv$ plano $(t; u)$

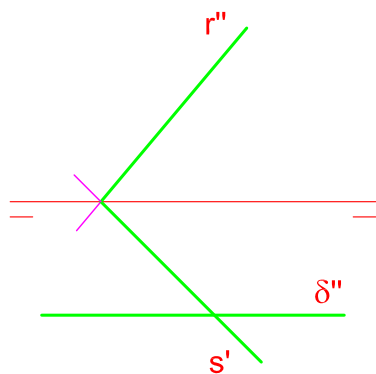
Nas \acute{e} puras 287 a 323 determine a curva (i) de intersec \csc o entre os planos dados.

287)



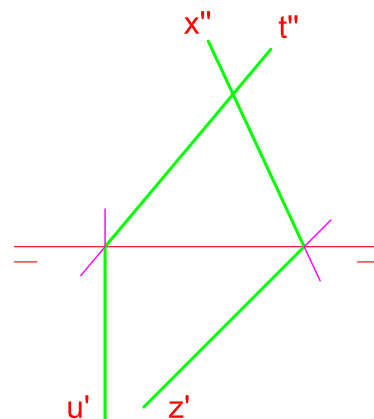
$(\lambda) \equiv$ plano $(p; q)$

288)



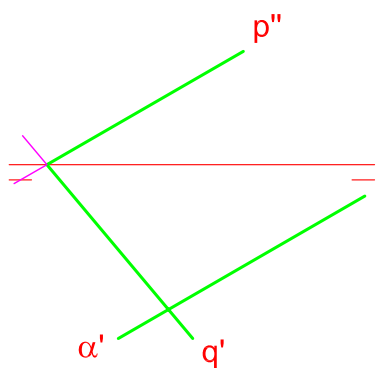
$(\omega) \equiv$ plano $(r; s)$

289)

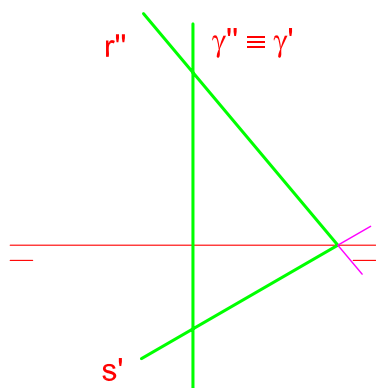


$(\alpha) \equiv$ plano $(x; z)$
 $(\beta) \equiv$ plano $(t; u)$

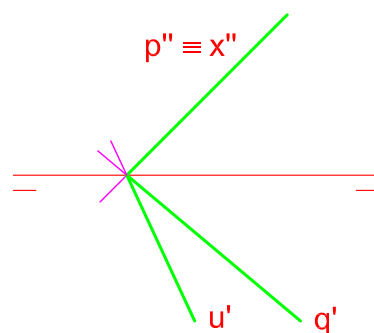
290) $(\delta) \equiv \text{plano } (p; q)$



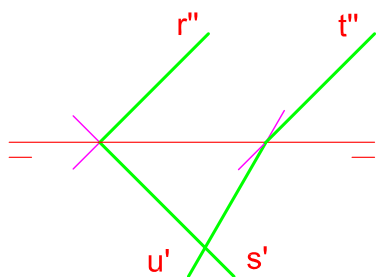
291) $(\beta) \equiv \text{plano } (r; s)$



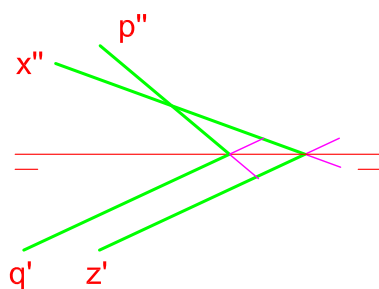
292) $(\alpha) \equiv \text{plano } (p; q)$
 $(\beta) \equiv \text{plano } (x; u)$



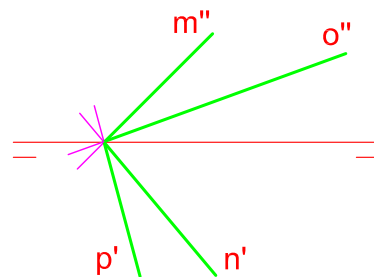
293) $(\lambda) \equiv \text{plano } (r; s)$
 $(\sigma) \equiv \text{plano } (t; u)$



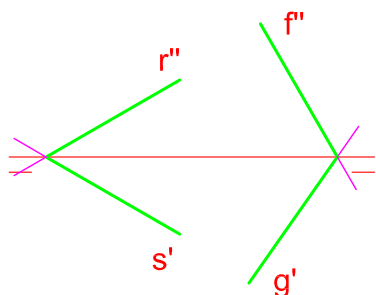
294) $(\alpha) \equiv \text{plano } (p; q)$
 $(\omega) \equiv \text{plano } (x; z)$



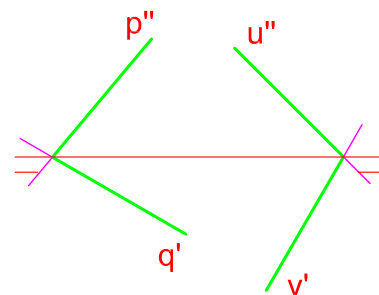
295) $(\beta) \equiv \text{plano } (m; n)$
 $(\delta) \equiv \text{plano } (o; p)$



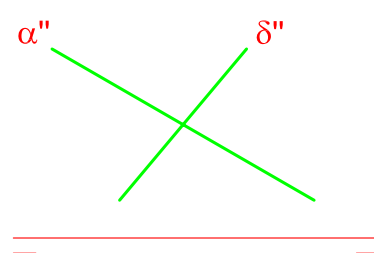
296) $(\gamma) \equiv \text{plano } (r; s)$
 $(\beta) \equiv \text{plano } (f; g)$



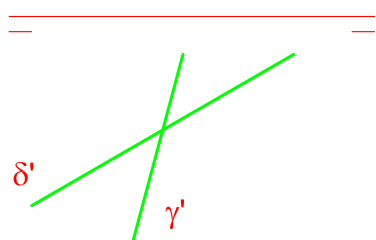
297) $(\omega) \equiv \text{plano } (p; q)$
 $(\delta) \equiv \text{plano } (u; v)$



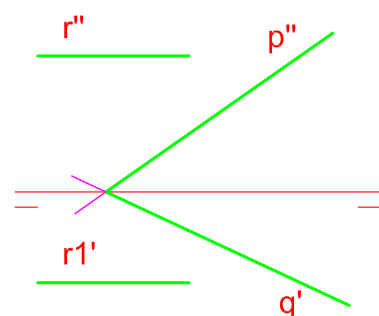
298)



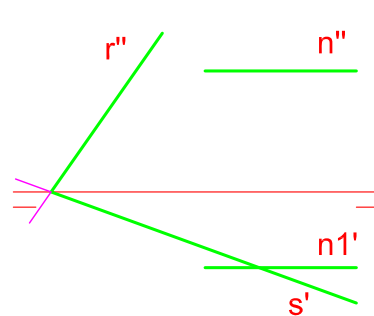
299)



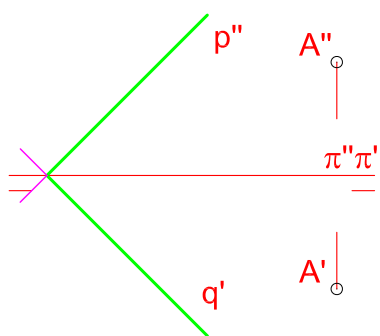
300) $(\alpha) \equiv \text{plano } (p; q)$
 $(\beta) \equiv \text{plano } (r; r1)$



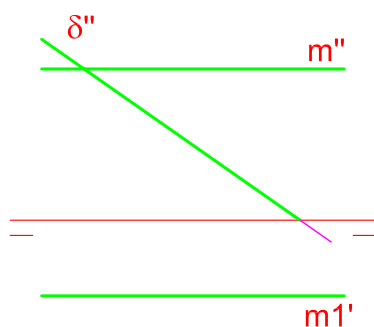
301) $(\delta) \equiv \text{plano } (r; s)$
 $(\gamma) \equiv \text{plano } (n; n1)$



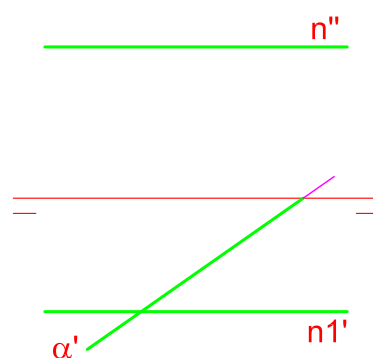
302) $(\alpha) \equiv \text{plano } (p; q)$
 $(\delta) \equiv \text{plano } (A; \pi''\pi')$



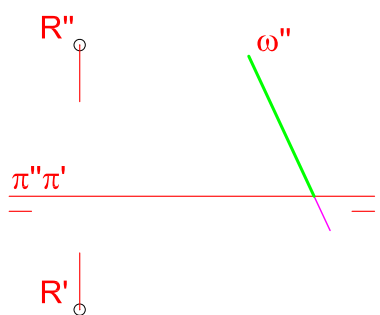
303) $(\omega) \equiv \text{plano } (m; m1)$



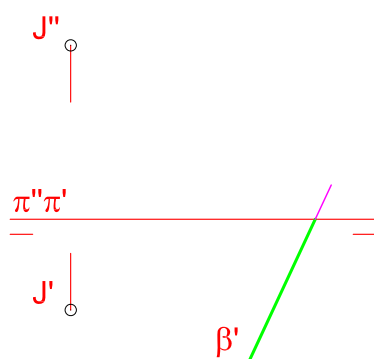
304) $(\beta) \equiv \text{plano } (n; n1)$



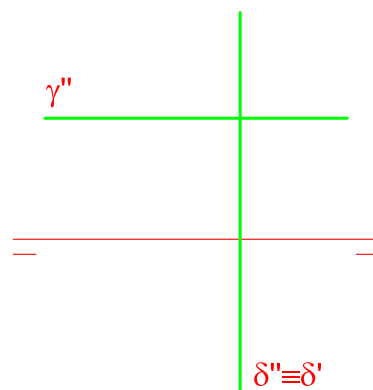
305) $(\alpha) \equiv \text{plano } (R; \pi''\pi')$



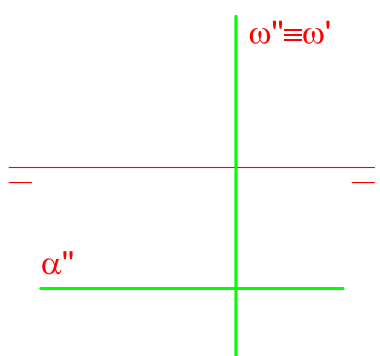
306) $(\delta) \equiv \text{plano } (J; \pi''\pi')$



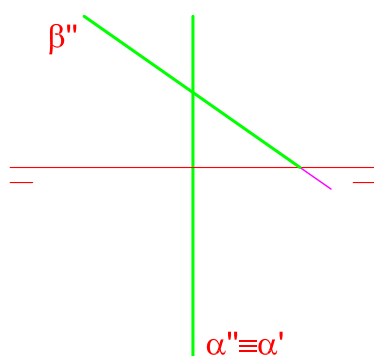
307)



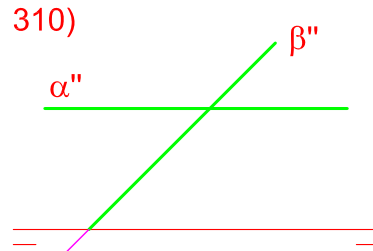
308)



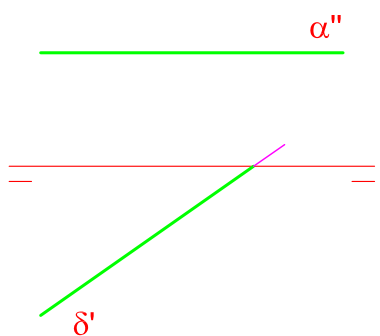
309)



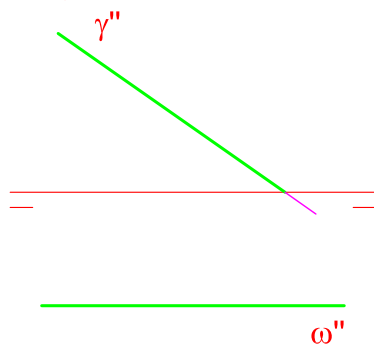
310)



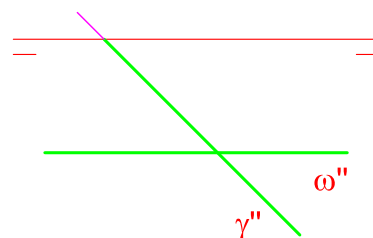
311)



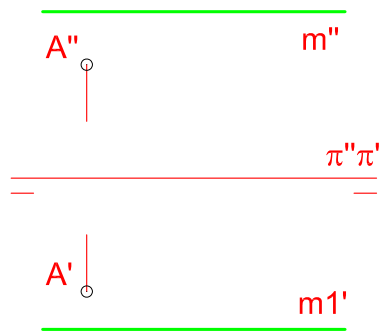
312)



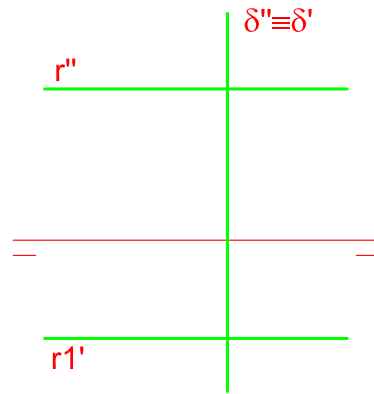
313)



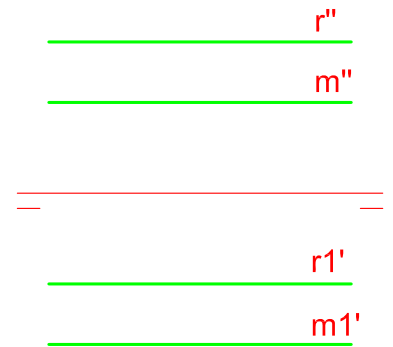
314) $(\delta) \equiv \text{plano } (m; m1)$
 $(\alpha) \equiv \text{plano } (A; \pi''\pi')$



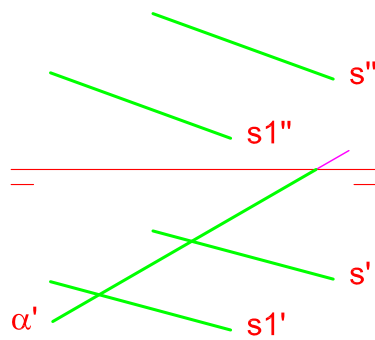
315) $(\alpha) \equiv \text{plano } (r; r1)$



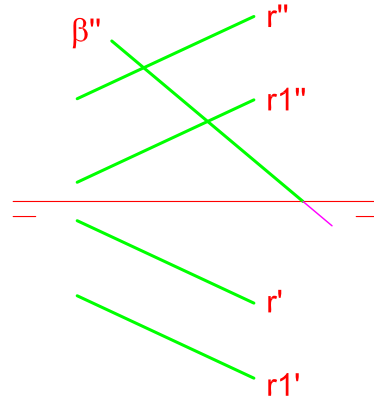
316) $(\alpha) \equiv \text{plano } (m; m1)$
 $(\beta) \equiv \text{plano } (r; r1)$



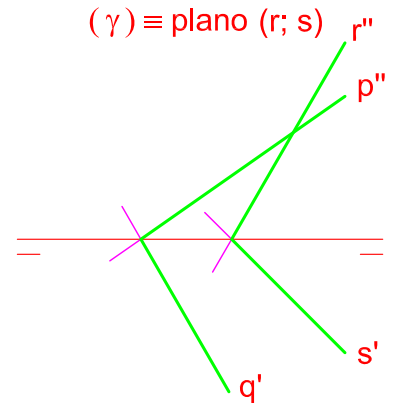
317) $(\gamma) \equiv \text{plano } (s; s1)$



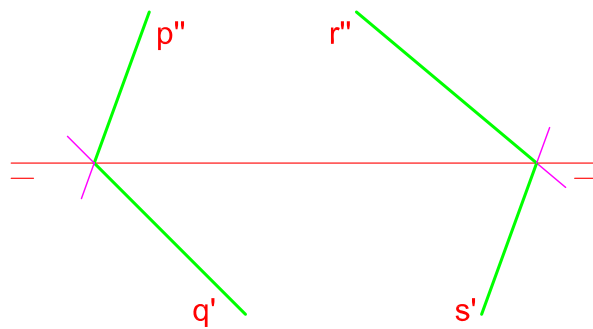
318) $(\alpha) \equiv \text{plano } (r; r1)$



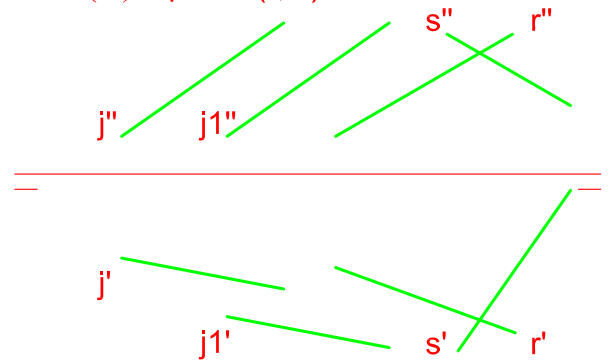
319) $(\delta) \equiv \text{plano } (p; q)$
 $(\gamma) \equiv \text{plano } (r; s)$



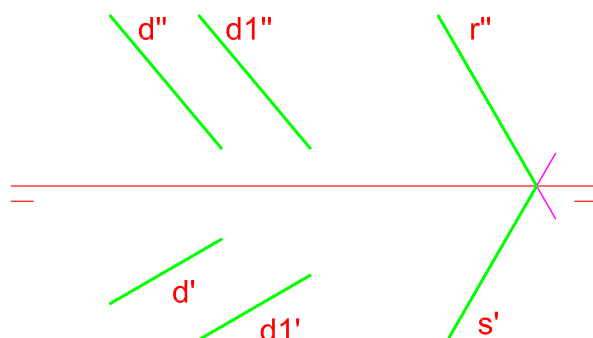
320) $(\lambda) \equiv \text{plano } (p; q)$
 $(\omega) \equiv \text{plano } (r; s)$



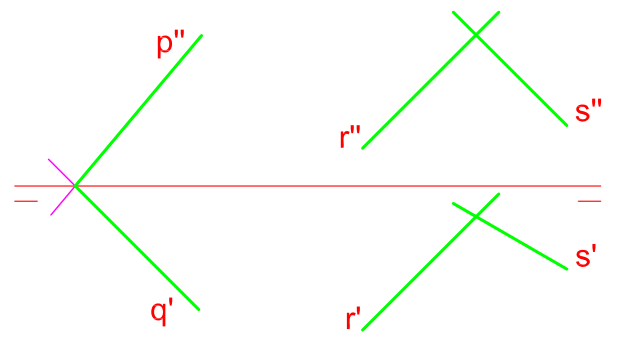
321) $(\sigma) \equiv \text{plano } (j; j1)$
 $(\omega) \equiv \text{plano } (r; s)$



322) $(\alpha) \equiv \text{plano } (r; s)$
 $(\beta) \equiv \text{plano } (d; d1)$

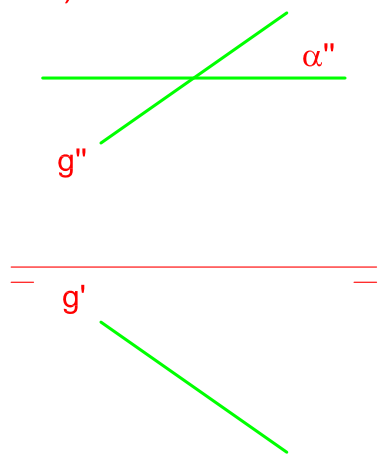


323) $(\delta) \equiv \text{plano } (r; s)$
 $(\gamma) \equiv \text{plano } (p; q)$

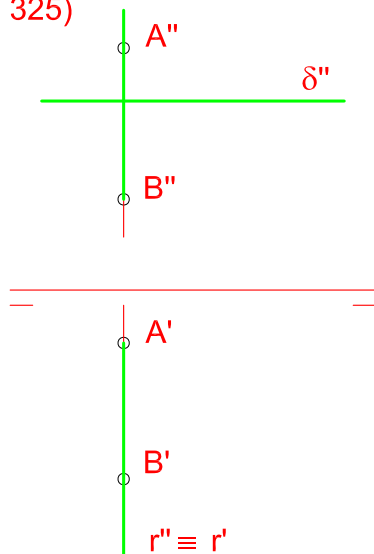


Nas épuras 324 a 337 determine a intersecção (T) entre a reta e o plano dado.

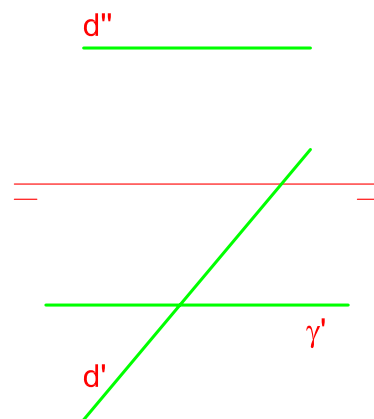
324)



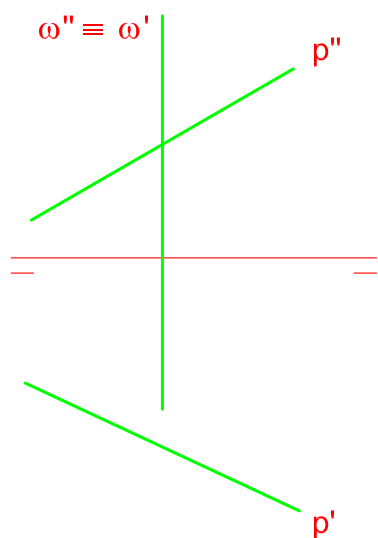
325)



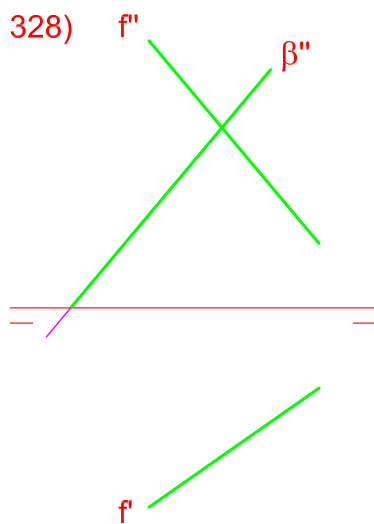
326)



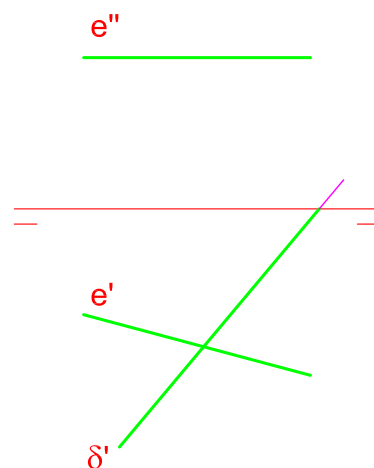
327)



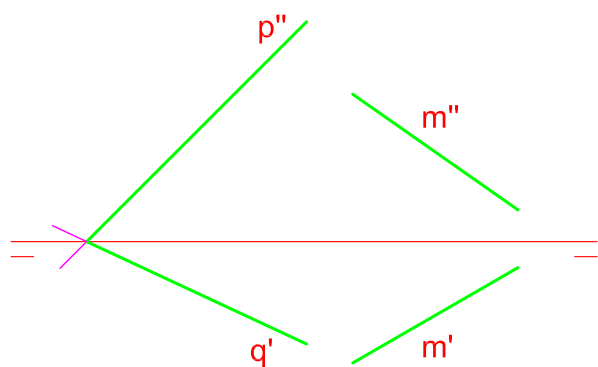
328)



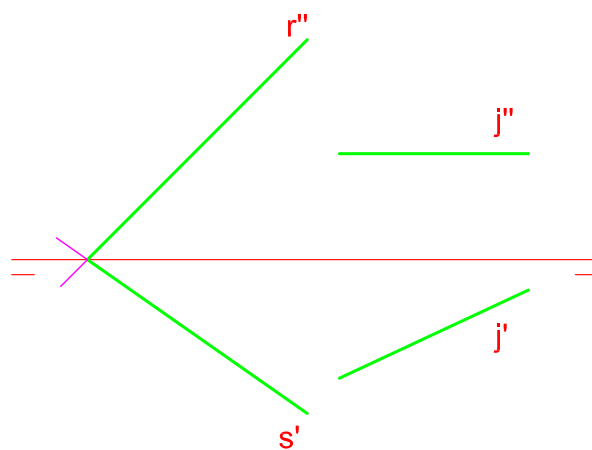
329)



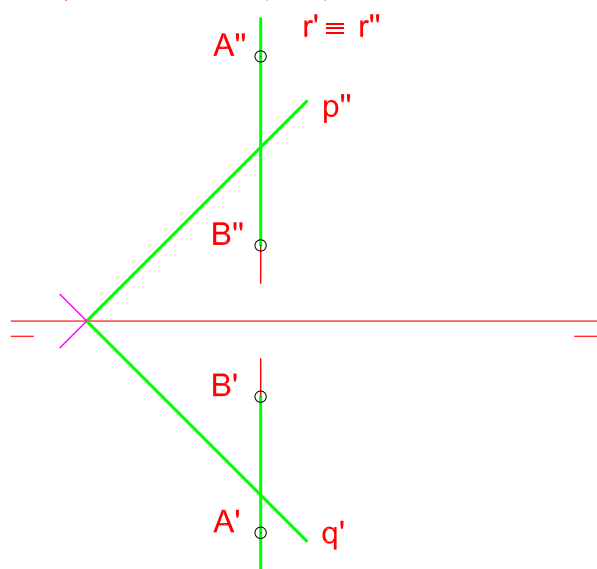
330) $(\alpha) \equiv \text{plano } (q; p)$



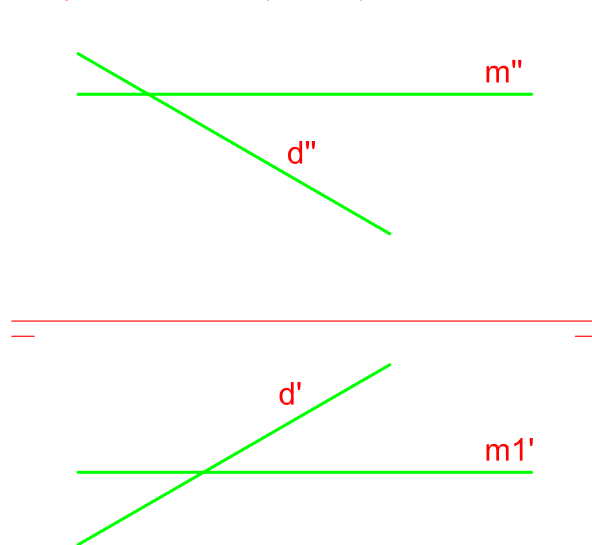
331) $(\lambda) \equiv \text{plano } (r; s)$



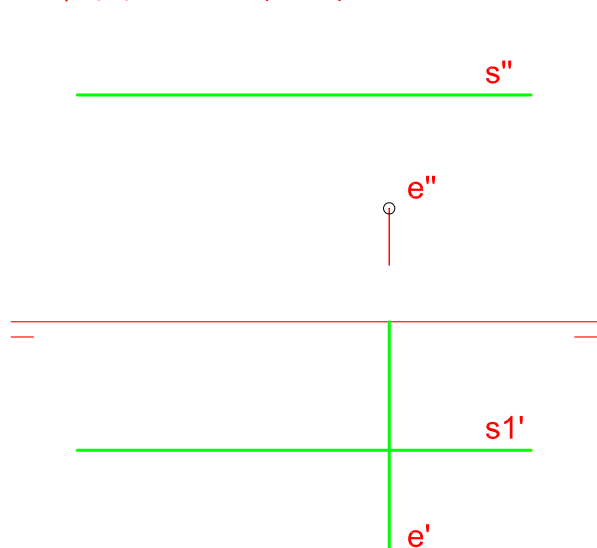
332) $(\alpha) \equiv \text{plano } (p; q)$



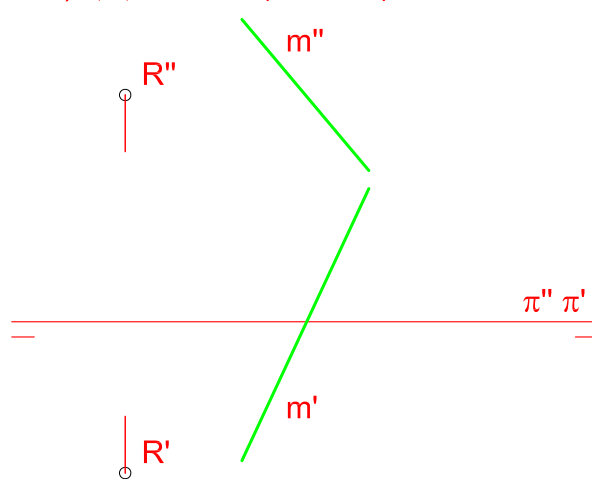
333) $(\beta) \equiv \text{plano } (m; m_1)$



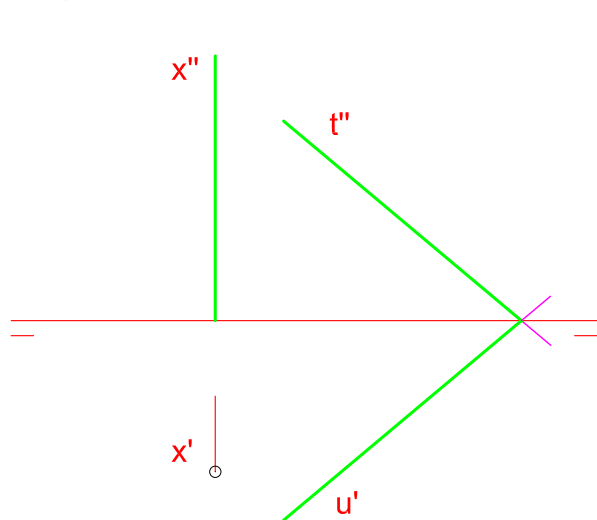
334) $(\delta) \equiv \text{plano } (s; s_1)$



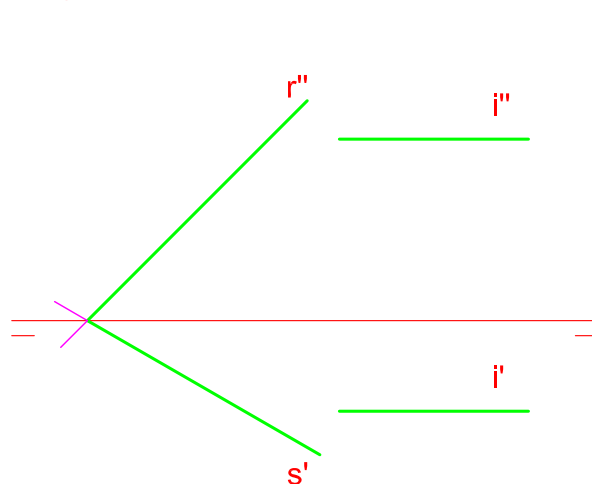
335) $(\gamma) \equiv \text{plano } (R; \pi'' \pi')$



336) $(\omega) \equiv \text{plano } (t; u)$

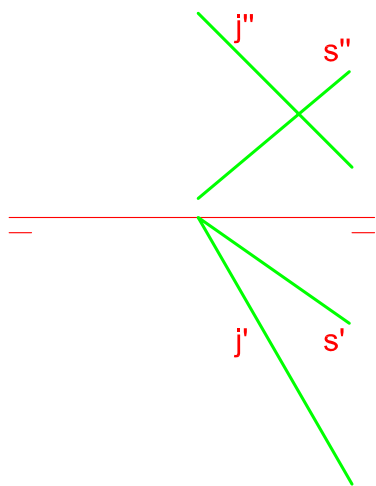


337) $(\lambda) \equiv \text{plano } (r; s)$

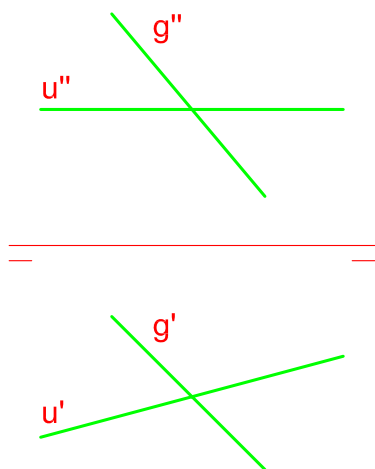


Nas épuras 338 à 349 determine, em V.G., o ângulo formado pelas retas dadas.

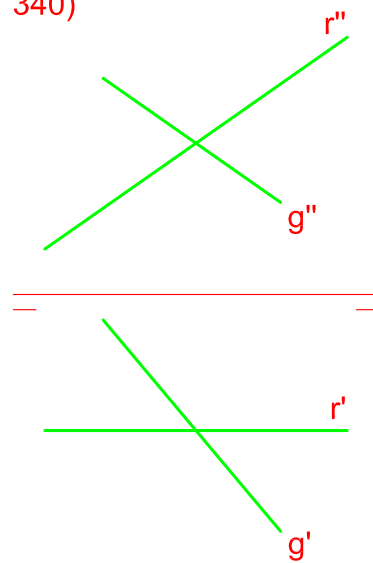
338)



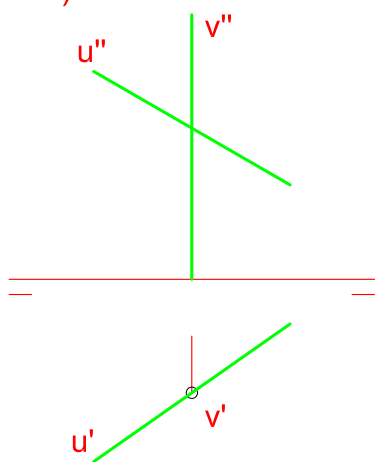
339)



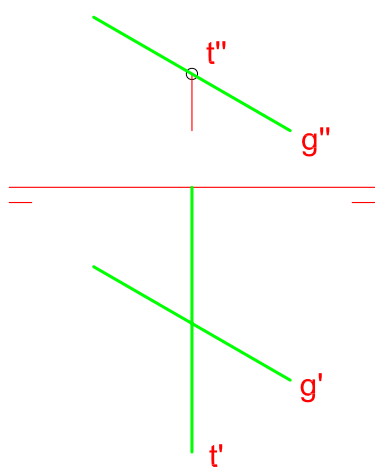
340)



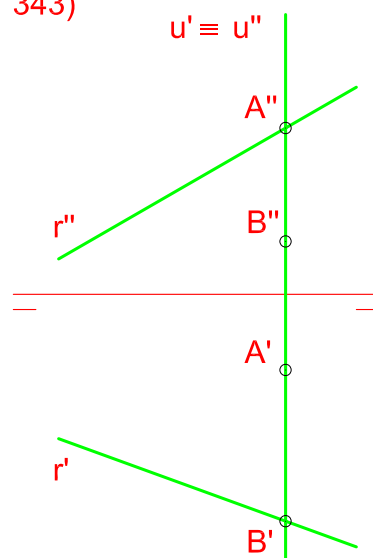
341)



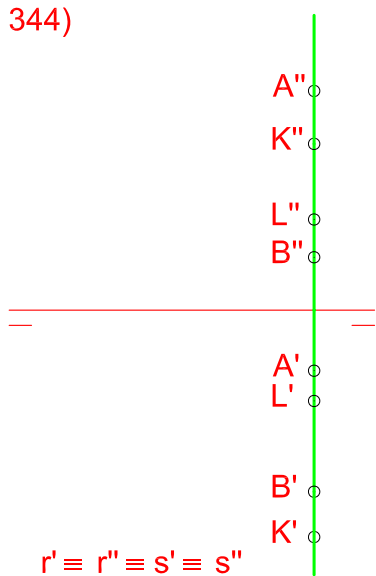
342)



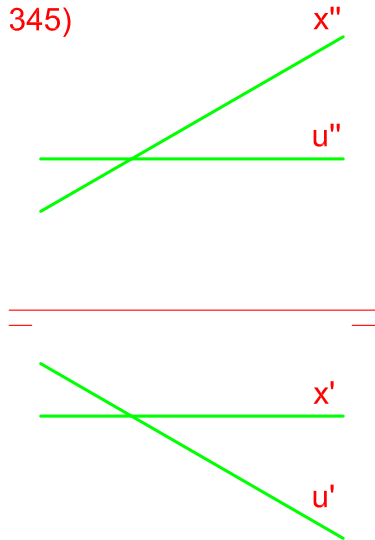
343)



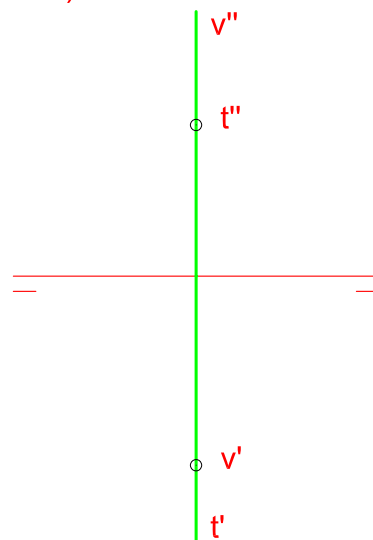
344)



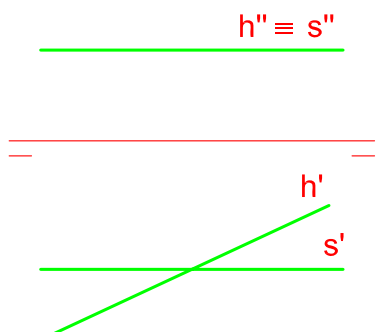
345)



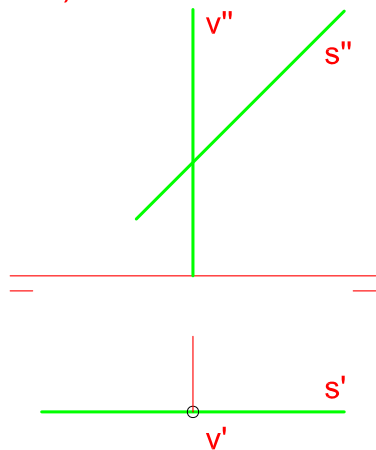
346)



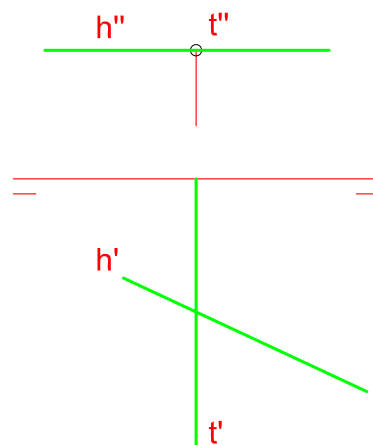
347)



348)

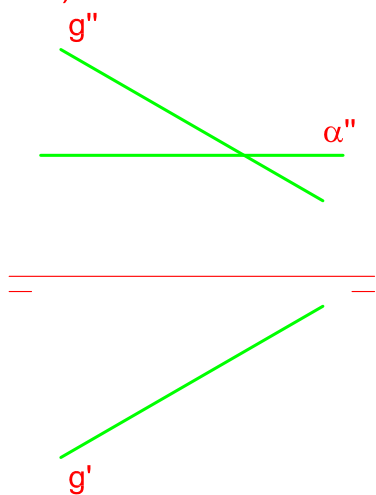


349)

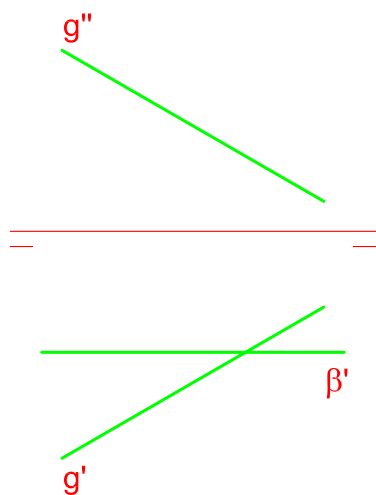


Nas épuras 350 à 359 determine, em V.G., os ângulos entre as retas e os planos dados.

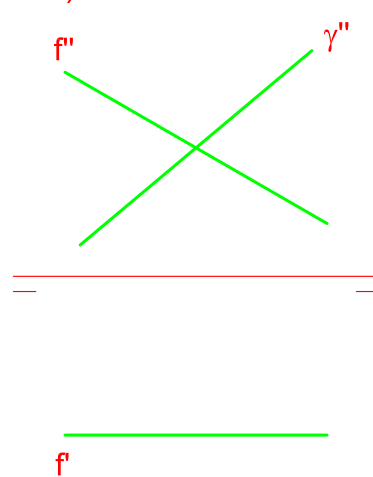
350)



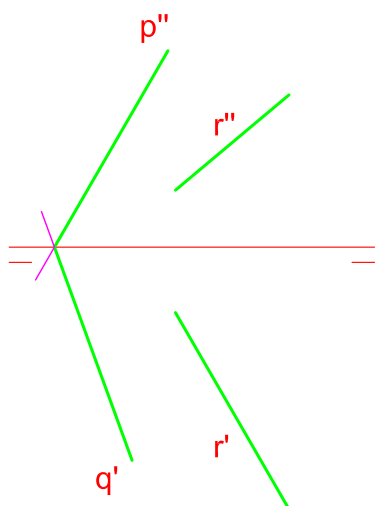
351)



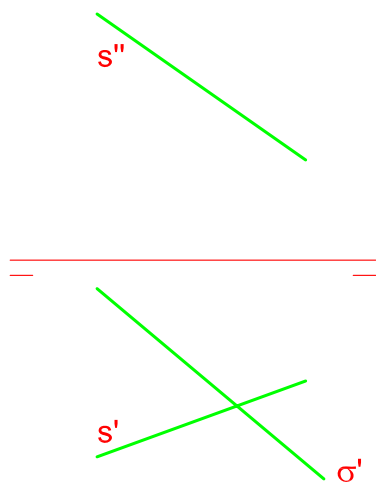
352)



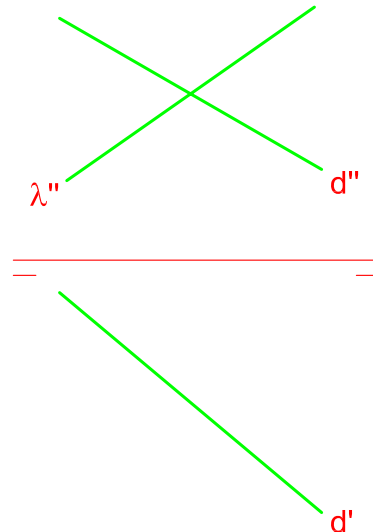
353) (δ) \equiv plano (p; q)



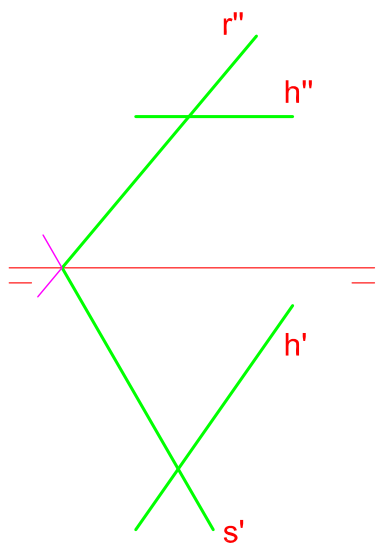
354)



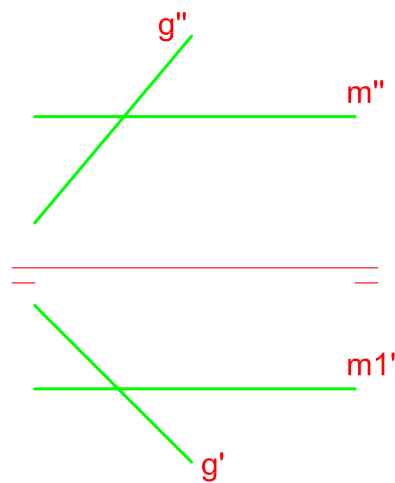
355)



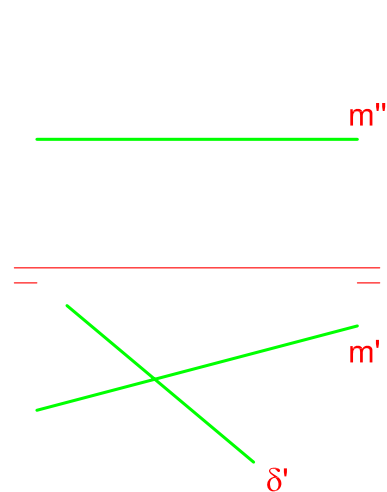
356) $(\delta) \equiv \text{plano } (r; s)$



357) $(\alpha) \equiv \text{plano } m; m1$

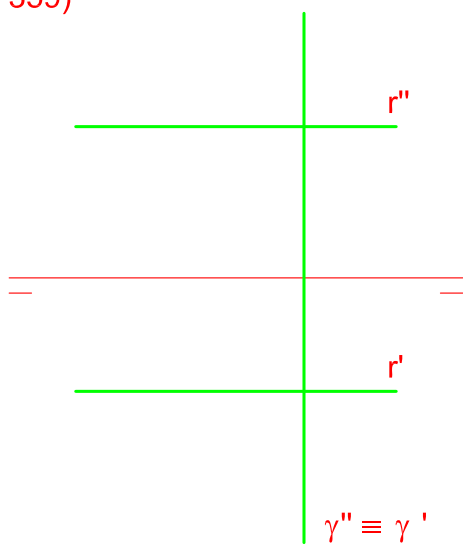


358)

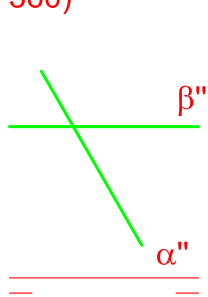


Nas épuras 360 à 368 determine, em V.G., o ângulo formado entre os planos dados.

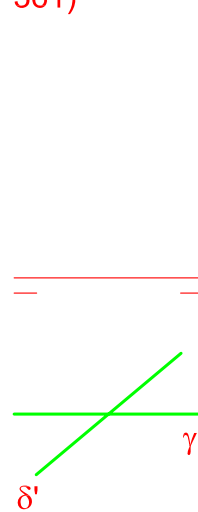
359)



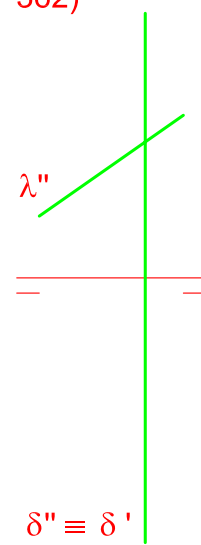
360)



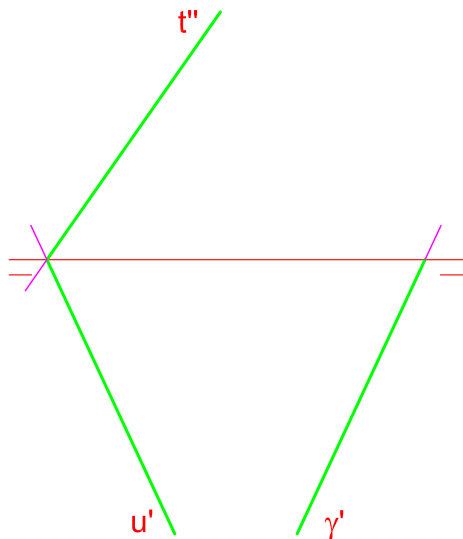
361)



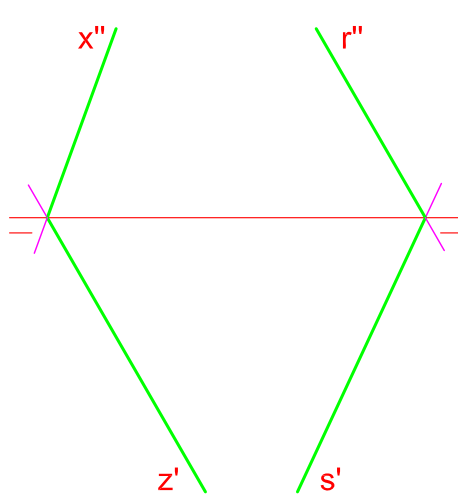
362)



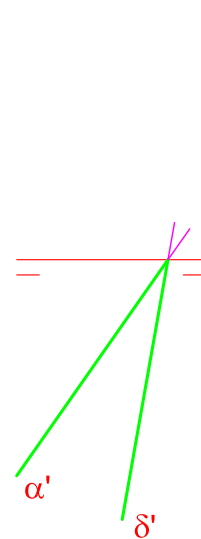
363) $(\alpha) \equiv \text{plano } (t; u)$



364) $(\delta) \equiv \text{plano } (x; z)$
 $(\gamma) \equiv \text{plano } (r; s)$



365)



<p>366) $(\alpha) \equiv \text{plano } (r; s)$</p>	<p>367) $(\delta) \equiv \text{plano } (r; r1)$ $(\delta1) \equiv \text{plano } (s; s1)$</p>	<p>368)</p>
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Nas épuras 369 à 371 determine, em V.G., a distância do ponto à reta dada.

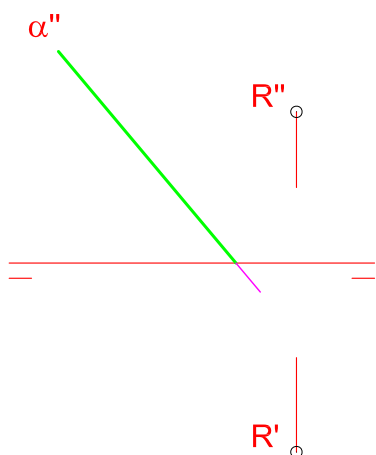
<p>369)</p>	<p>370)</p>	<p>371)</p>
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Nas épuras 372 à 375 determine, em V.G., a distância entre as retas dadas.

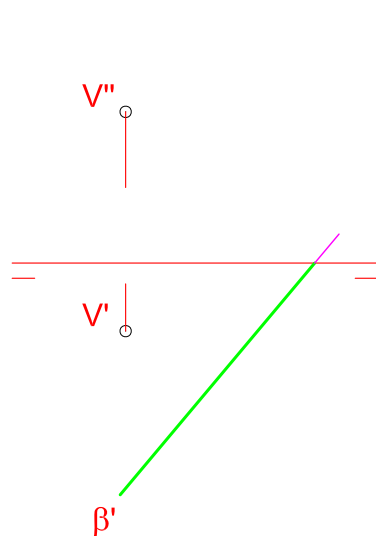
<p>372)</p>	<p>373)</p>	<p>374)</p>	<p>375)</p>
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Nas épuras 376 à 382 determine, em V.G., a distância do ponto ao plano dado.

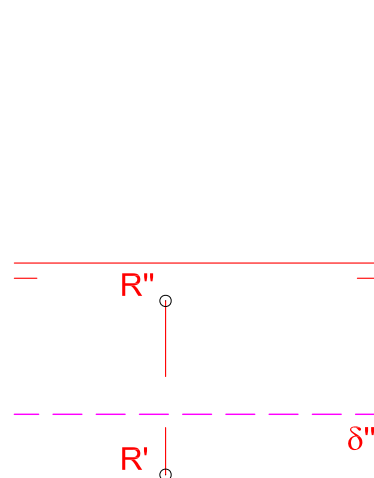
376)



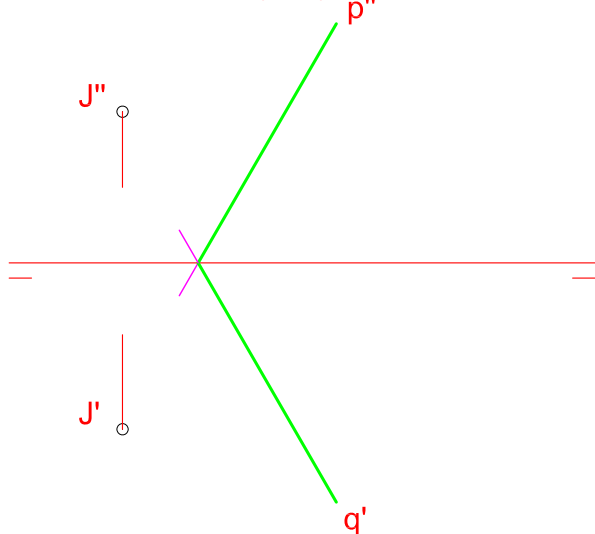
377)



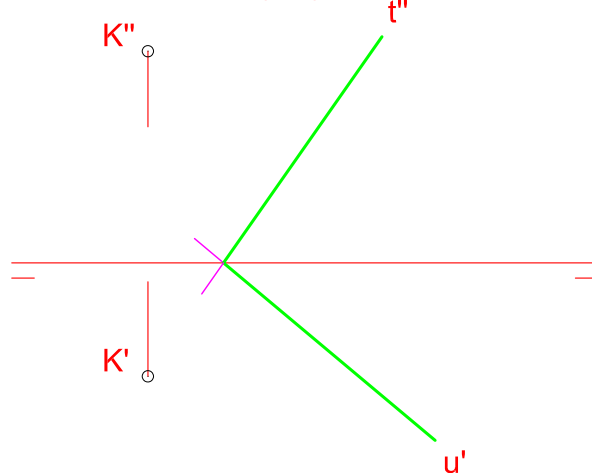
378)



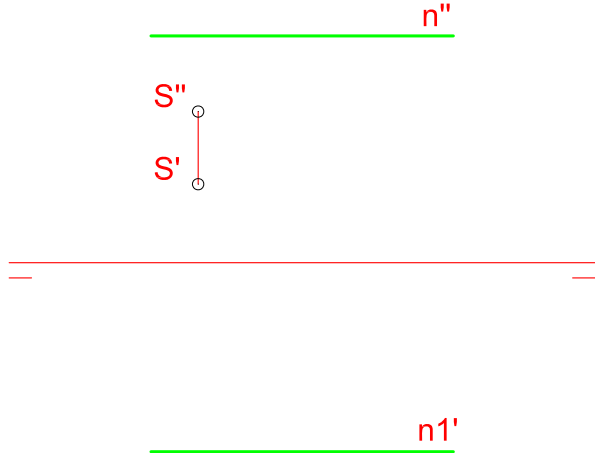
379) $(\alpha) \equiv$ plano (p; q)



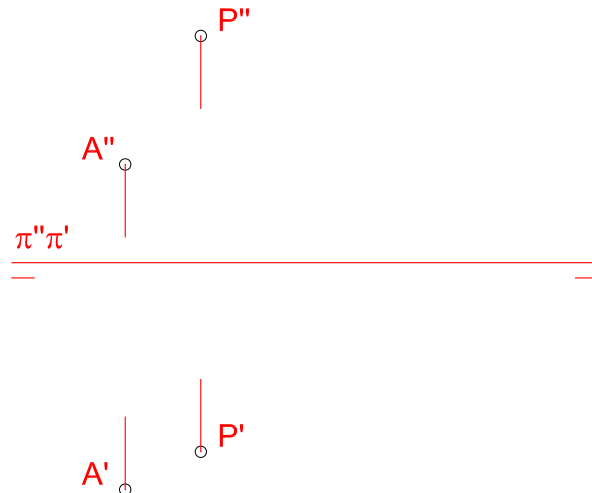
380) $(\gamma) \equiv$ plano (t; u)



381) $(\lambda) \equiv$ plano (n; n1)

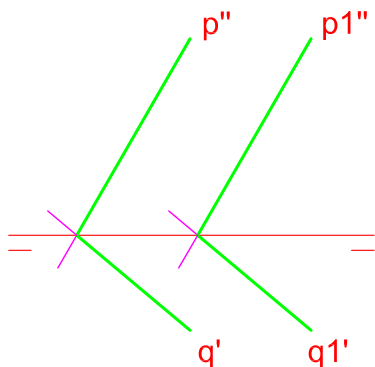


382) $(\omega) \equiv$ plano (A; $\pi''\pi'$)

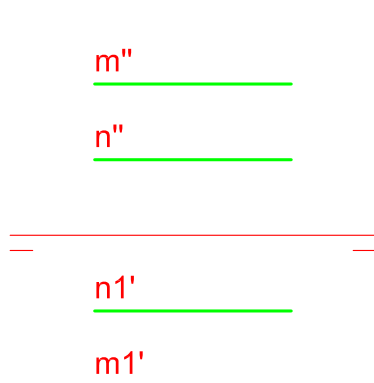


Nas épuras 383 à 389 determine, em V.G., a distância entre os planos dados.

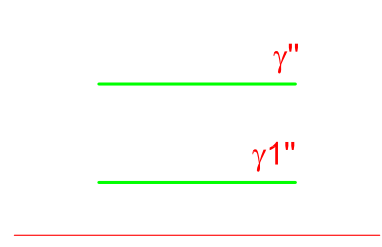
383) $(\alpha) \equiv$ plano $(p; q)$
 $(\alpha l) \equiv$ plano $(q1; p1)$



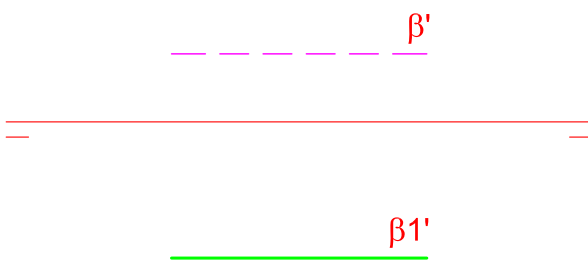
384) $(\delta) \equiv$ plano $m; m1)$
 $(\delta l) \equiv$ plano $(n; n1)$



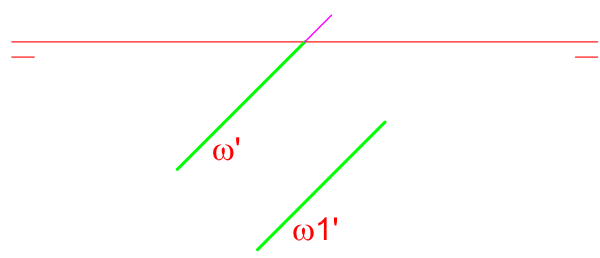
385)



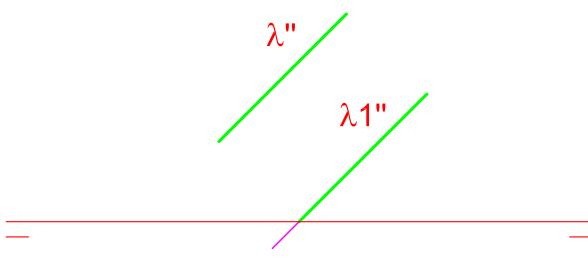
386)



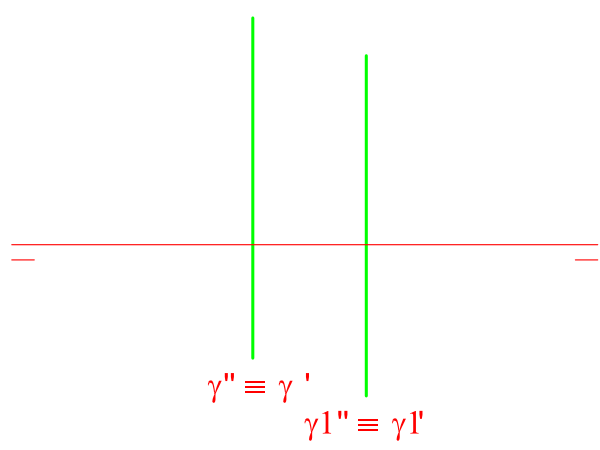
387)



388)



389)

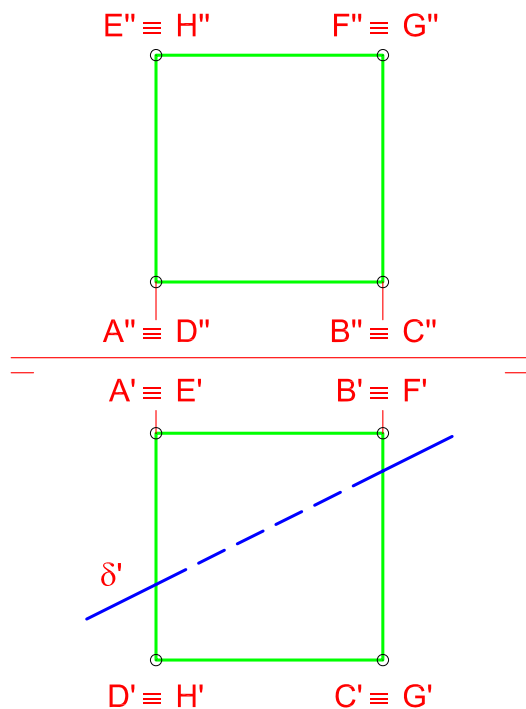


390) Representar, na escala 1/100, o prisma reto (A)(B)(C)(D) - (E)(F)(G)(H) de base quadrada regular, sabendo-se que a base (A)(B)(C)(D) tem cota igual a 1,0 m, a altura do prisma é igual a 4,0 m e que o lado (A)(B) faz 60° com π'' e mede 3,0.

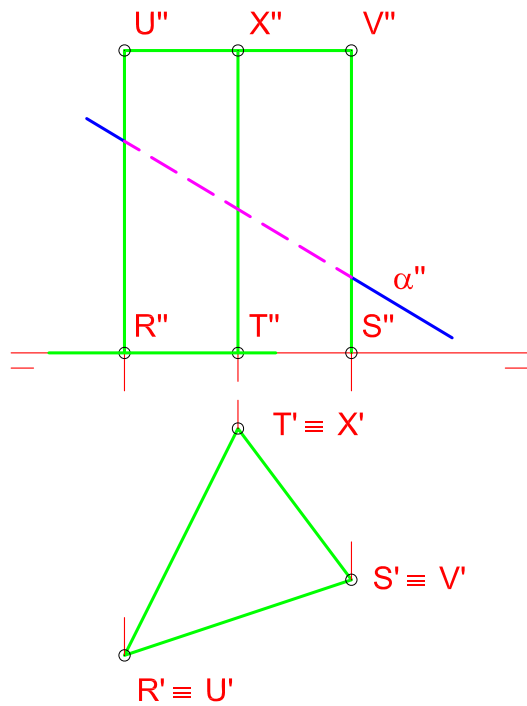
- a) Determinar a secção produzida no prisma por um plano horizontal de cota 2,0;
- b) Planificar o prisma com a transformada da secção.



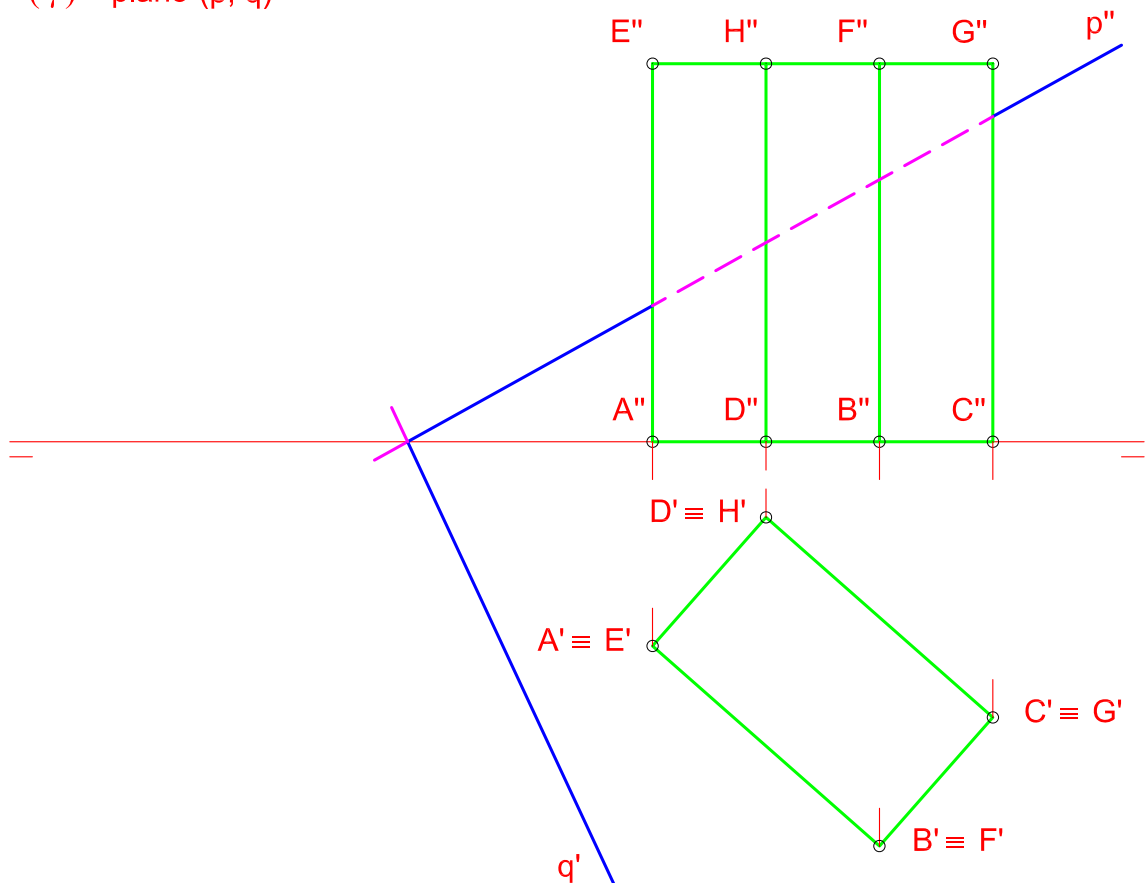
391) Representar o polígono secção e determinar a sua verdadeira grandeza. Planificar o prisma com a transformada da secção.



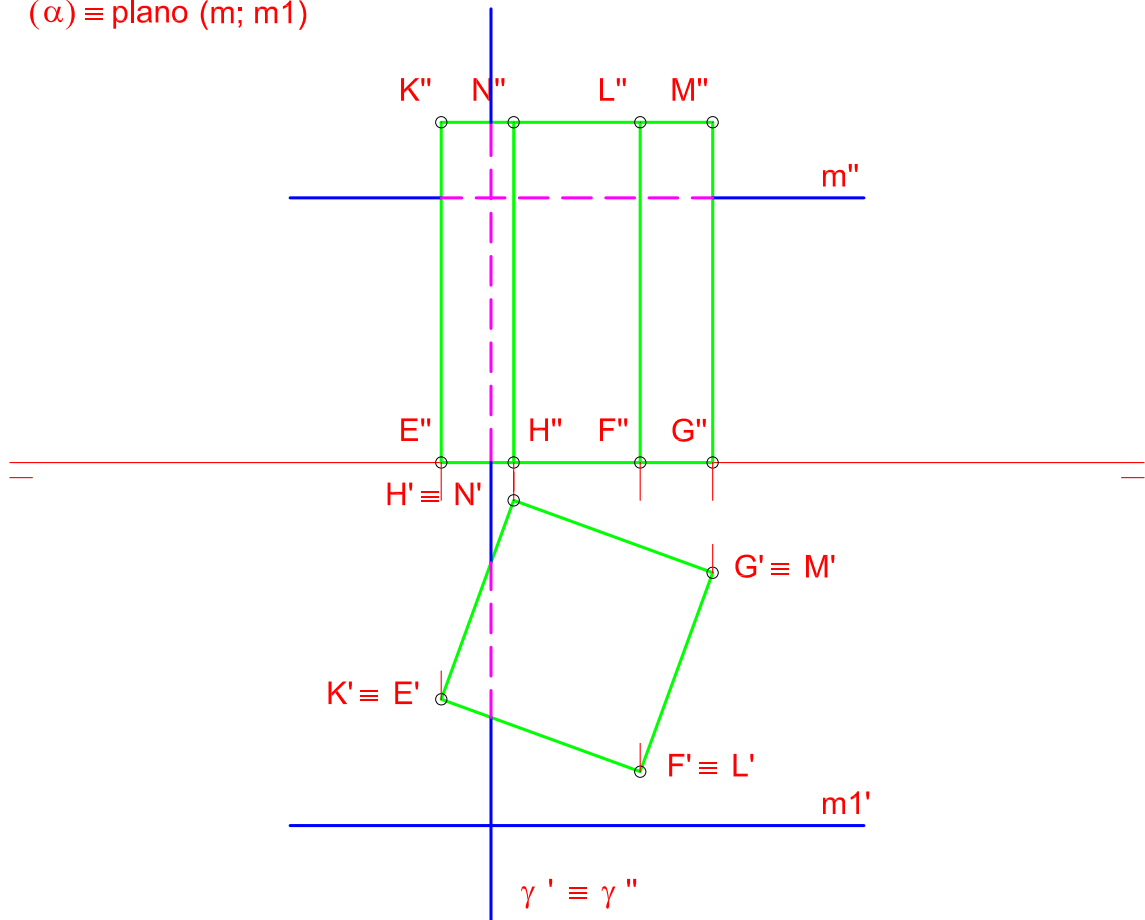
392) Representar o polígono secção e determinar a sua verdadeira grandeza. Planificar o prisma com a transformada da secção.



393) Representar o polígono secção e determinar a sua verdadeira grandeza.
 (γ) \equiv plano (p; q)

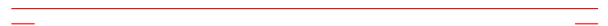
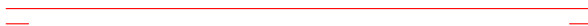


394) Representar o polígono secção e determinar a sua verdadeira grandeza.
 ($\alpha \equiv$ plano (m; m1))



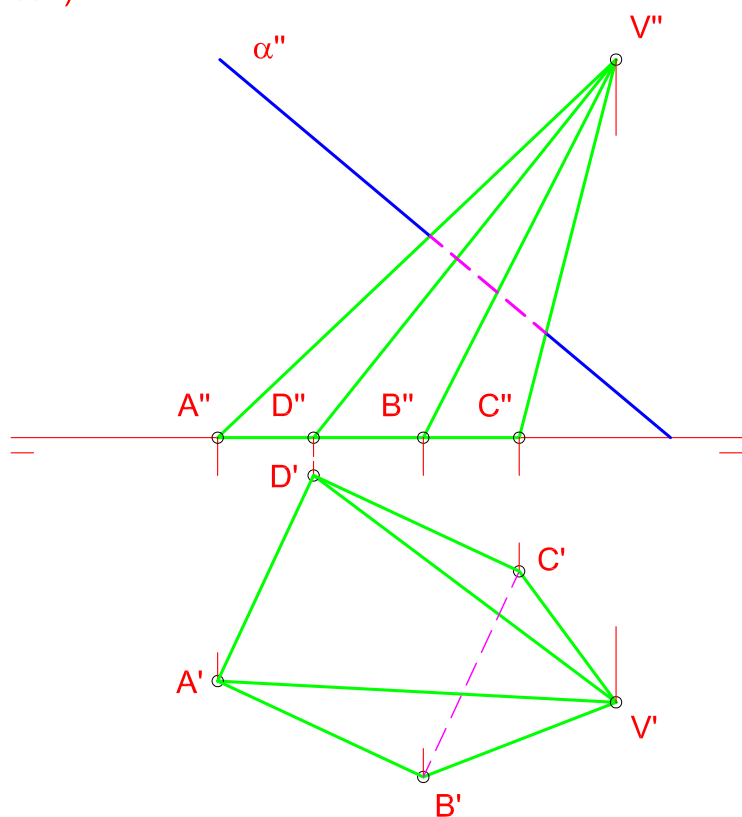
395) Representar uma pirâmide oblíqua de base triangular regular assentada em π' e planificar a pirâmide.

396) Representar a pirâmide regular de base quadrangular regular assentada em π' e planificar a pirâmide.

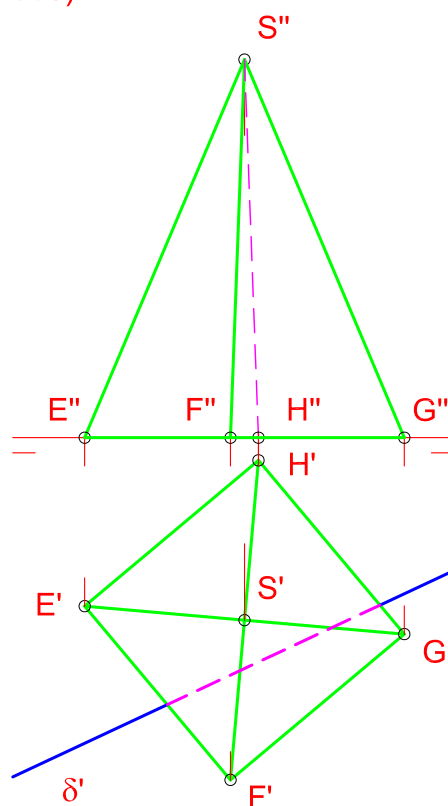


Nas épuras 397 a 400 represente o polígono secção.

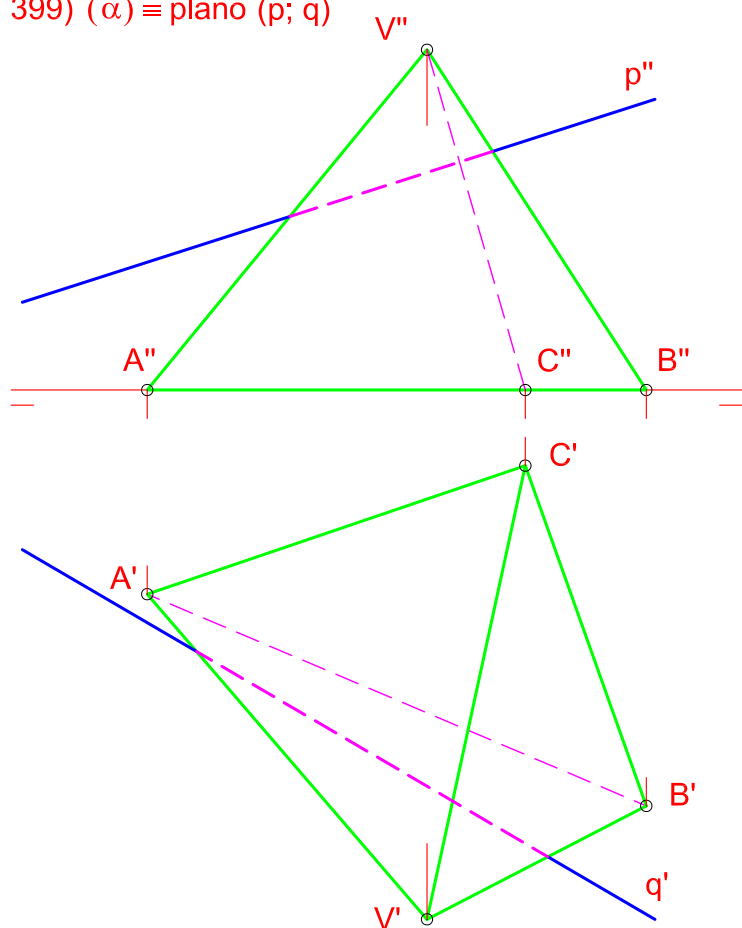
397)



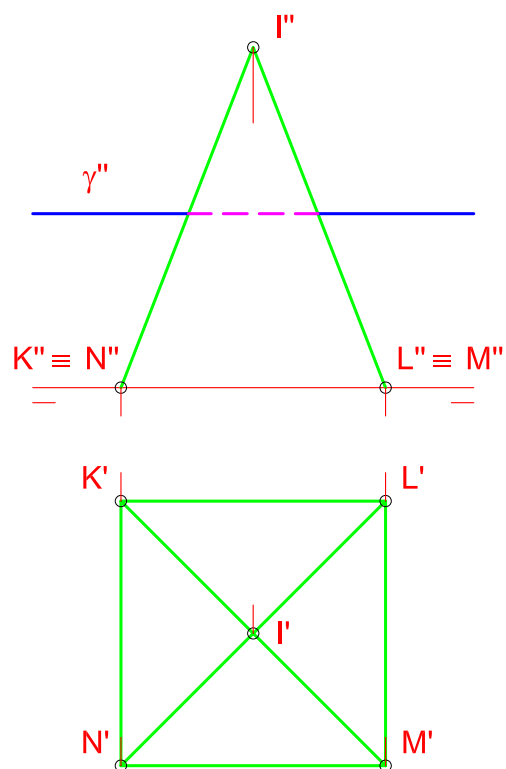
398)



399) ($\alpha \equiv$ plano (p; q))

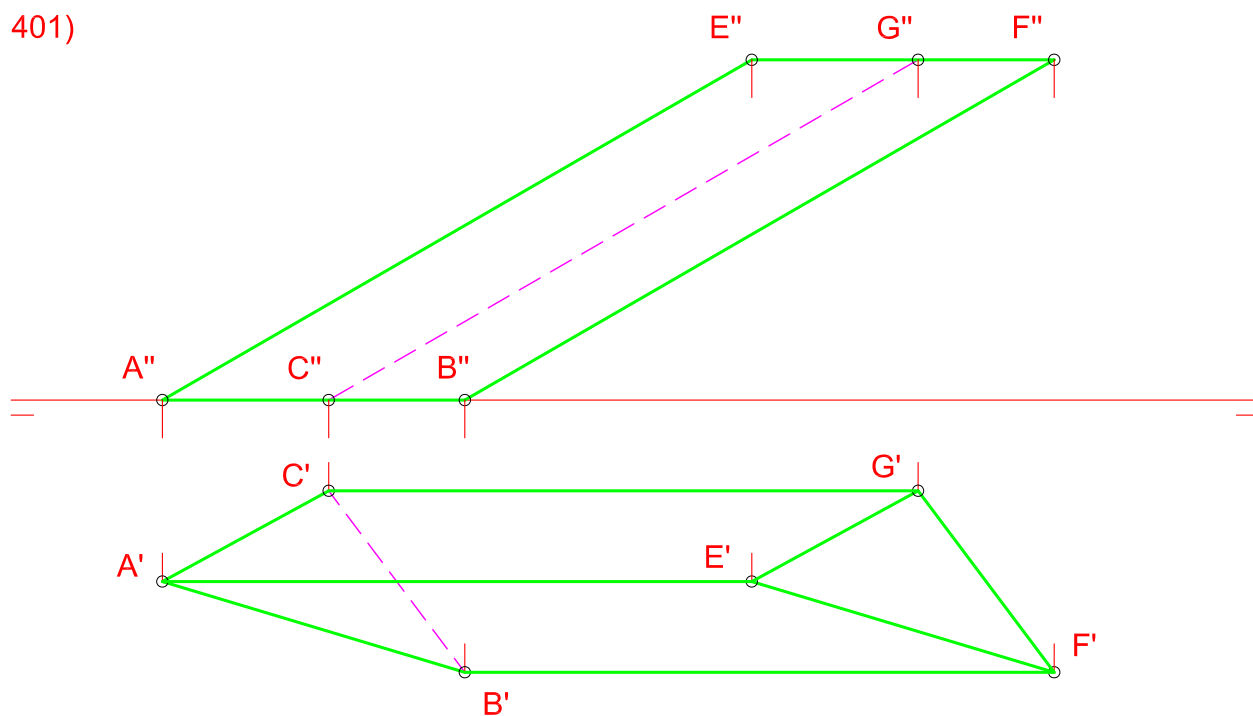


400)

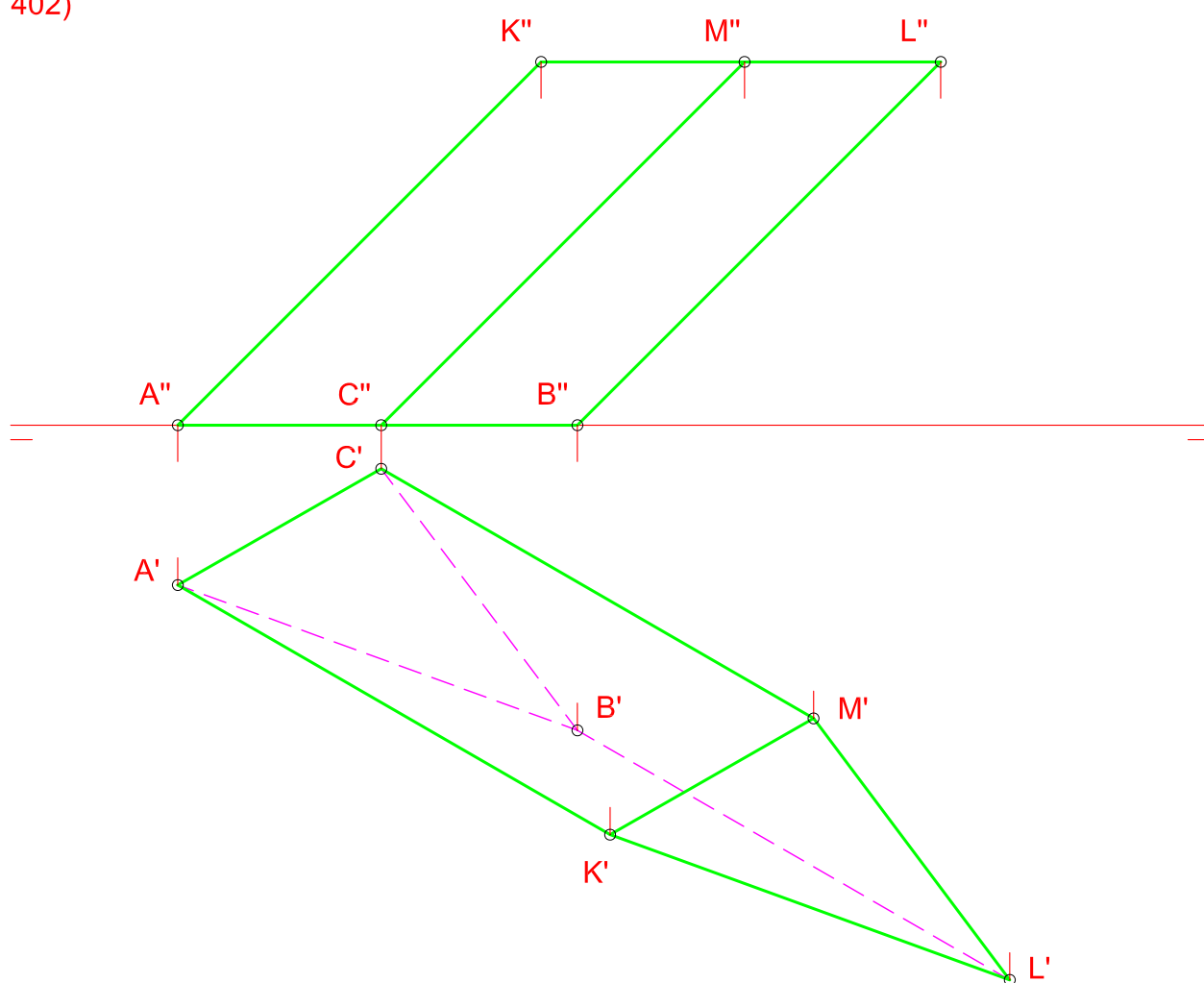


Nas épuras 401 e 402 efetuar as planificações dos prismas.

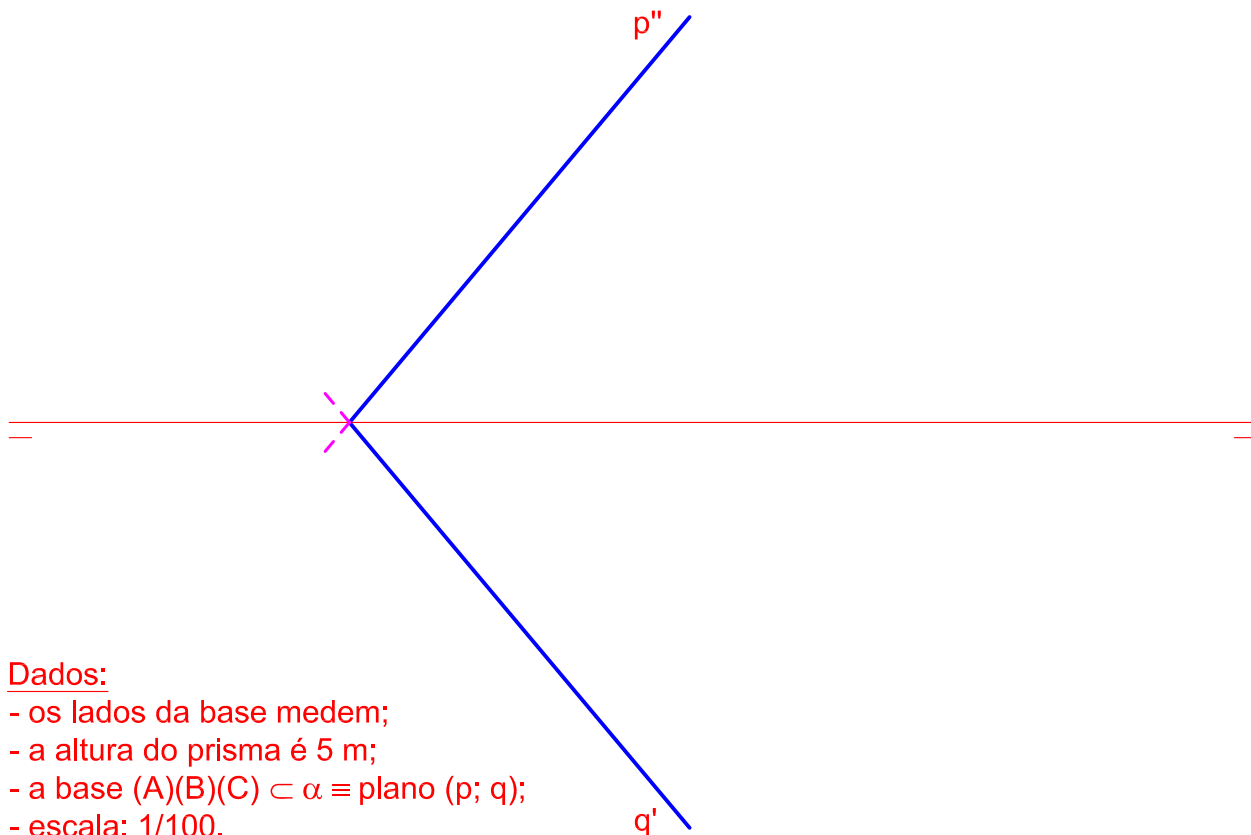
401)



402)

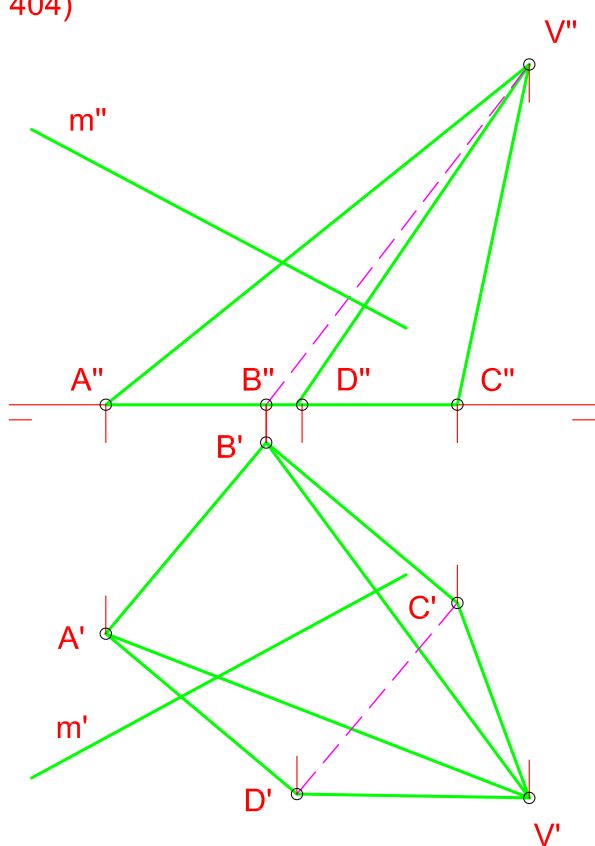


403) Representar o prisma reto de base triangular.

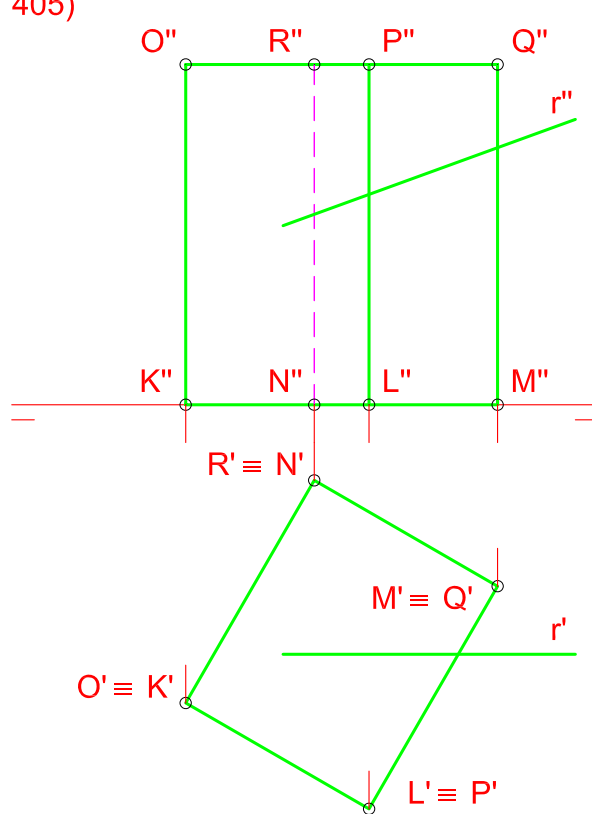


Nas épuras 404 e 405 determinar os traços das retas nos planos.

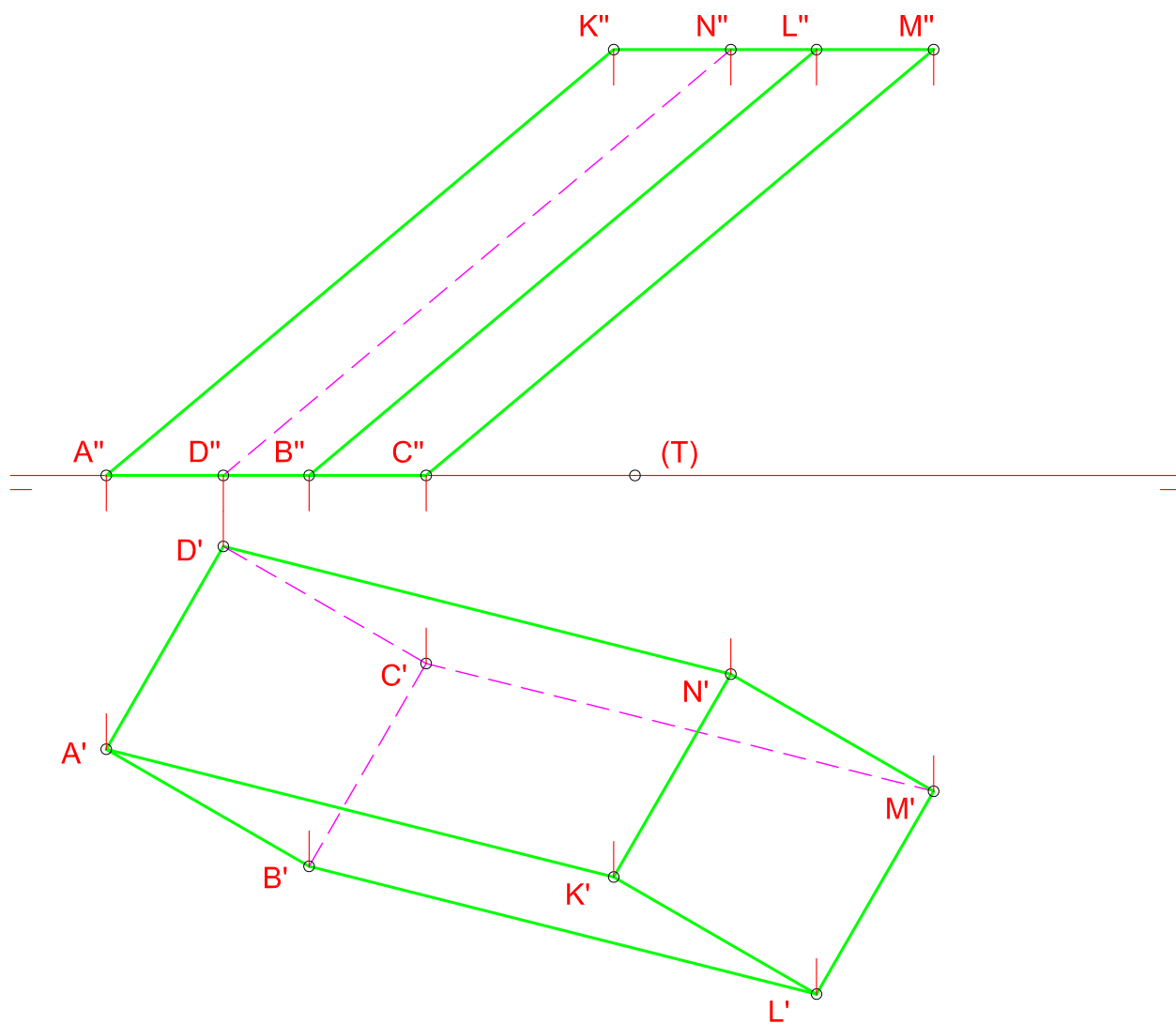
404)



405)



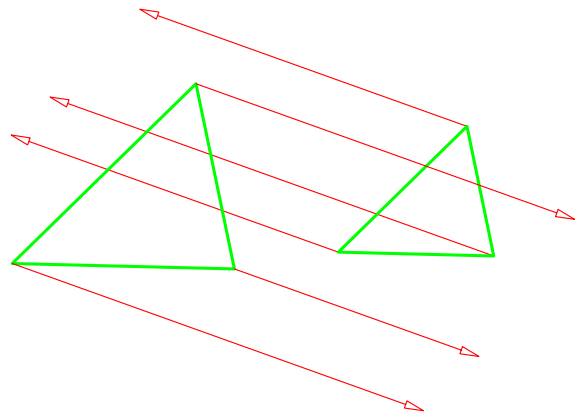
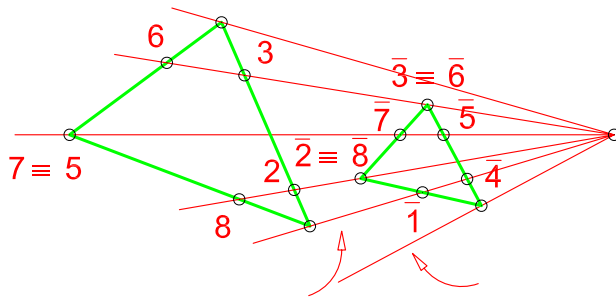
406) Planificar o poliedro. Resolver o exercício tornando o prisma de arestas laterais frontais, mediante mudança de plano vertical. Para determinar a secção reta, utilizar o plano a que pertence (T).



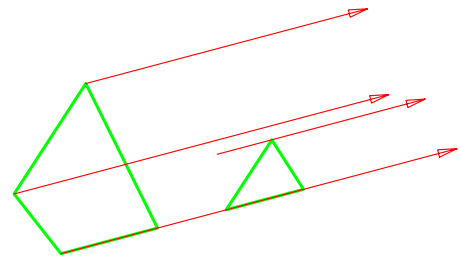
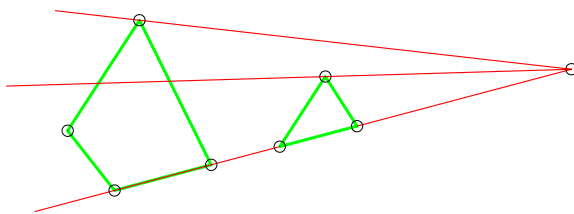
INTERSECÇÕES DE POLIEDROS CONVEXOS.
(Prismas e pirâmides com a base assente em π')

1) ENGASTAMENTO.

a) CASO GERAL:

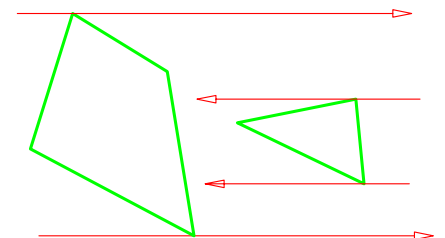
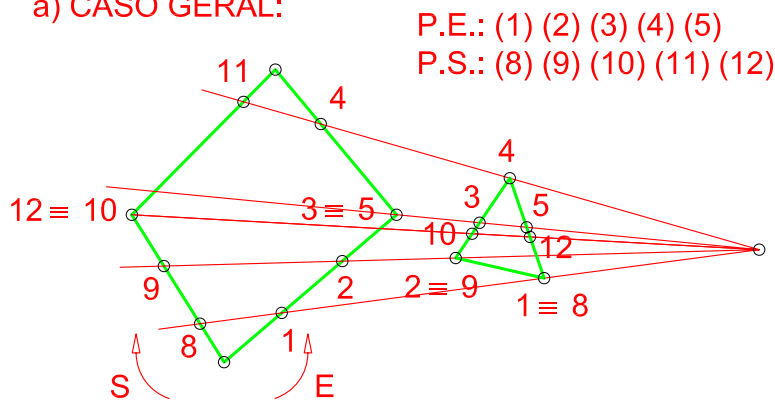


b) FACE APOSTA:

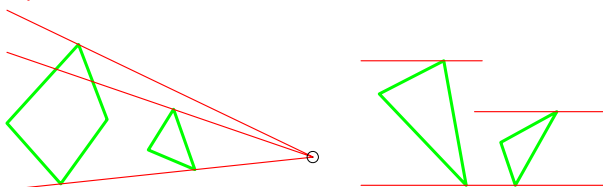


2) PENETRAÇÃO:

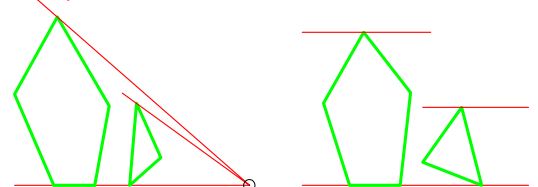
a) CASO GERAL:



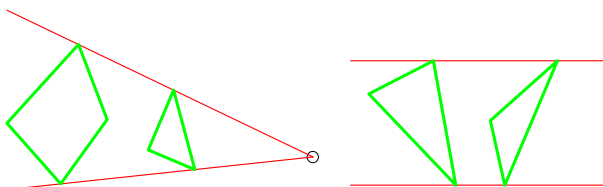
b) UM PONTO DUPLO:



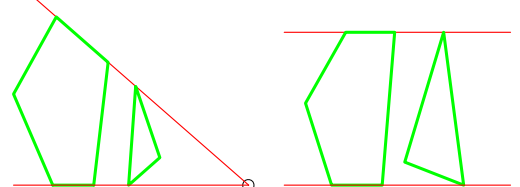
c) UM SEGMENTO:



d) DOIS PONTOS DUPLOS:

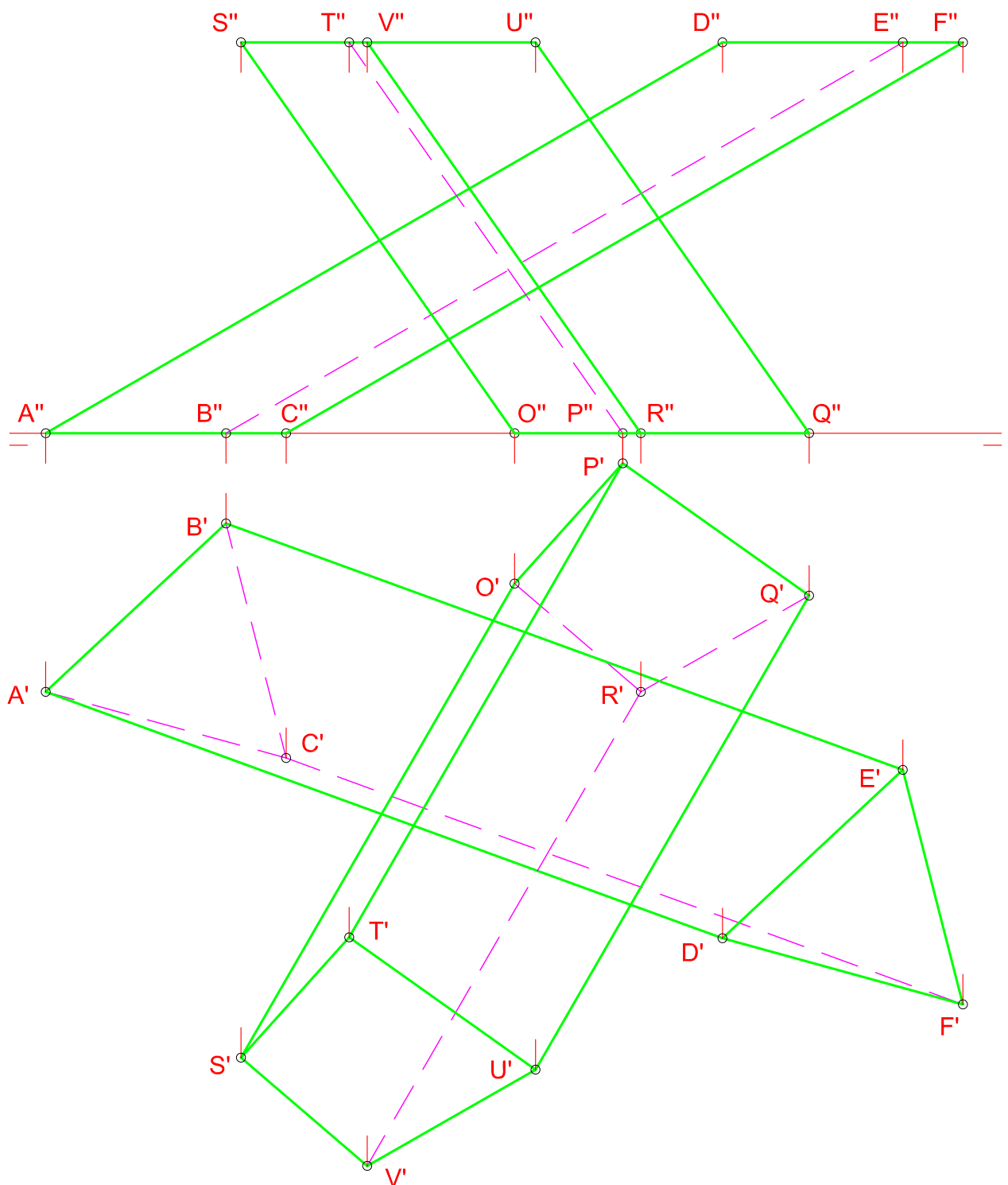


e) DOIS SEGMENTOS:



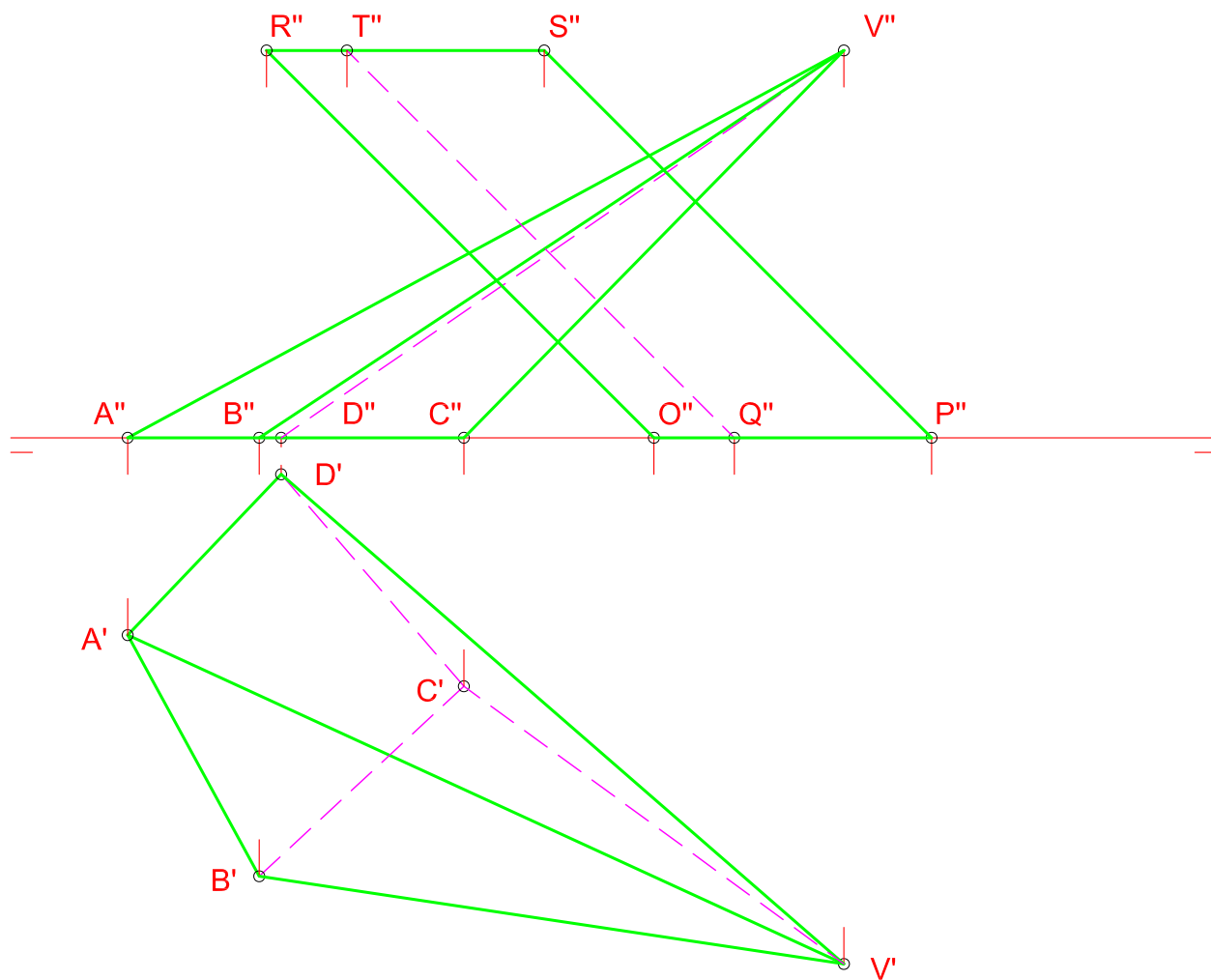
407) Na época a seguir determine:

- a) a intersecção entre os poliedros;
- b) o sólido comum;
- c) os destaques;
- d) a planificação com a transformada do polígono (s) de intersecção.



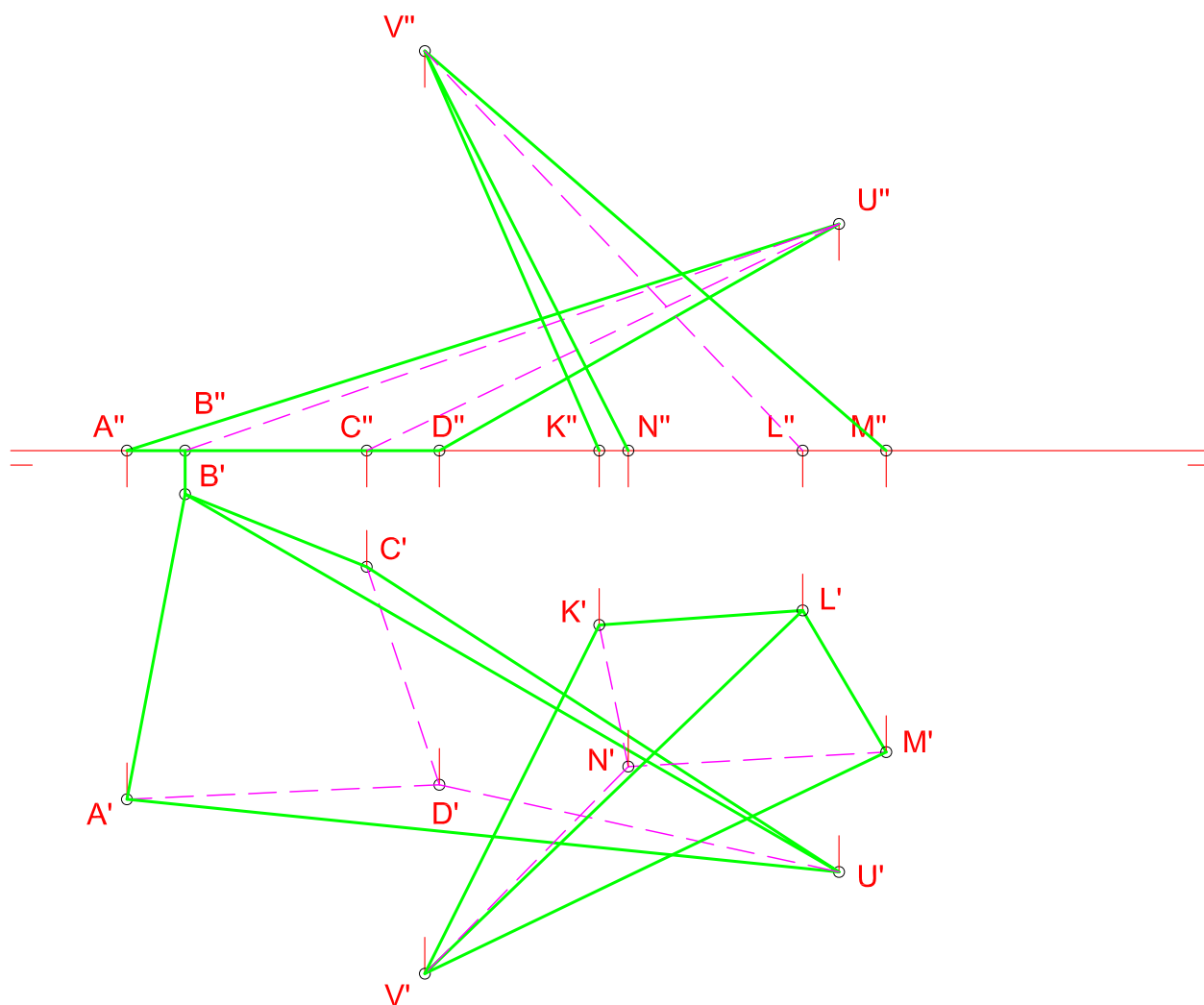
408) Na época a seguir determine:

- a intersecção entre os poliedros;
- o sólido comum;
- os destaques;
- a planificação com a transformada do polígono (s) de intersecção.



409) Na época a seguir determine:

- a intersecção entre os poliedros;
- o sólido comum;
- os destaques;
- a planificação com a transformada do polígono (s) de intersecção.



410) Na écura a seguir determine:

- a) a intersecção entre os poliedros;
- b) o sólido comum;
- c) os destaques;
- d) a planificação com a transformada do polígono (s) de intersecção.

